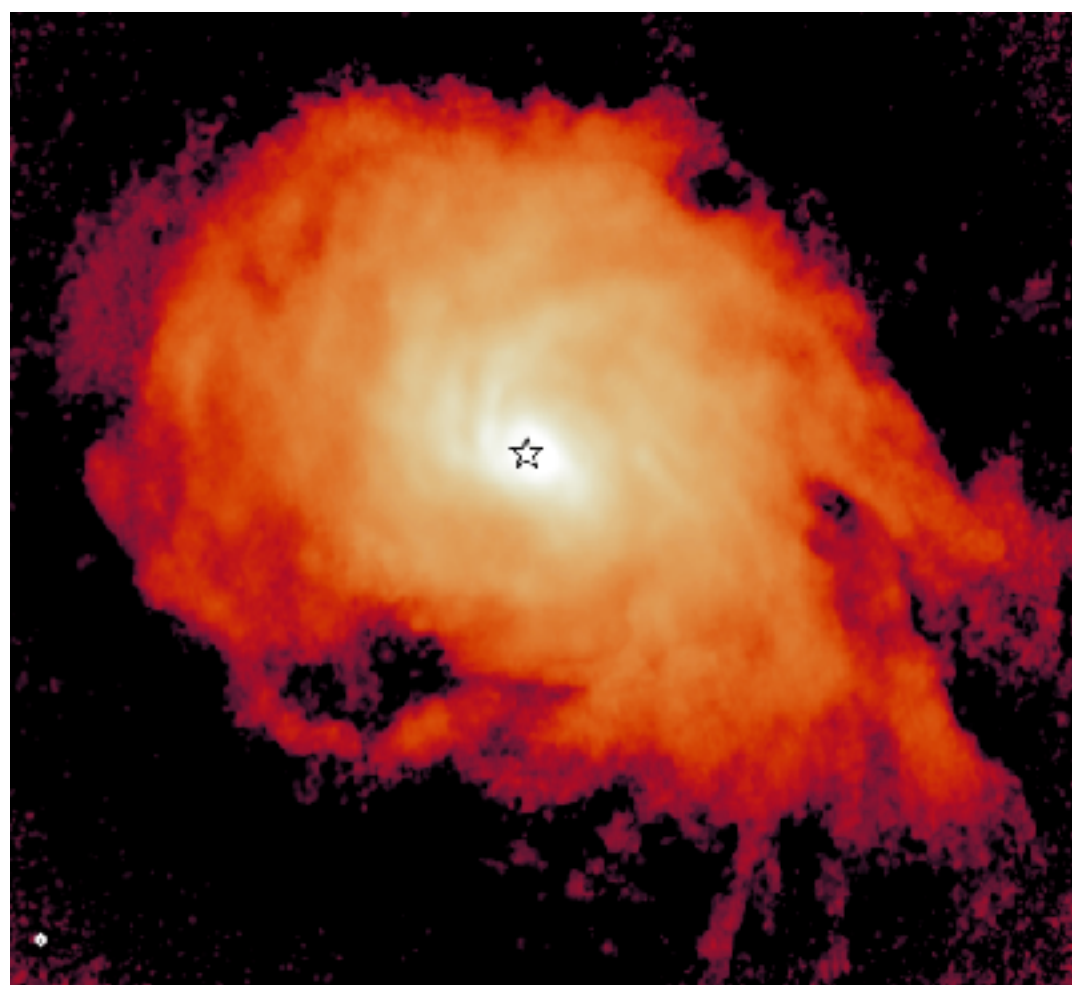
