

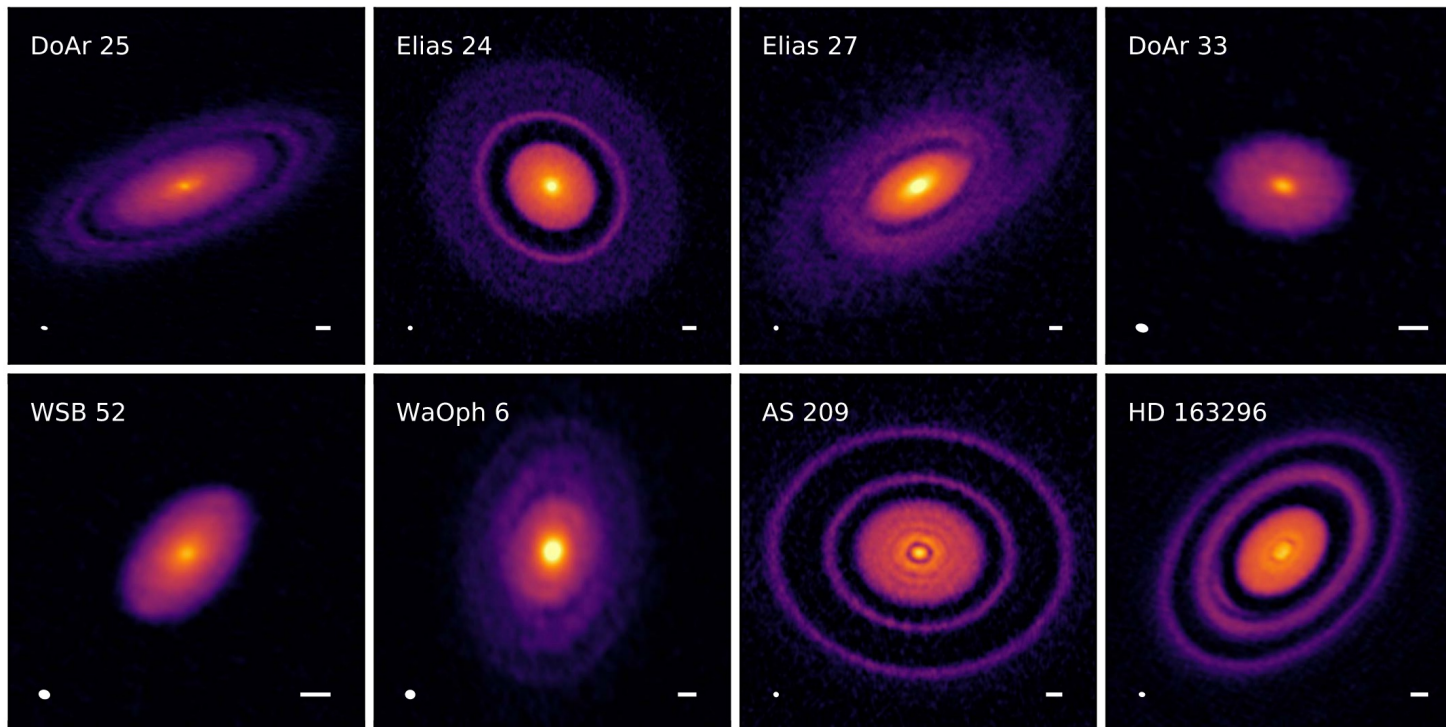
POPULATION SYNTHESIS OF STRUCTURED DISKS

Nicolas Kaufmann

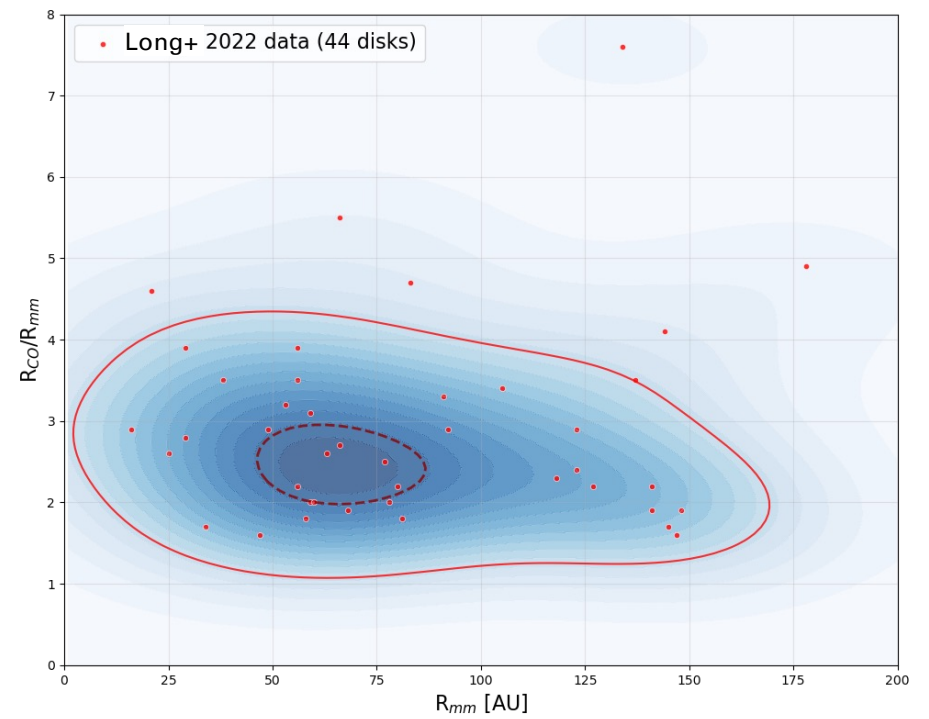
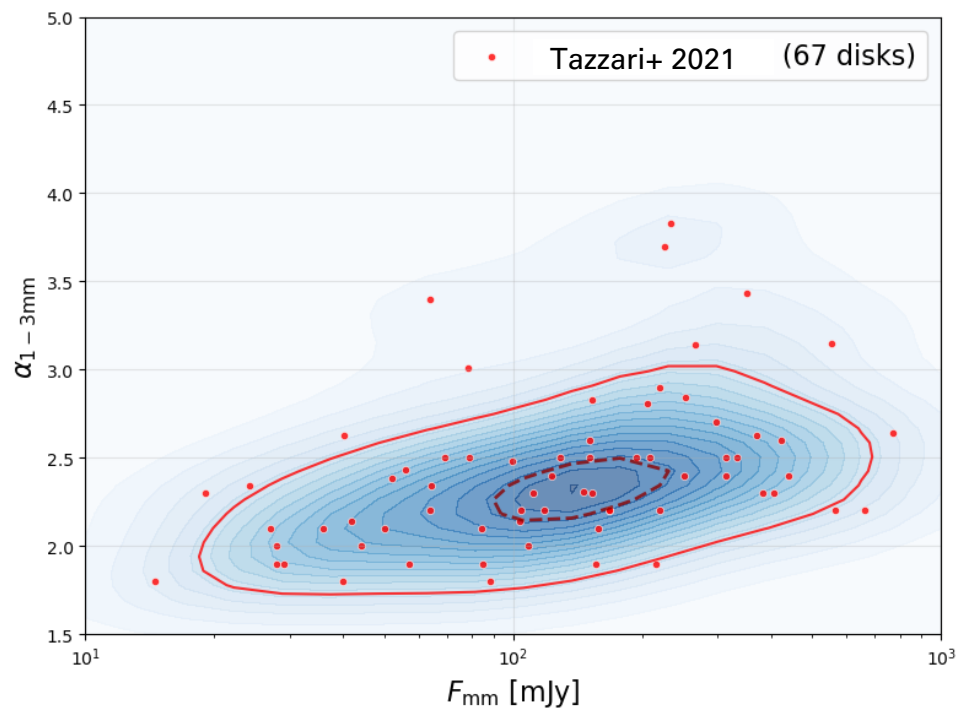
Thomas Pfeil, Sebastian Stammler, Til Birnstiel



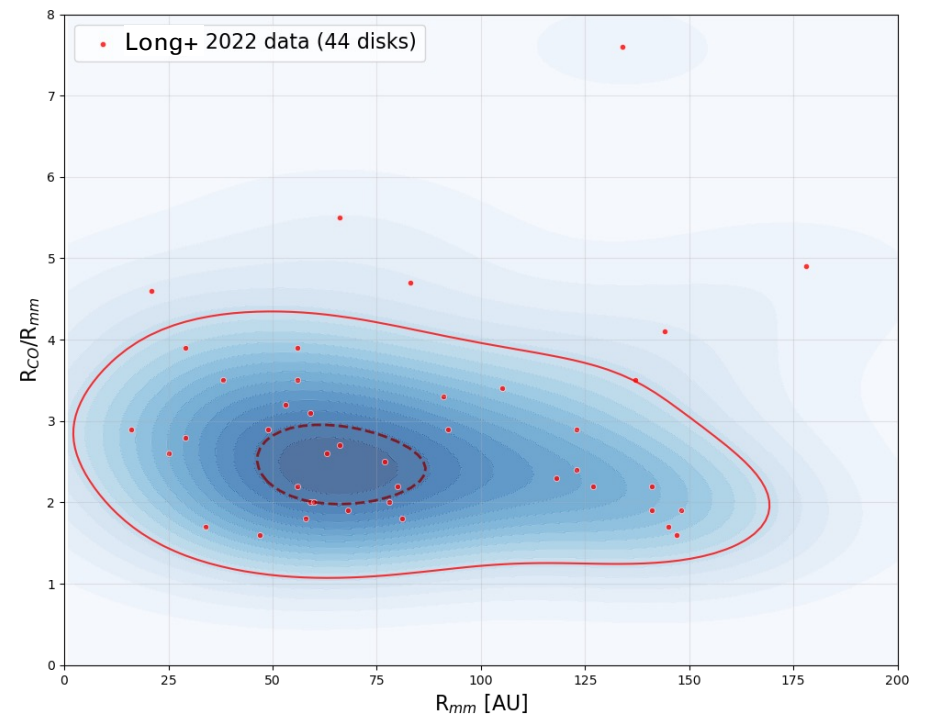
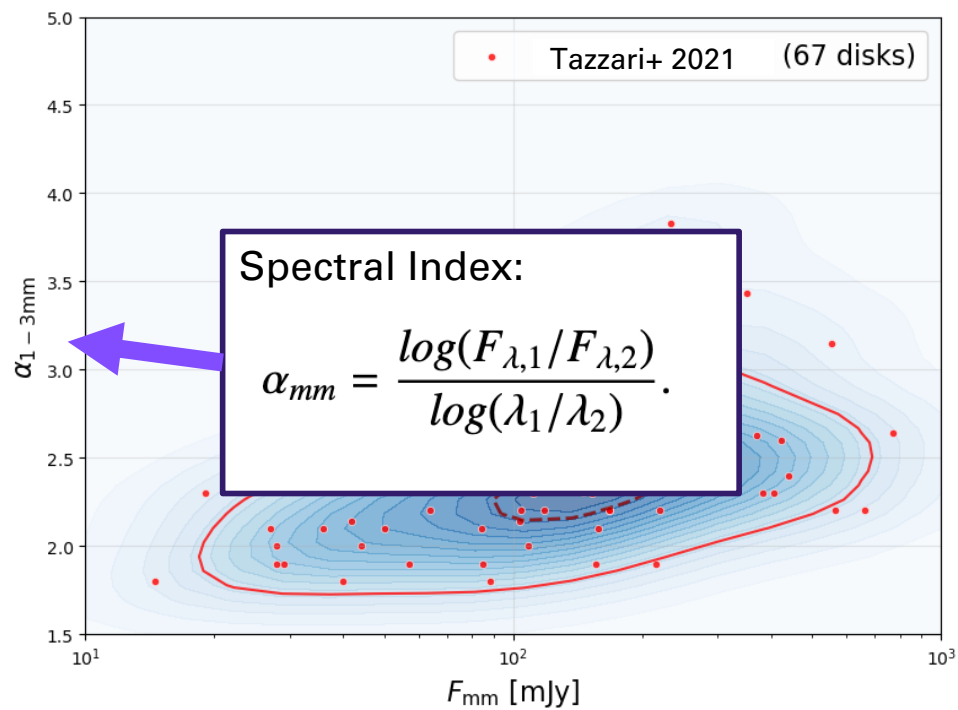
Motivation