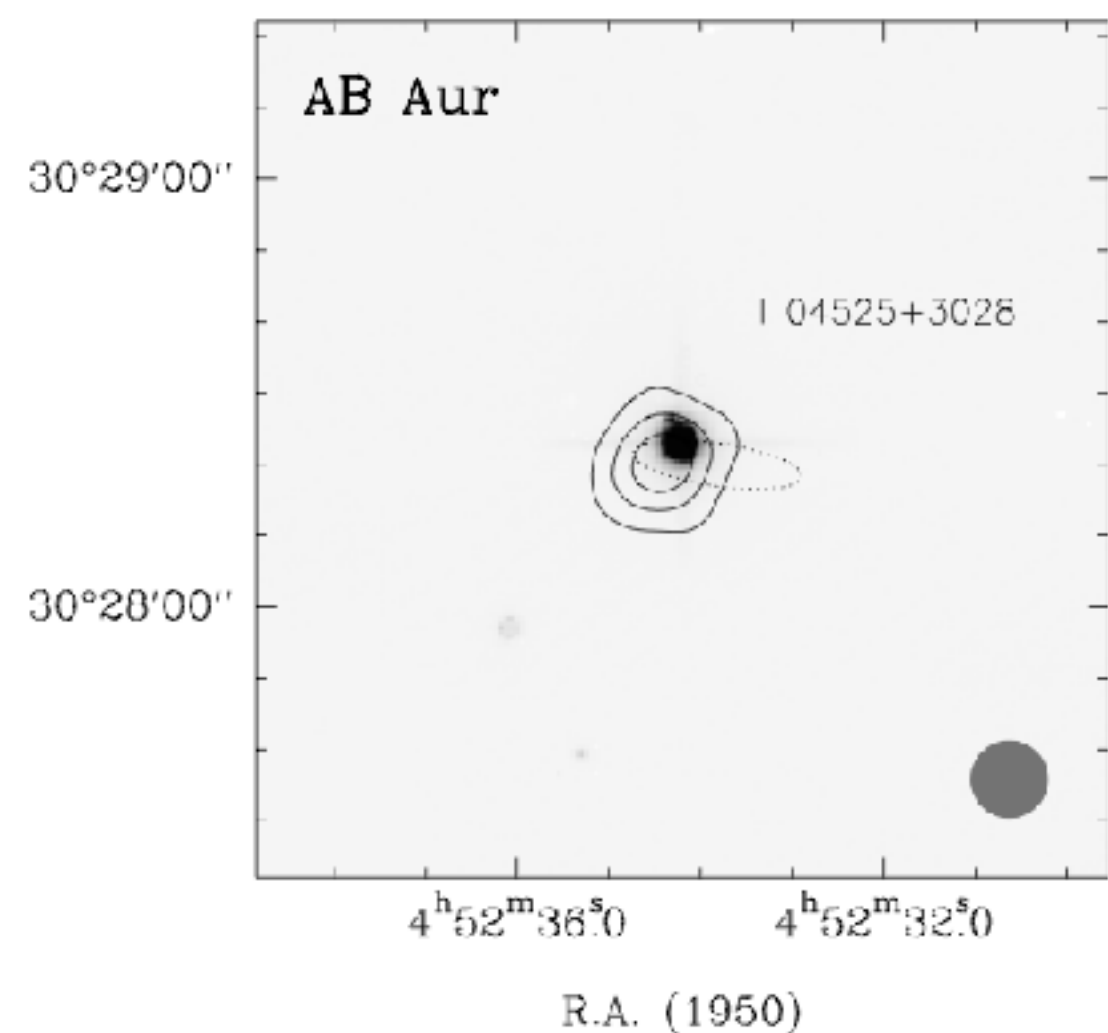