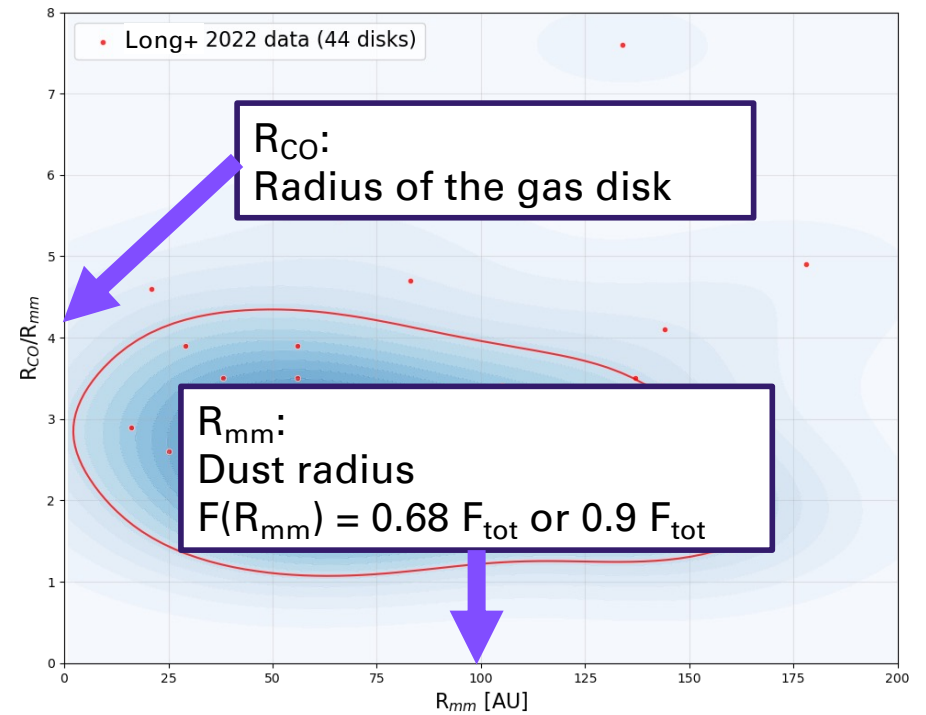
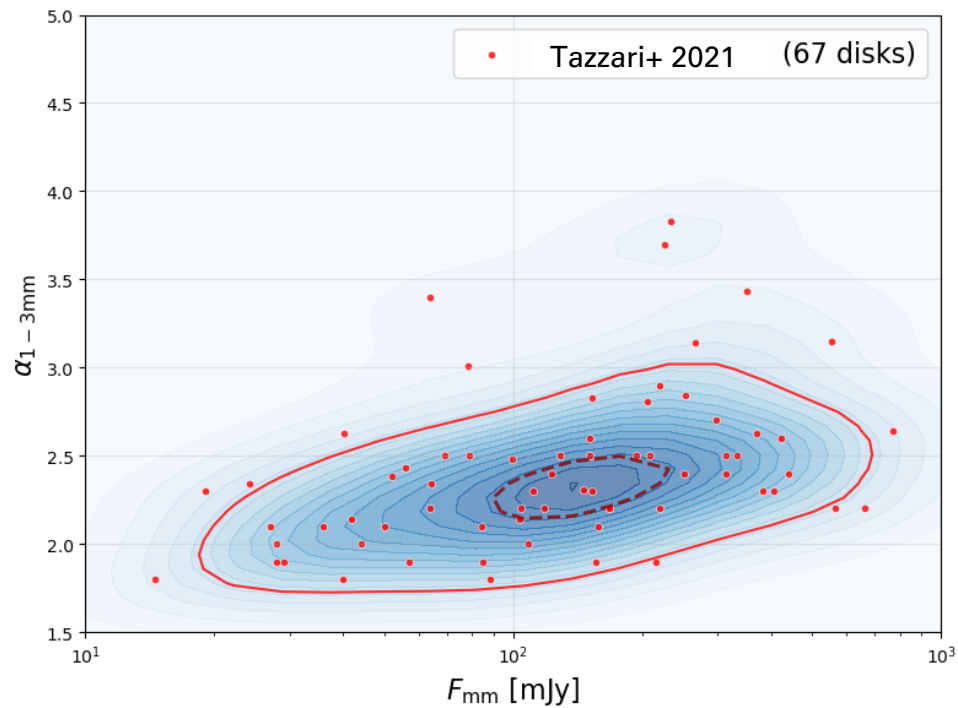
Motivation



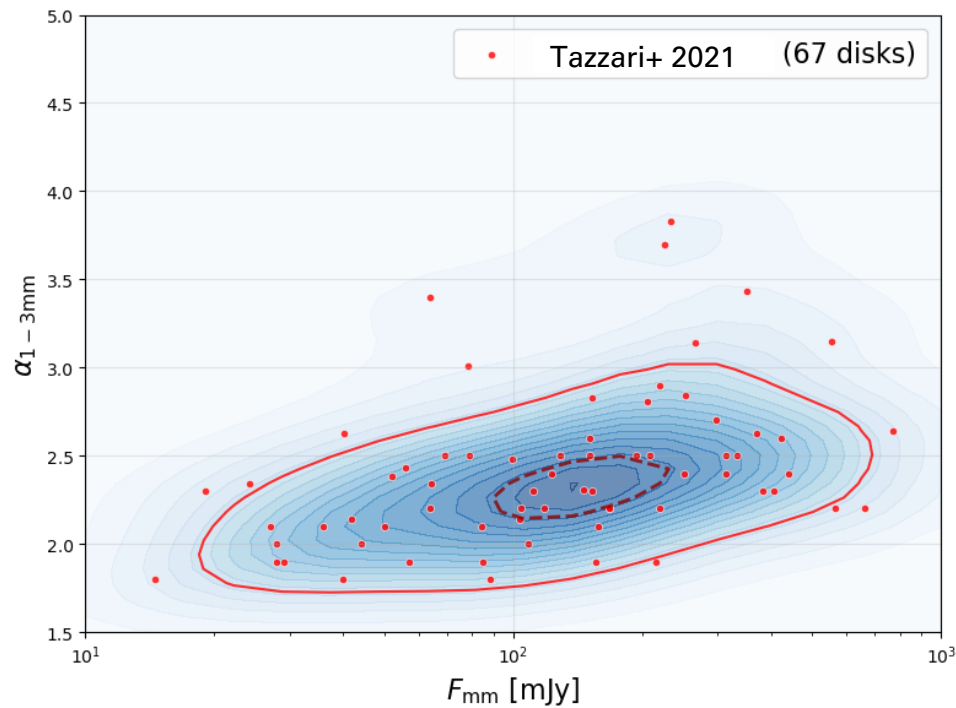
Motivation



Motivation

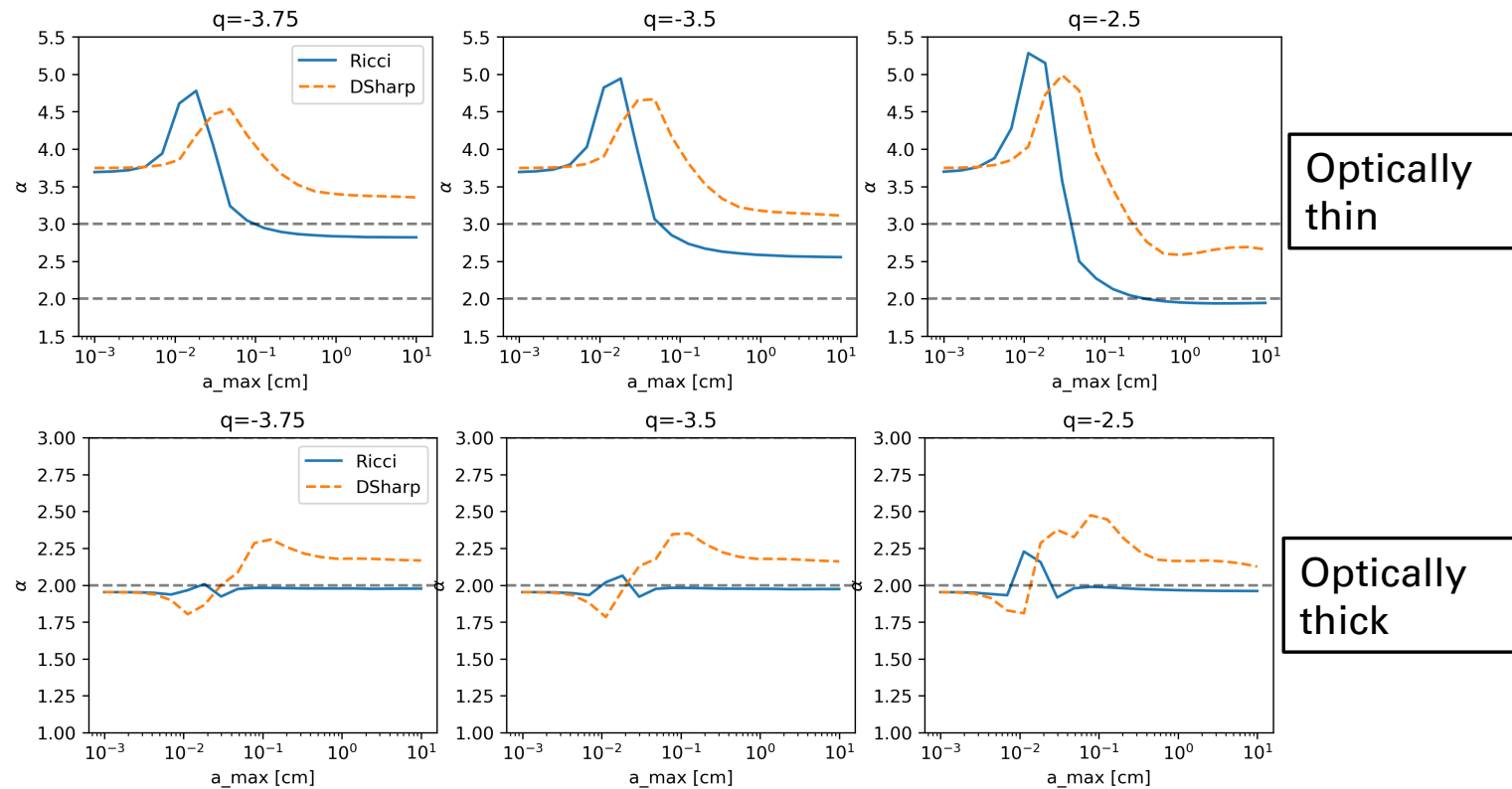


Motivation

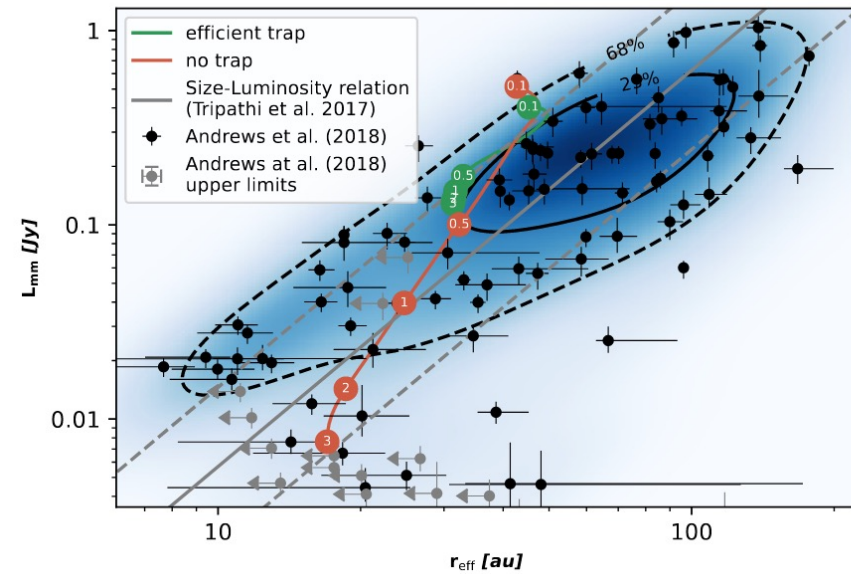
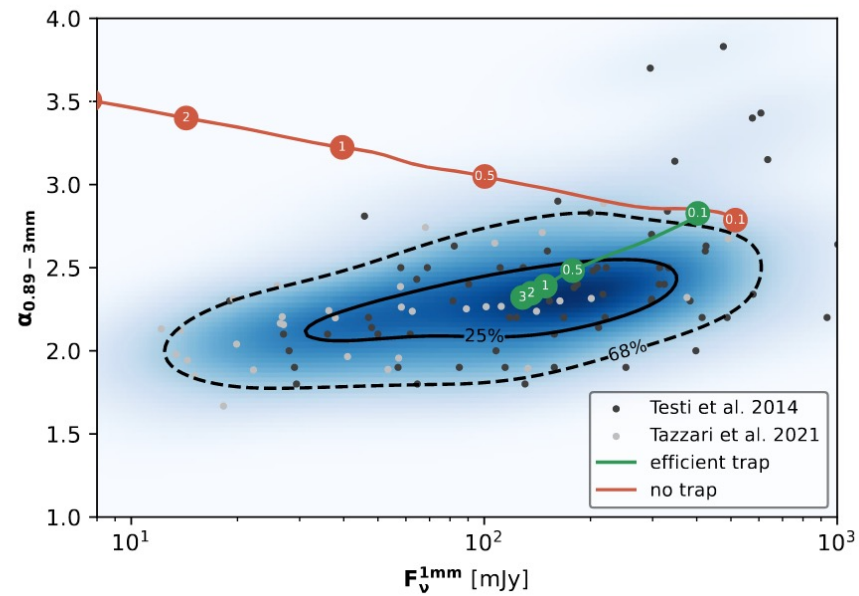


- Taurus and Lupus
- Age: 1-3 Myr
- Hard to quantify observational bias

Spectral index

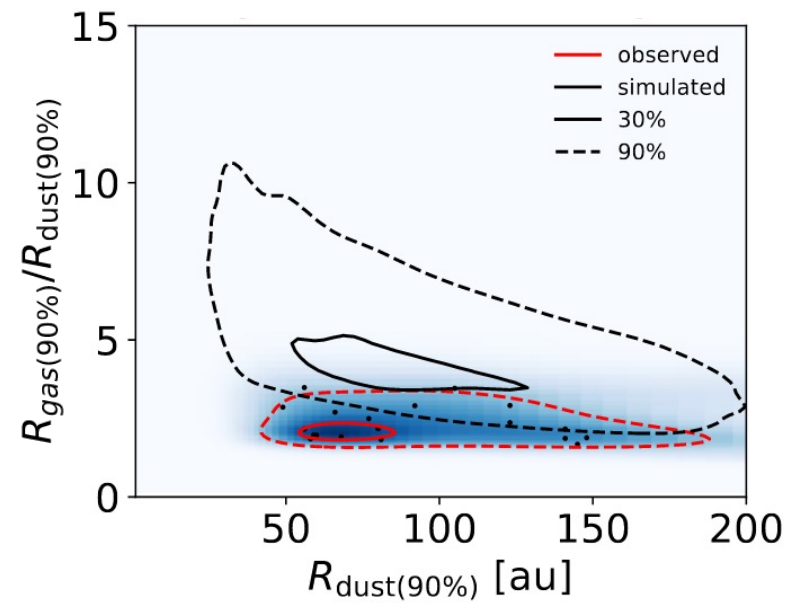
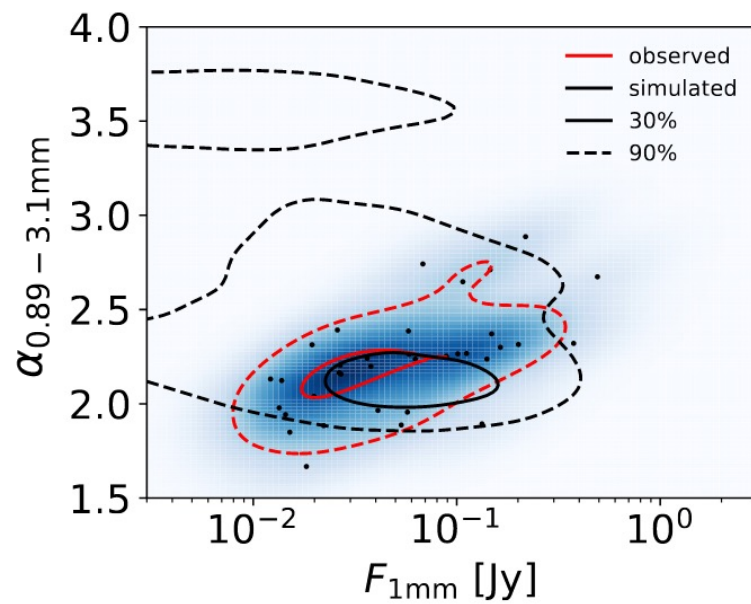


Motivation



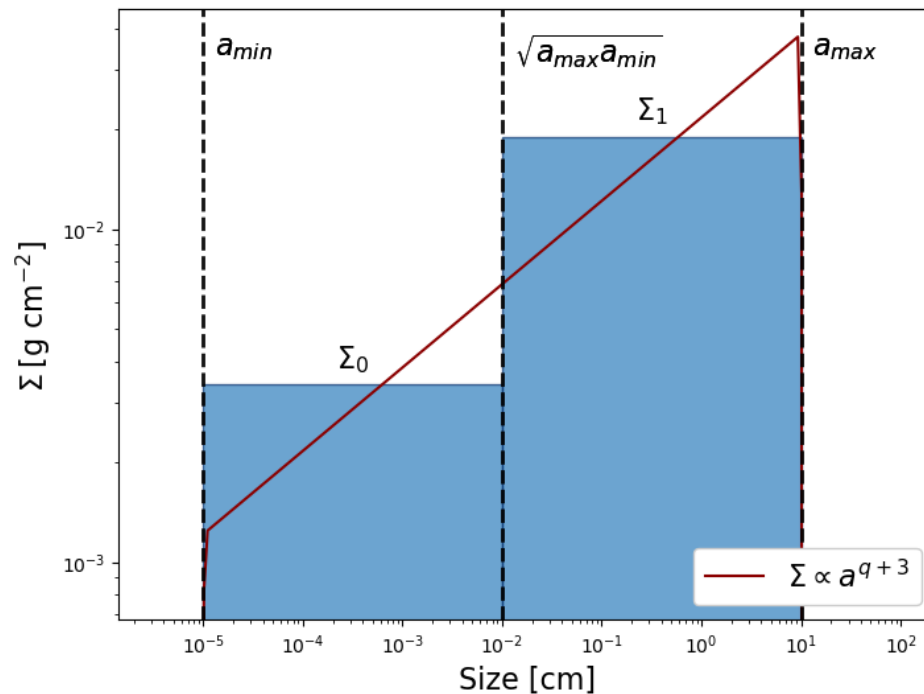
Birnstiel 2024

Previous studies



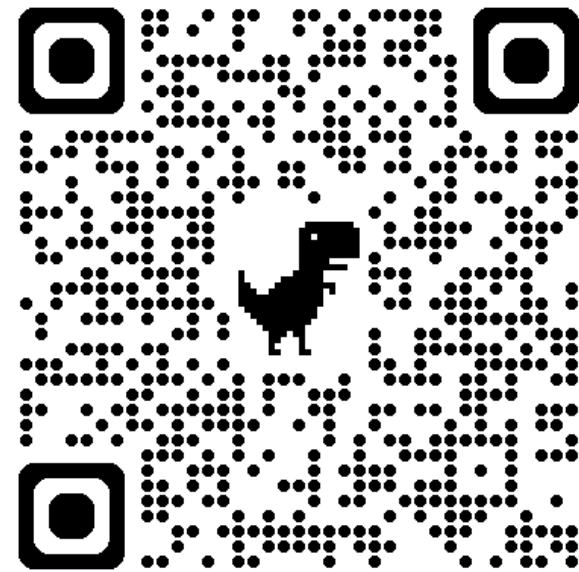
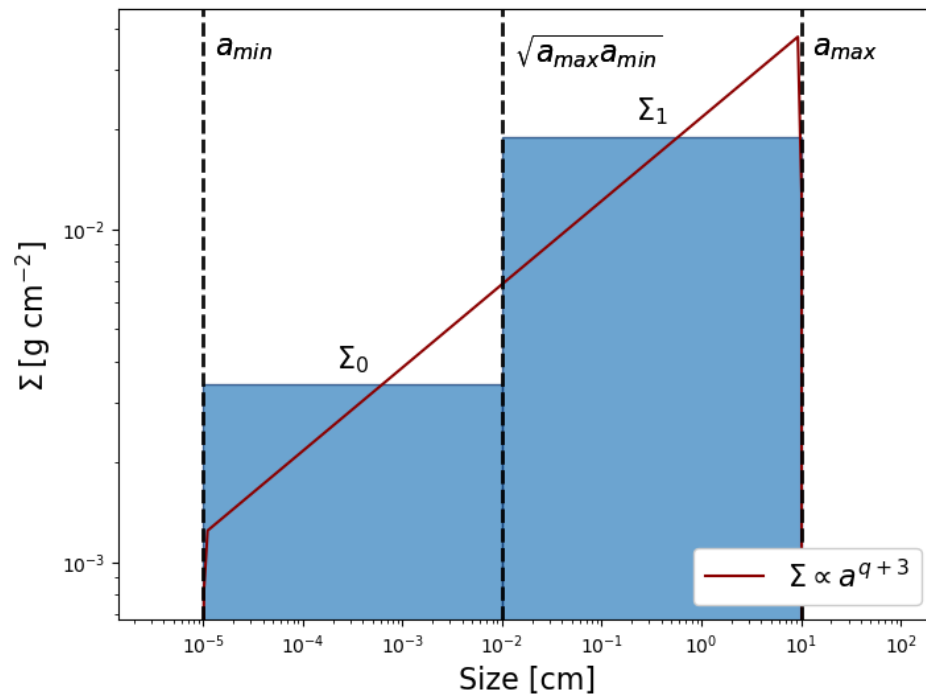
Delussu+ 2025

TriPoDPy



- Two-dust populations
- Size distribution modelled as a **power law**
- **Collisions dictate** the slope (**q**) and maximum size (**a_{max}**)
- Maximum **grain size** radially is **advected**
- Validated with **DustPy** for different M_* and gaps

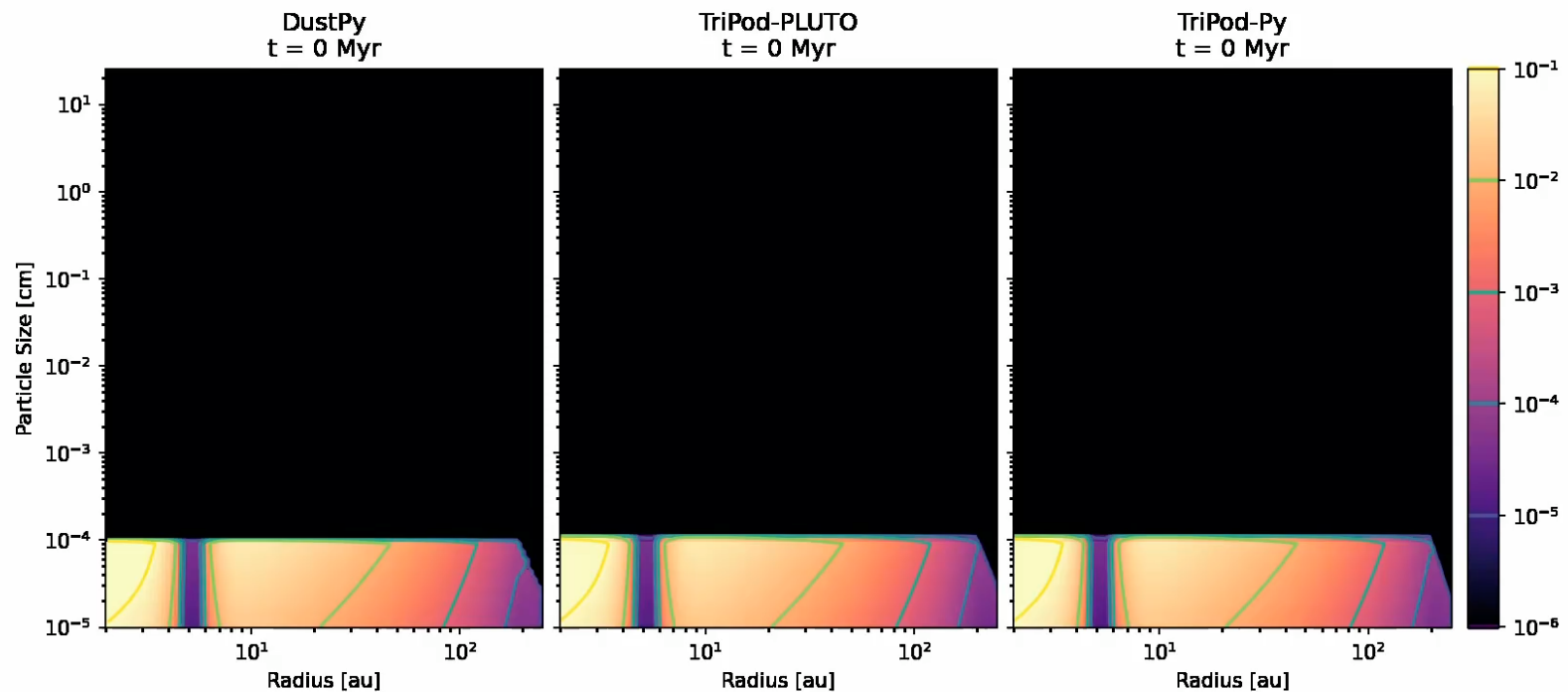
TriPoDPy



<https://arxiv.org/abs/2511.20764>

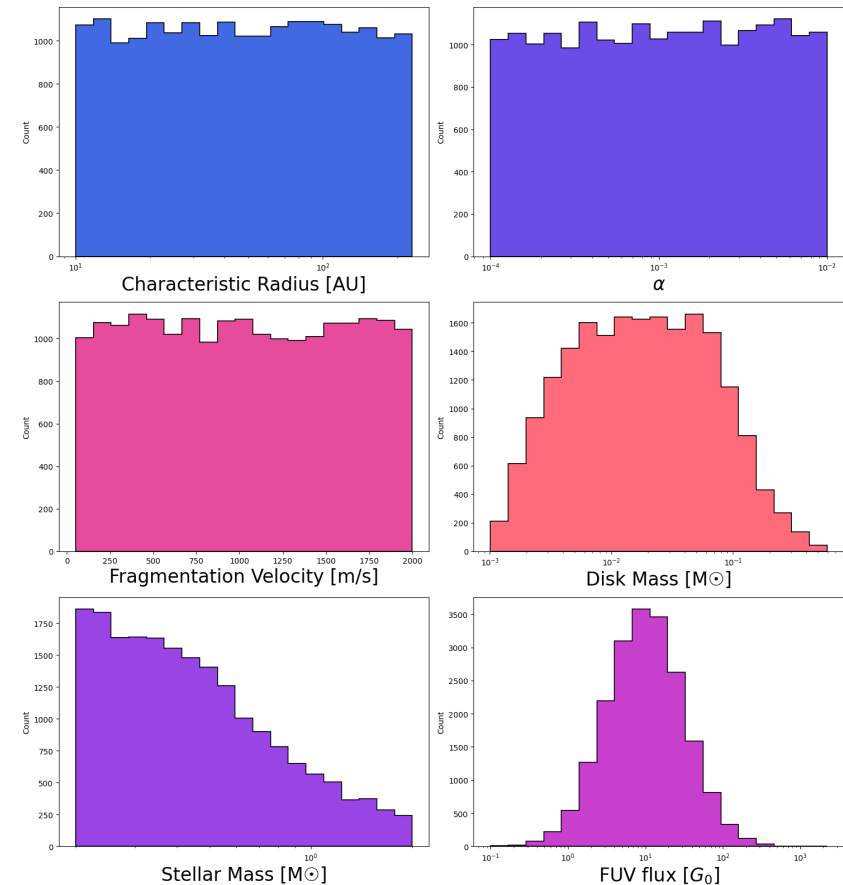
Dust Evolution with TriPoDPy

Pfeil+ 2024

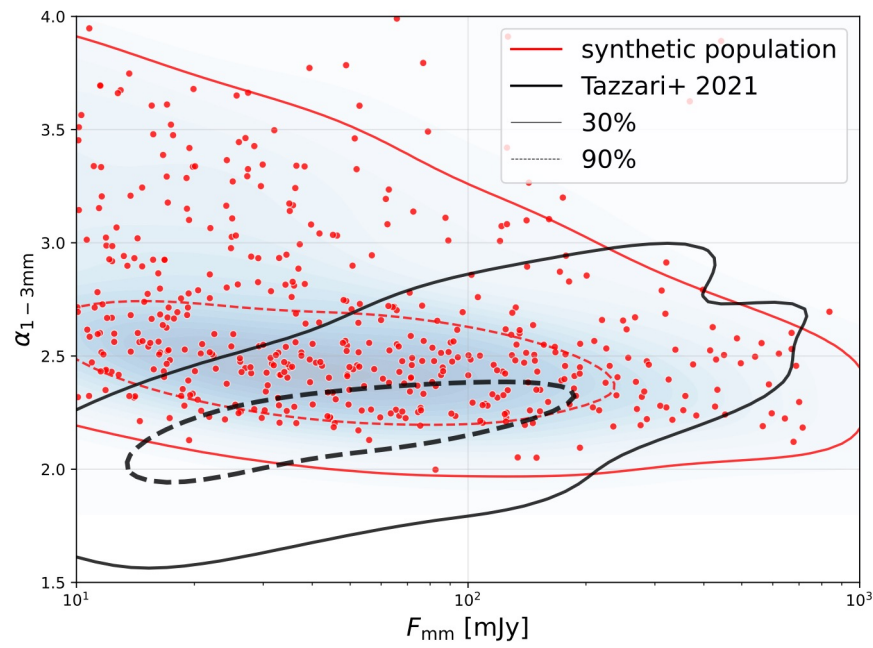


Setup

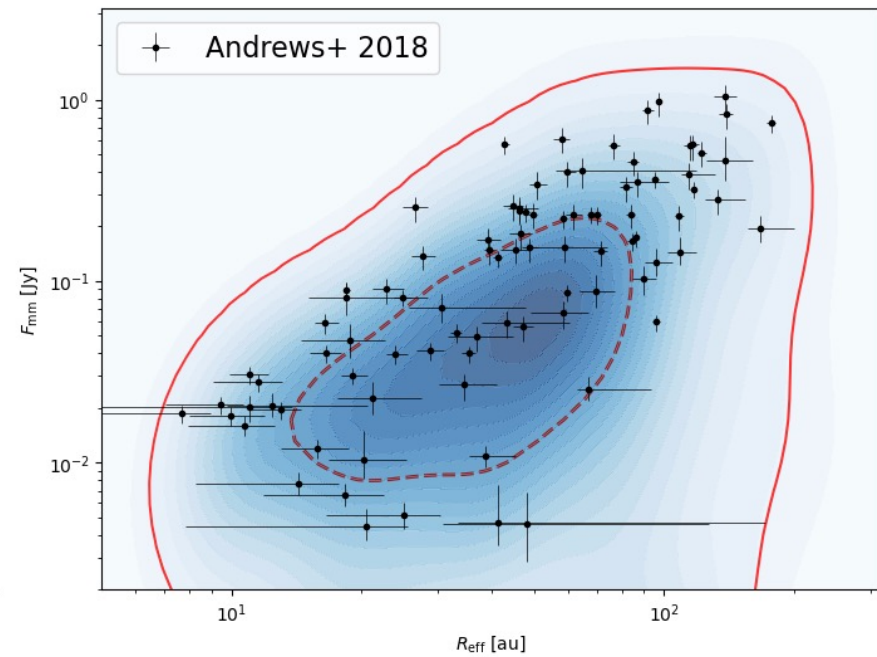
- gap opening at 0.1 -0.4 Myr
- gap shape via torques:
 M_p : 150 - 1050 $M_\oplus$, Lau 2024
- External photoevaporation:
Sellek 2020
- Compute observables with
Miyake scattering solution
+ Ricci Opacities



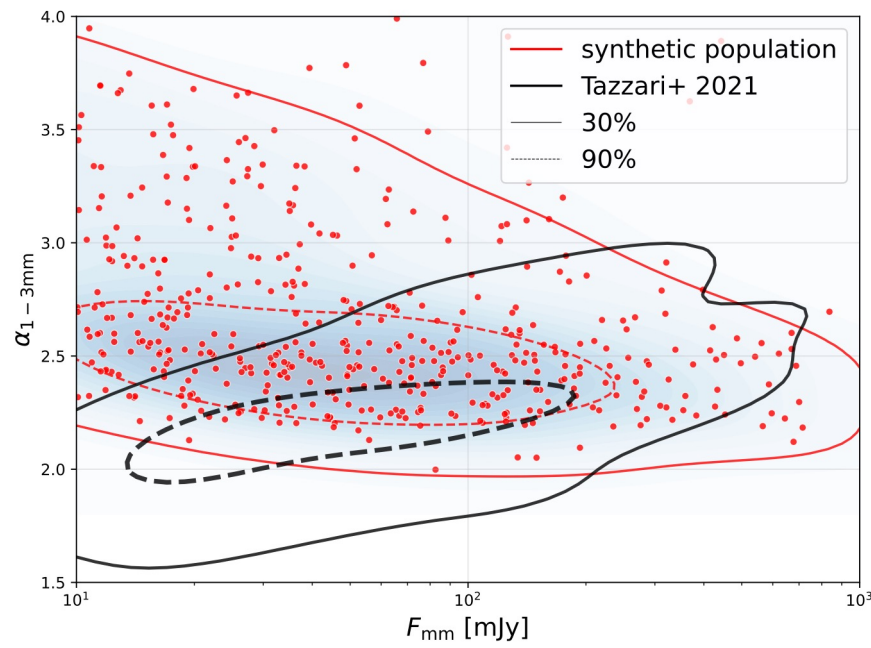
Results



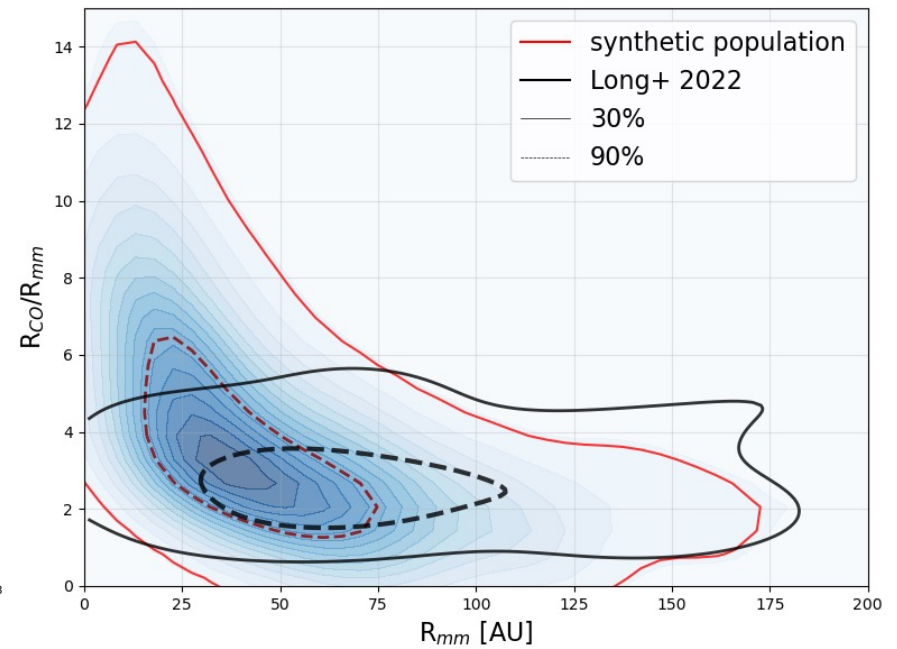
Simulated disks at 1-3 Myr



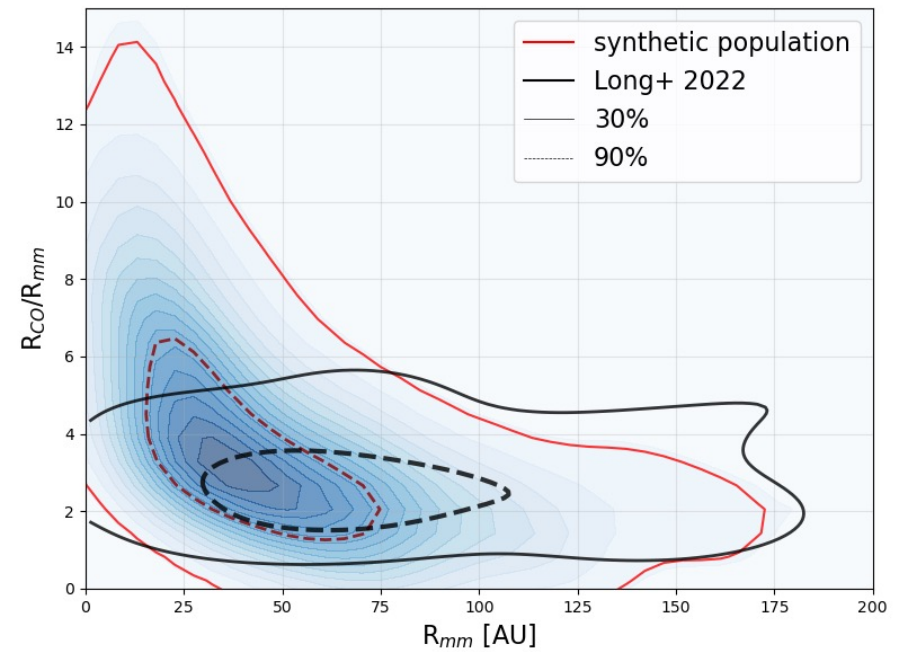
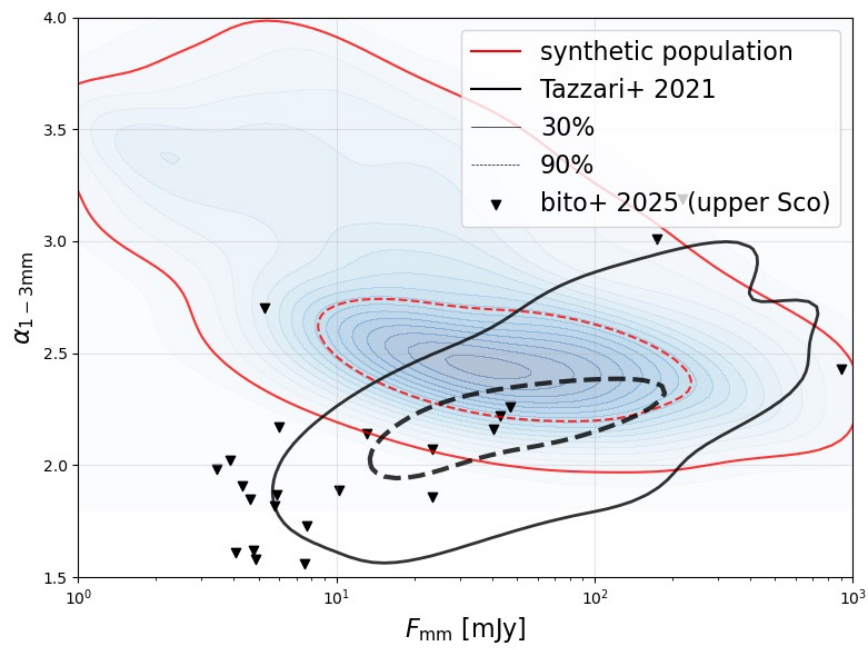
Results



Simulated disks at 1-3 Myr

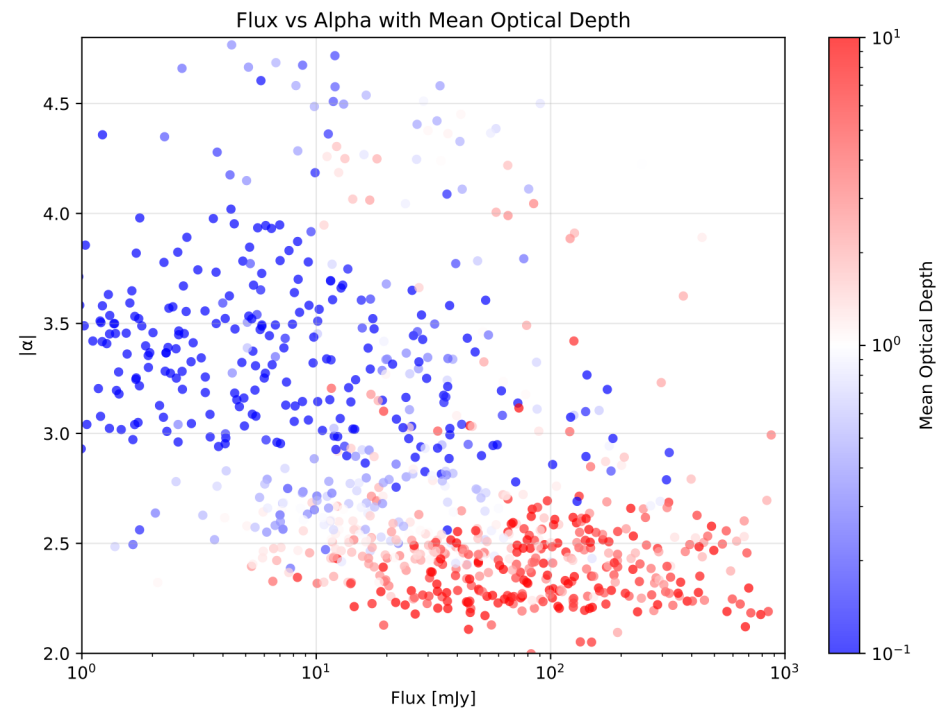


Results



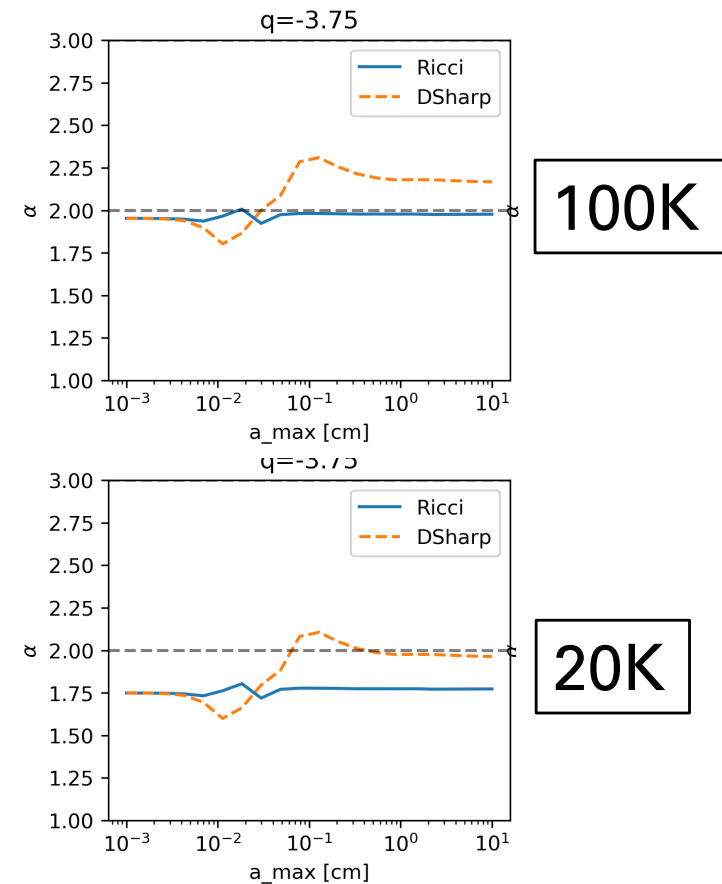
How to get a low spectral index

- Temperatures below Rayleigh-Jeans
- Scattering if the albedo decreases with wavelength
- Free-emission



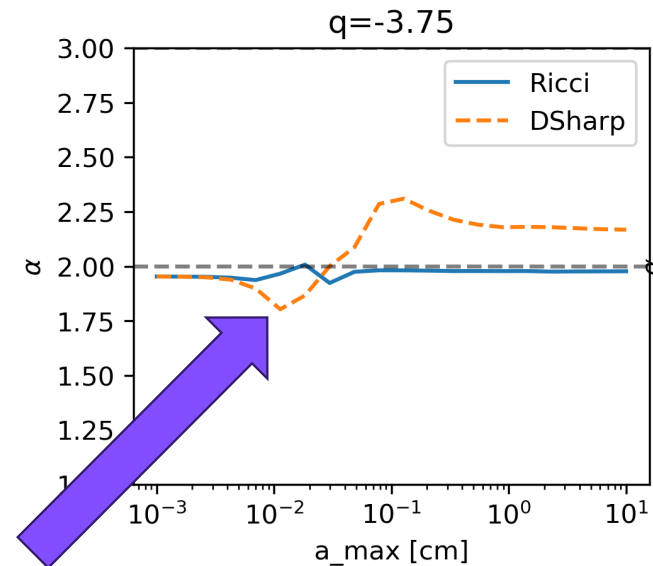
How to get a low spectral index

- Temperatures below Rayleigh-Jeans
- Scattering if the albedo decreases with wavelength
- Free-emission



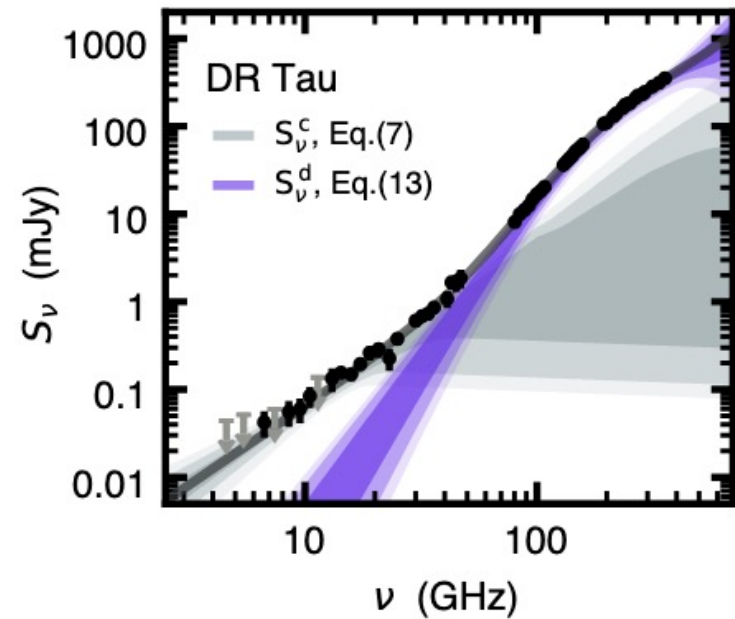
How to get a low spectral index

- Temperatures below Rayleigh-Jeans
- **Scattering if the albedo decreases with wavelength**
- Free-emission



How to get a low spectral index

- Temperatures below Rayleigh-Jeans
- Scattering if the albedo decreases with wavelength
- **Free-emission**



Painter+ 2025

Conclusions

- Simple single trap approach can not explain the observed disks -> low α is a problem
- The radius tension is not fully resolved by considering external photoevaporation
- Gaps are leakier than previous models suggested

THANK YOU FOR YOUR ATTENTION



Contact:

n.kaufmann@lmu.de

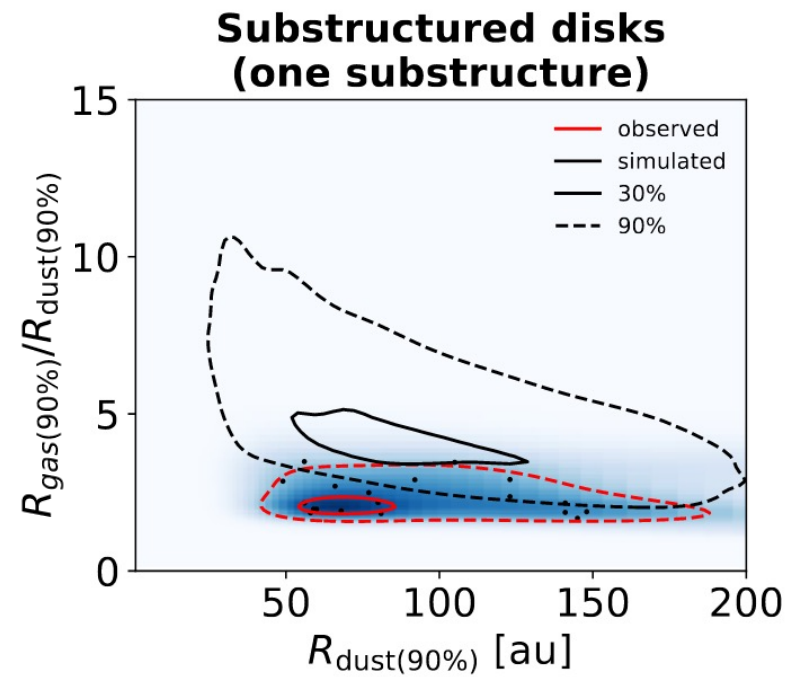
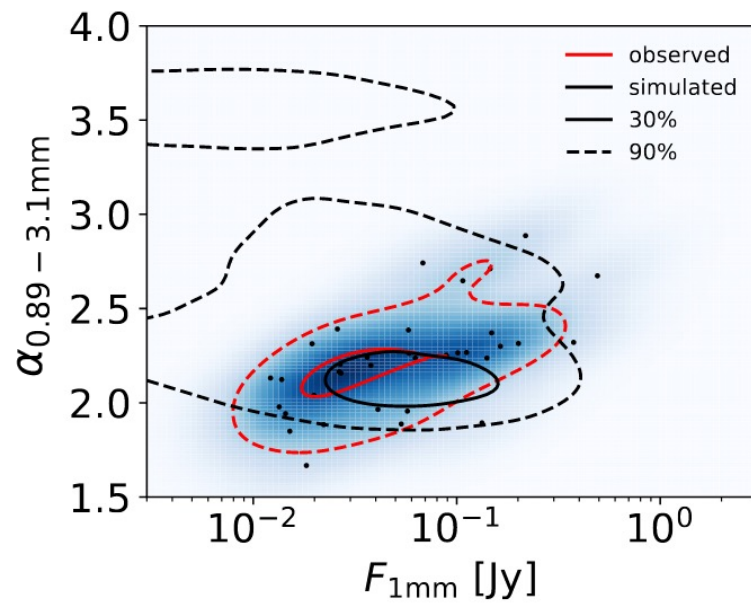
<https://github.com/Nicolas-Kaufmann>



Outlook

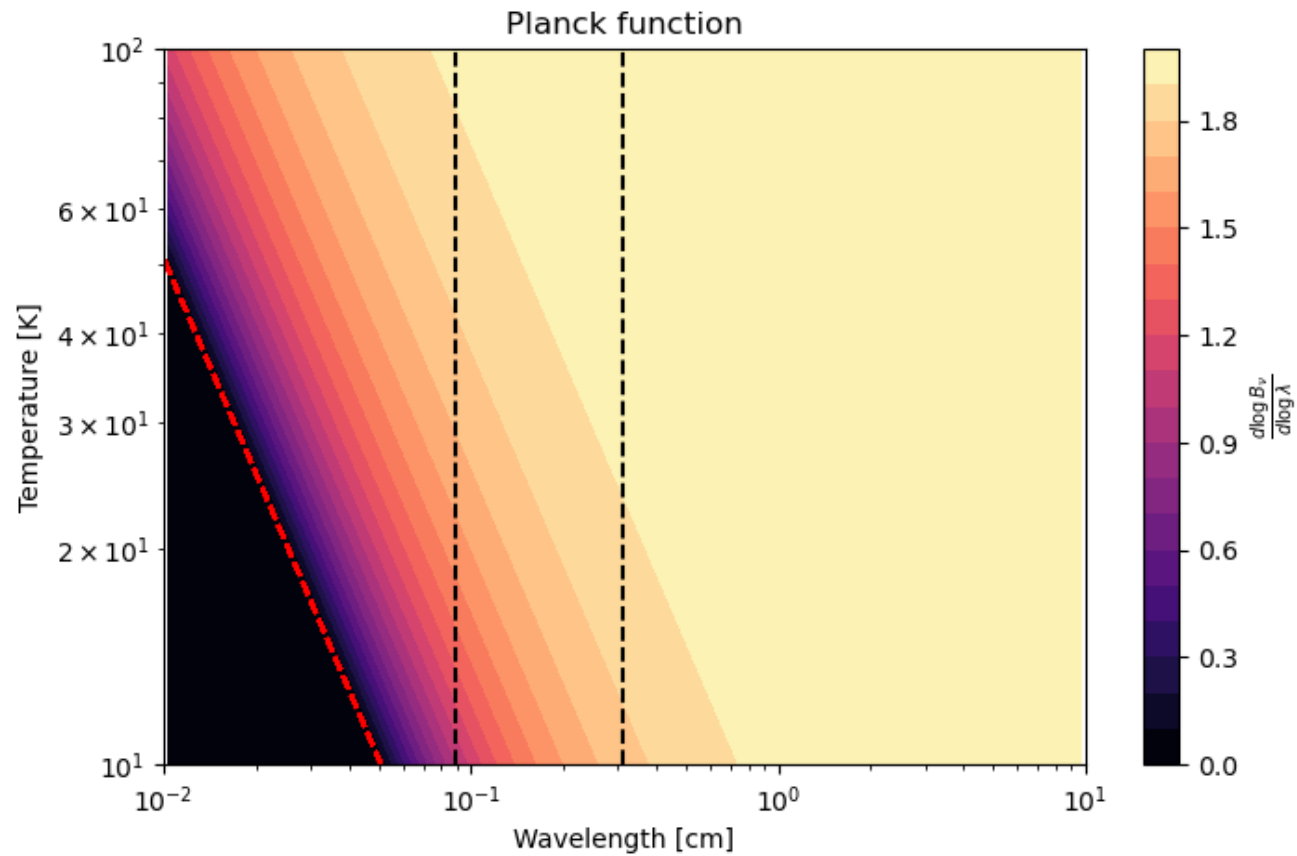
- Adding free free contribution
- Longer simulation times to compare with the upper Sco sample
- Explore more physics: MHD winds/internal photoevaporation

Previous studies



Delussu+ 2025

Rayleigh-Jeans



Setup

Parameter	Description	Range	PDF
α	viscosity parameter	$10^{-4} - 10^{-2}$	log uniform
$M_{\text{disk}} [M_{\star}]$	initial disk mass	$10^{-3} - 10^{-0.5}$	log uniform
$M_{\star} [M_{\odot}]$	stellar mass	0.2 – 2.0	Maschberger (2013)
r_c [au]	characteristic radius	10 – 230	log uniform
v_{frag} [cm/s]	fragmentation velocity	50 – 2000	uniform
$m_p [M_{\oplus}]$	planet mass	150 – 1050	uniform
$r_p [r_c]$	planet position	0.05 – 1.5	uniform
t_p [Myr]	planet formation time	0.1 – 0.4	uniform
$\mathcal{F}_{\text{FUV}} [\log_{10}(G_0)]$	external FUV field	-	$\mathcal{N}(1, 0.5^2)$

Observables

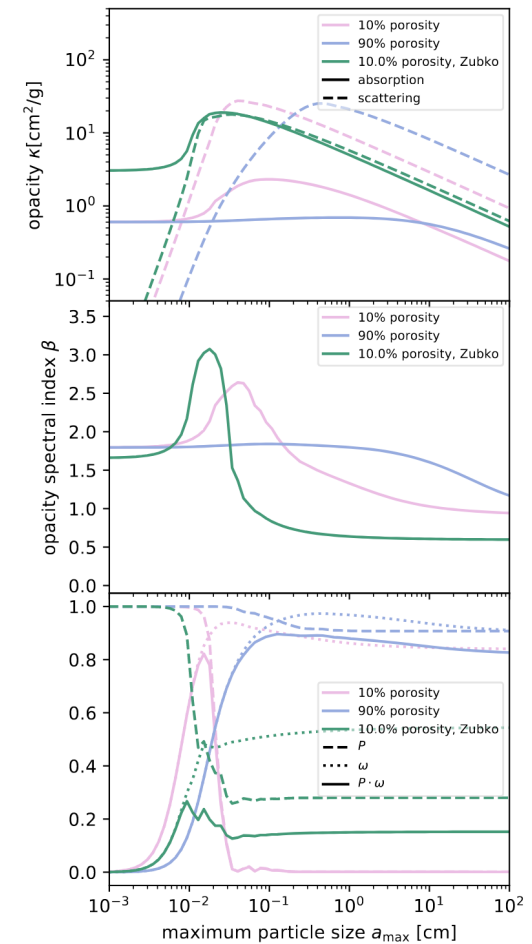
$$I_\nu = B_\nu(1 - \exp(-\tau_\nu)) = B_\nu \times \begin{cases} 1 & \text{for } \tau_\nu \gg 1 \\ \tau_\nu & \text{for } \tau_\nu \ll 1, \end{cases}$$

$$\tau_\nu = \Sigma_d \bar{\kappa}_\nu / \cos i,$$

$$\bar{\kappa}_\nu \propto \nu^\beta$$

$$\text{for } \tau_\nu \gg 1 \quad \alpha_{\text{mm}} = 2$$

$$\text{for } \tau_\nu \ll 1, \quad \alpha_{\text{mm}} = 2 + \beta$$



Slab model

$$\epsilon_{\nu}^{\text{eff}} = \frac{\kappa_{\nu}^{\text{abs}}}{\kappa_{\nu}^{\text{abs}} + \kappa_{\nu}^{\text{sca,eff}}}.$$

$$\frac{J_{\nu}(\tau_{\nu})}{B_{\nu}(T_d)} = 1 - b \left(e^{-\sqrt{3\epsilon_{\nu}^{\text{eff}}}(\frac{1}{2}\Delta\tau - \tau_{\nu})} + e^{-\sqrt{3\epsilon_{\nu}^{\text{eff}}}(\frac{1}{2}\Delta\tau + \tau_{\nu})} \right)$$

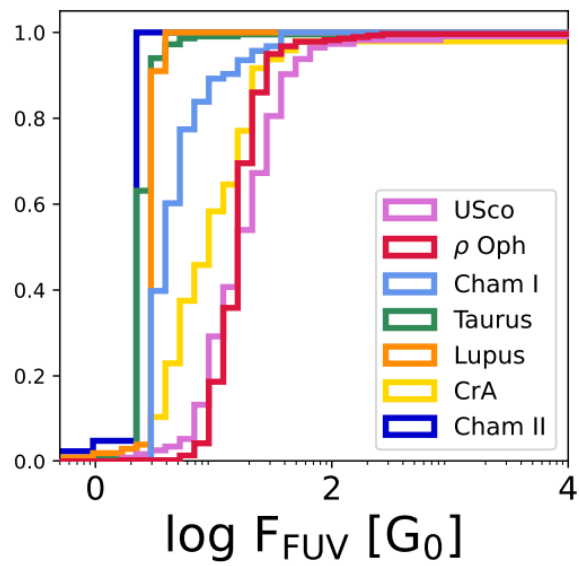
$$b = \left[(1 - \sqrt{\epsilon_{\nu}^{\text{eff}}})e^{-\sqrt{3\epsilon_{\nu}^{\text{eff}}}\Delta\tau} + 1 + \sqrt{\epsilon_{\nu}^{\text{eff}}} \right]^{-1}.$$

$$I_{\nu}^{\text{out}} \simeq (1 - e^{-\Delta\tau/\mu})S_{\nu}\left(\left(\frac{1}{2}\Delta\tau - \tau_{\nu}\right)/\mu = 2/3\right)$$

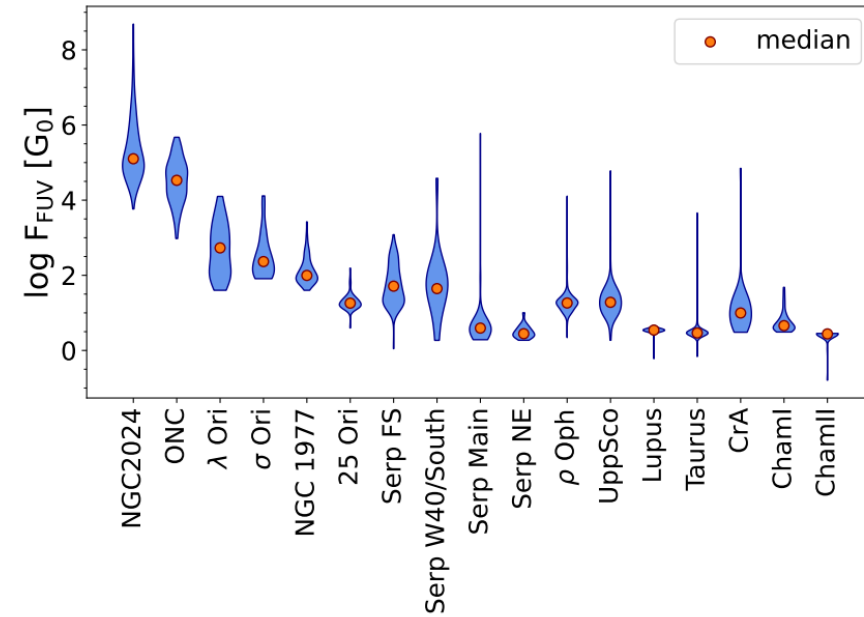
where

$$S_{\nu}(\tau_{\nu}) = \epsilon_{\nu}^{\text{eff}} B_{\nu}(T_d) + (1 - \epsilon_{\nu}^{\text{eff}})J_{\nu}(\tau_{\nu})$$

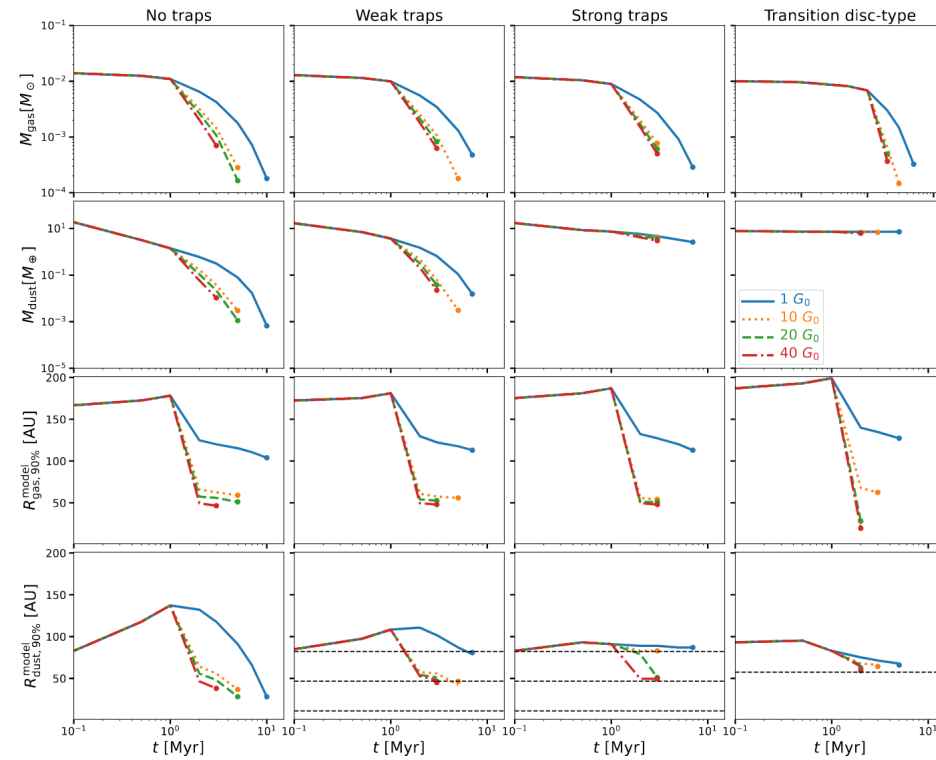
FUV



Anania 2025

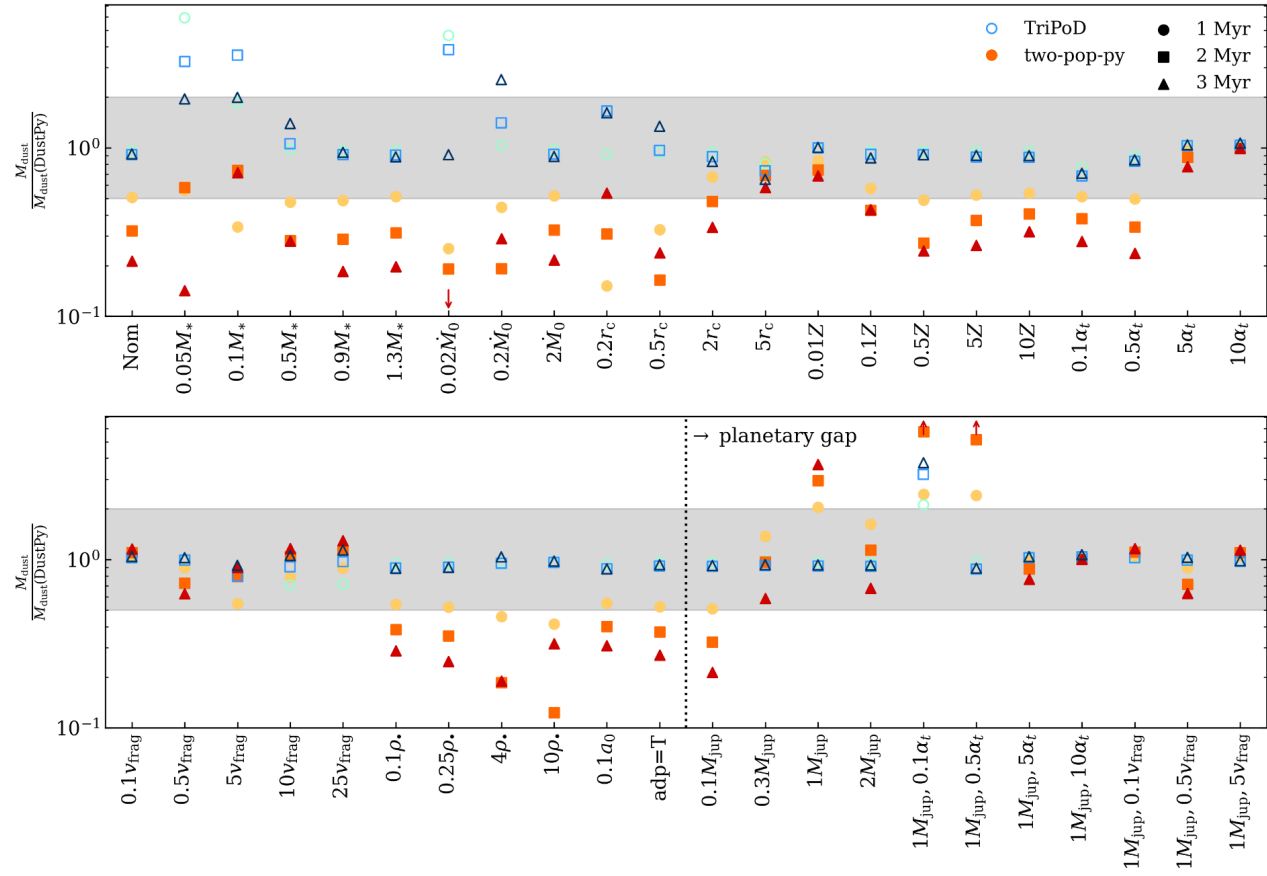


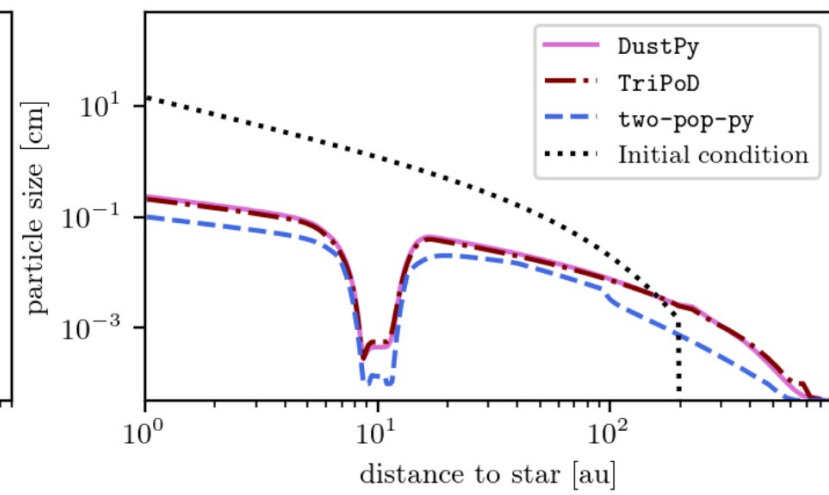
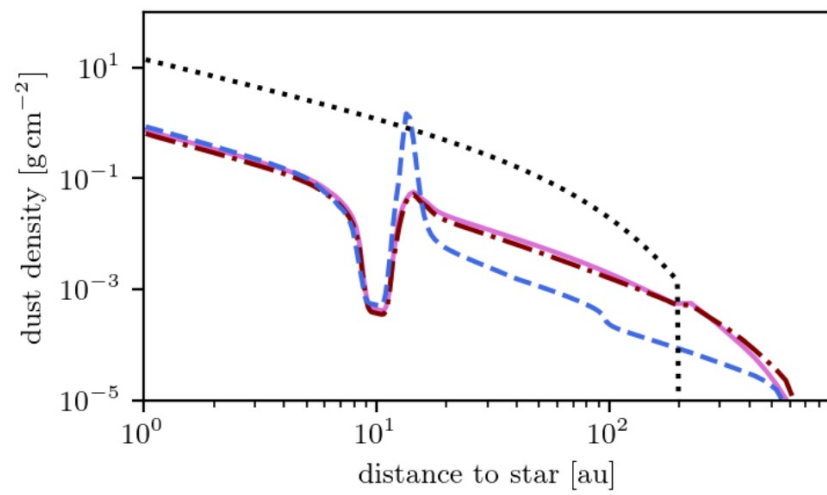
External photo evaporation



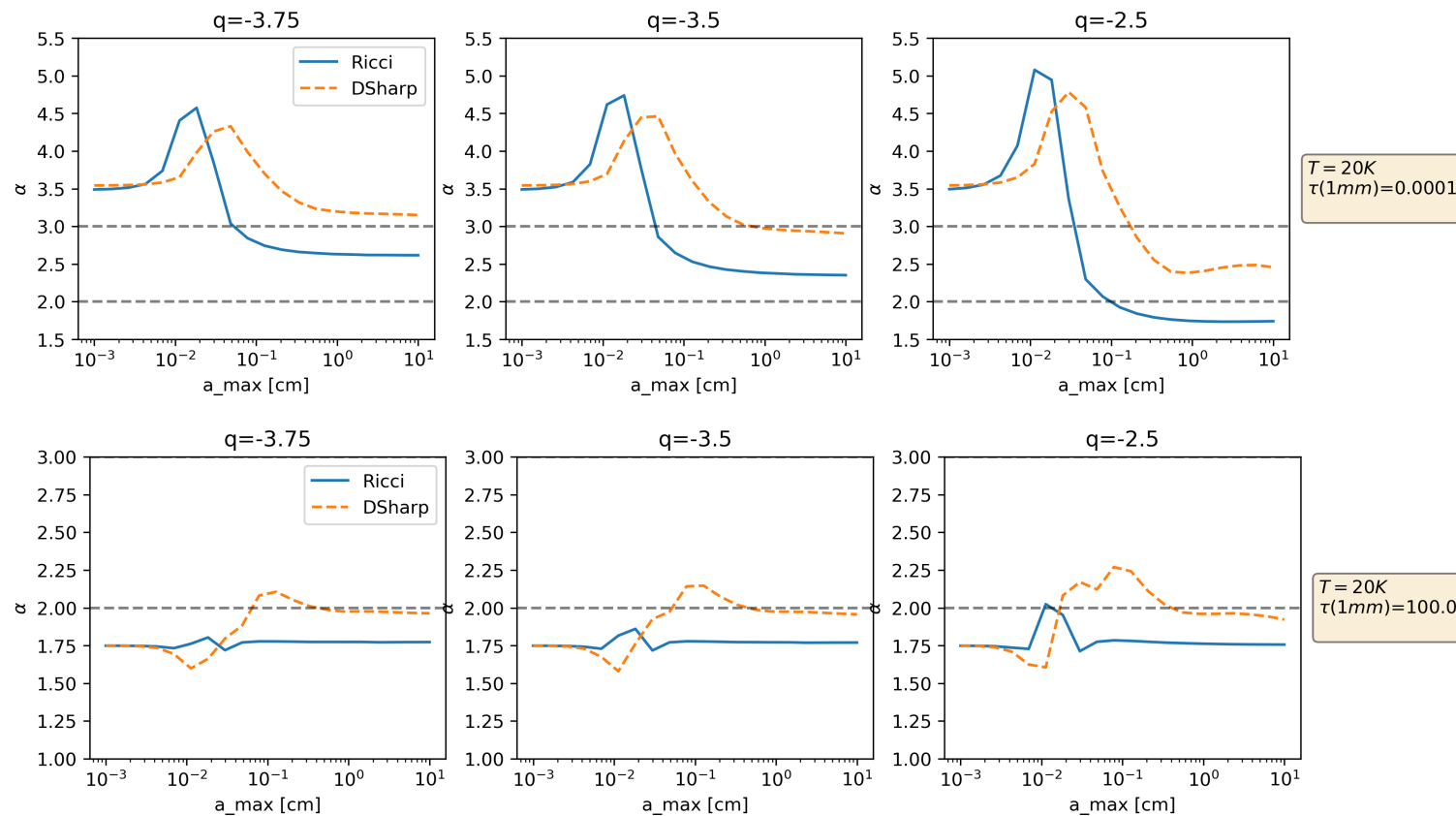
$M_* 0.3$

Pinilla+ 2025

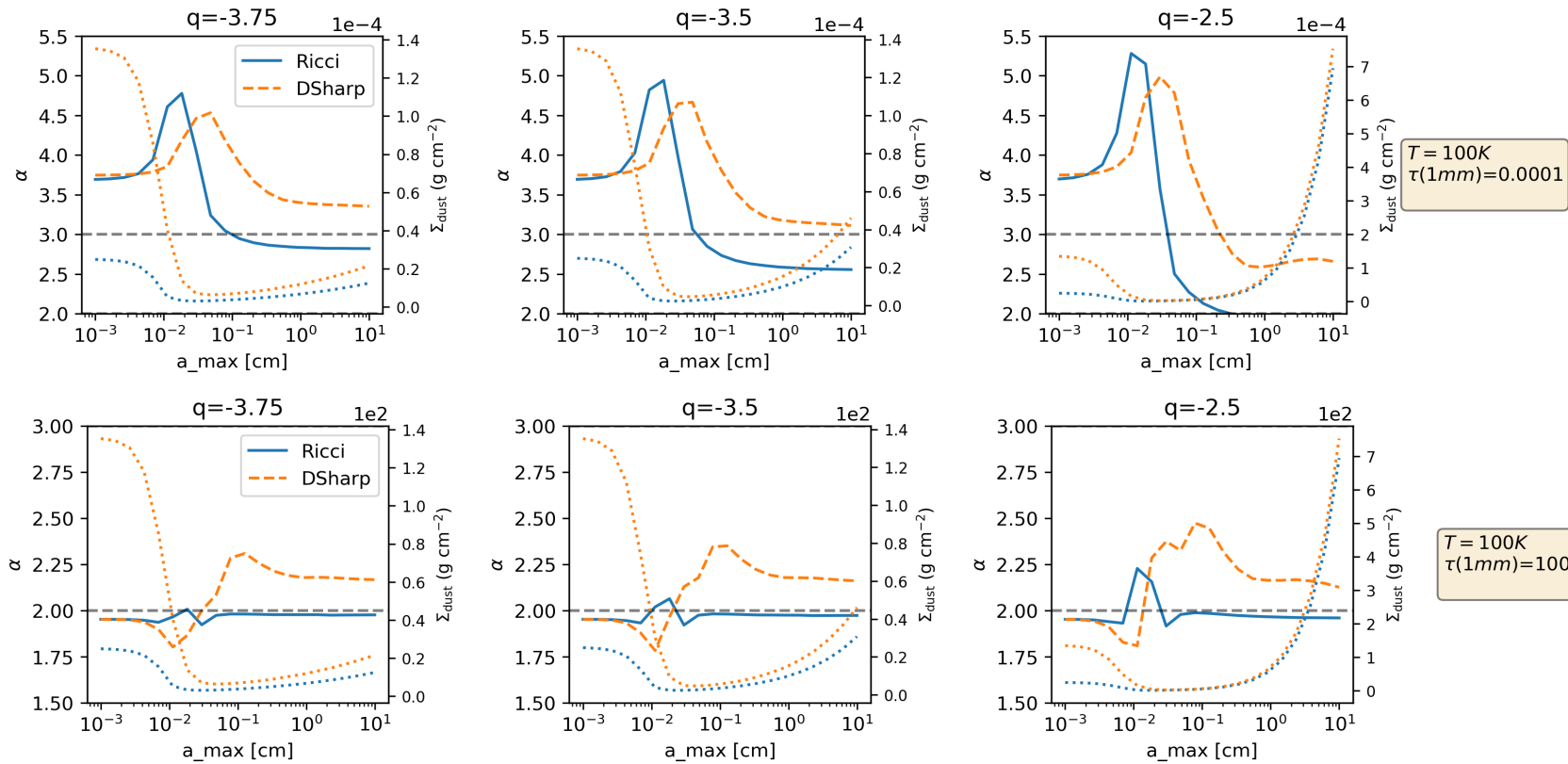


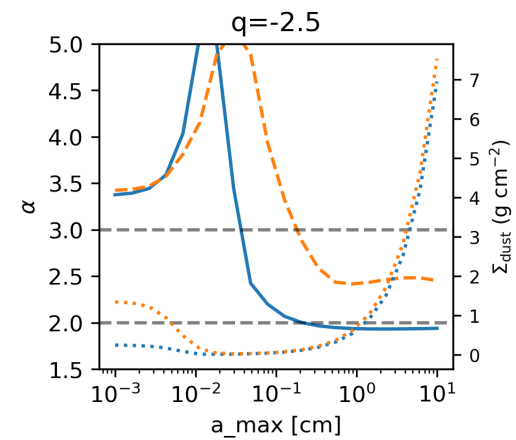
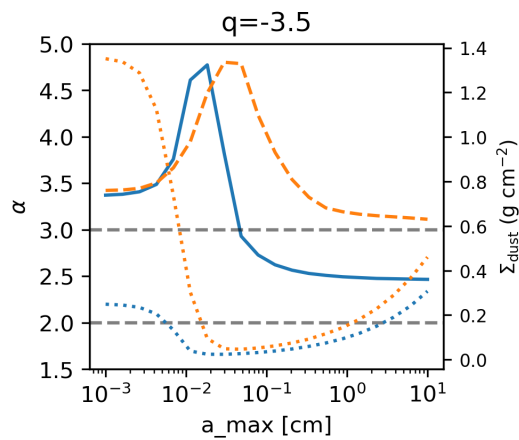
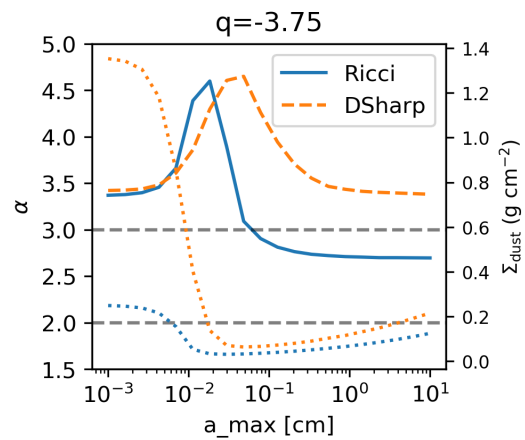


Temperature effect

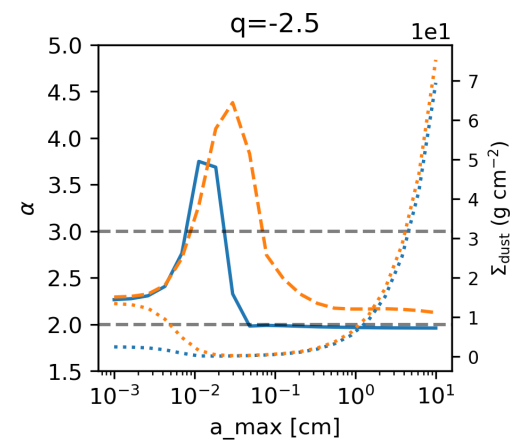
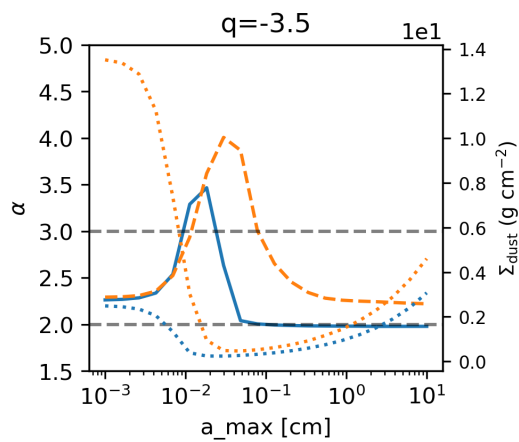
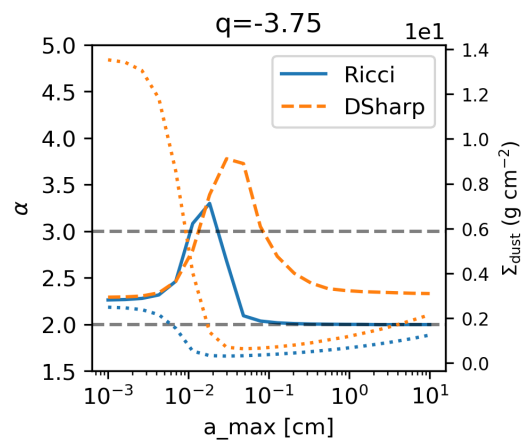


With Surface Density





$T = 100\text{K}$
 $\tau(1\text{mm}) = 1$



$T = 100\text{K}$
 $\tau(1\text{mm}) = 10$