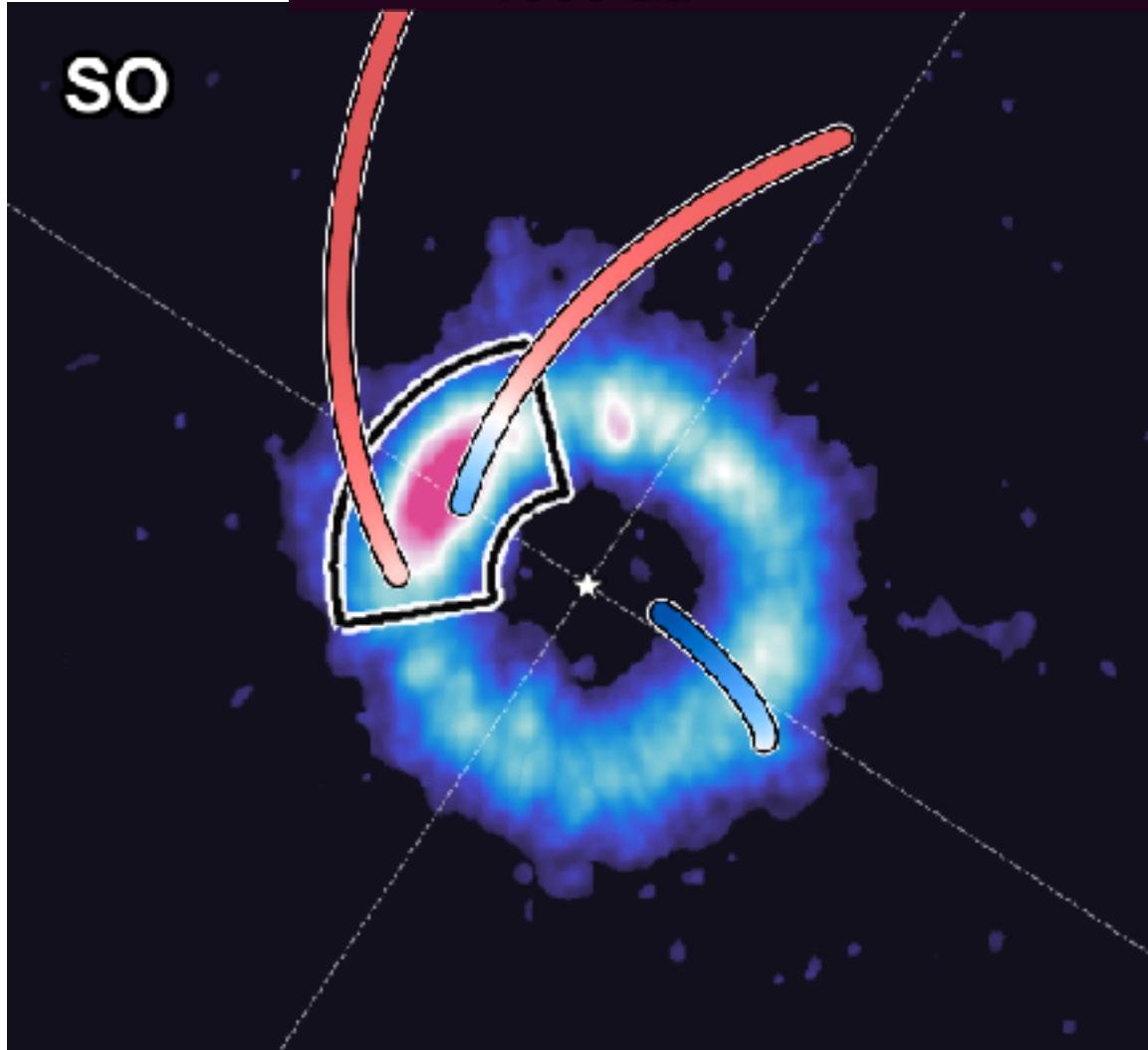
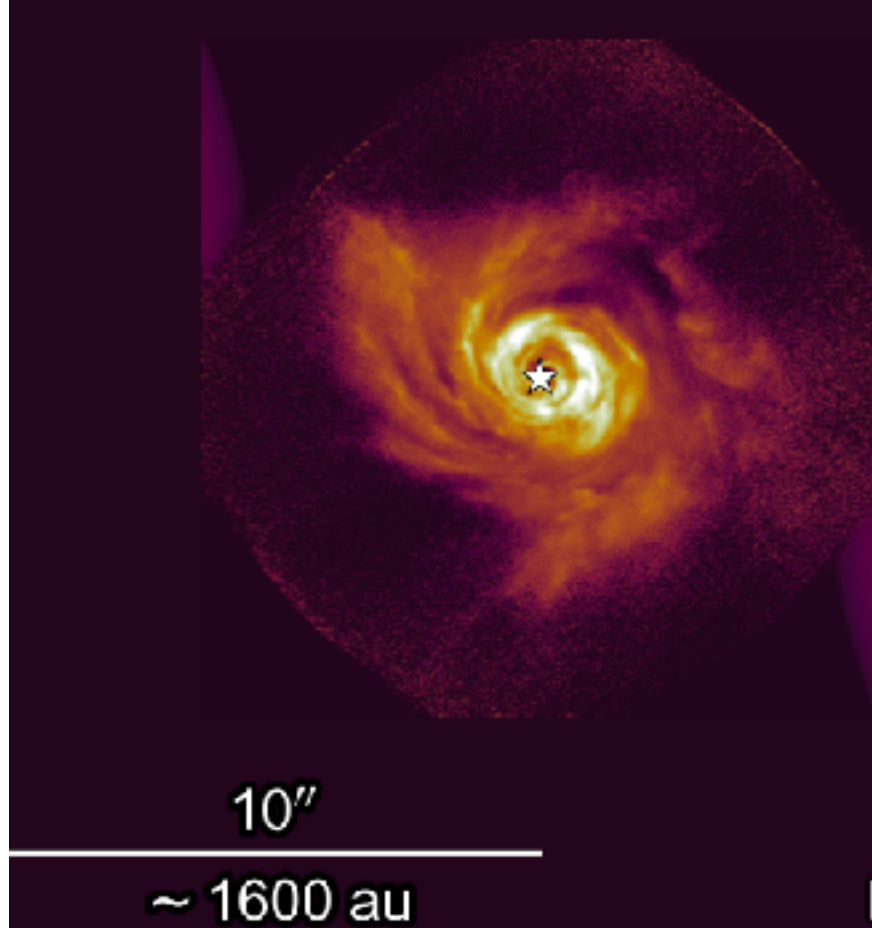
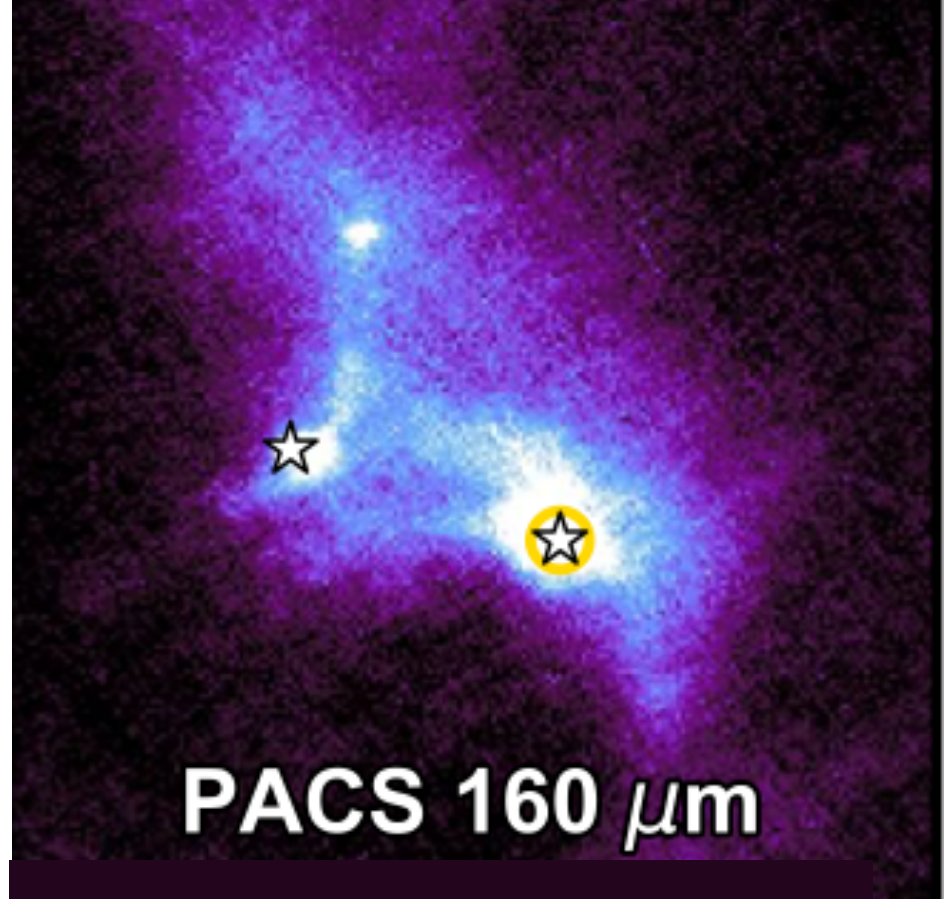
Getting Herbigger?

What can we learn from the Herbig lifetime problem



Speedie et al. 2024/2025

Boccalletti et al. 2020



Infrared imaging and millimetre continuum mapping of Herbig Ae/Be and FU Orionis stars*

Th. Henning¹, A. Burkert¹, R. Launhardt¹, Ch. Leinert², and B. Stecklum³

¹ Astrophysical Institute and University Observatory Jena, Schillergäßchen 2-3, D-07745 Jena, Germany (henning@astro.uni-jena.de)

² MPA Heidelberg, Königstuhl 17, D-69117 Heidelberg, Germany

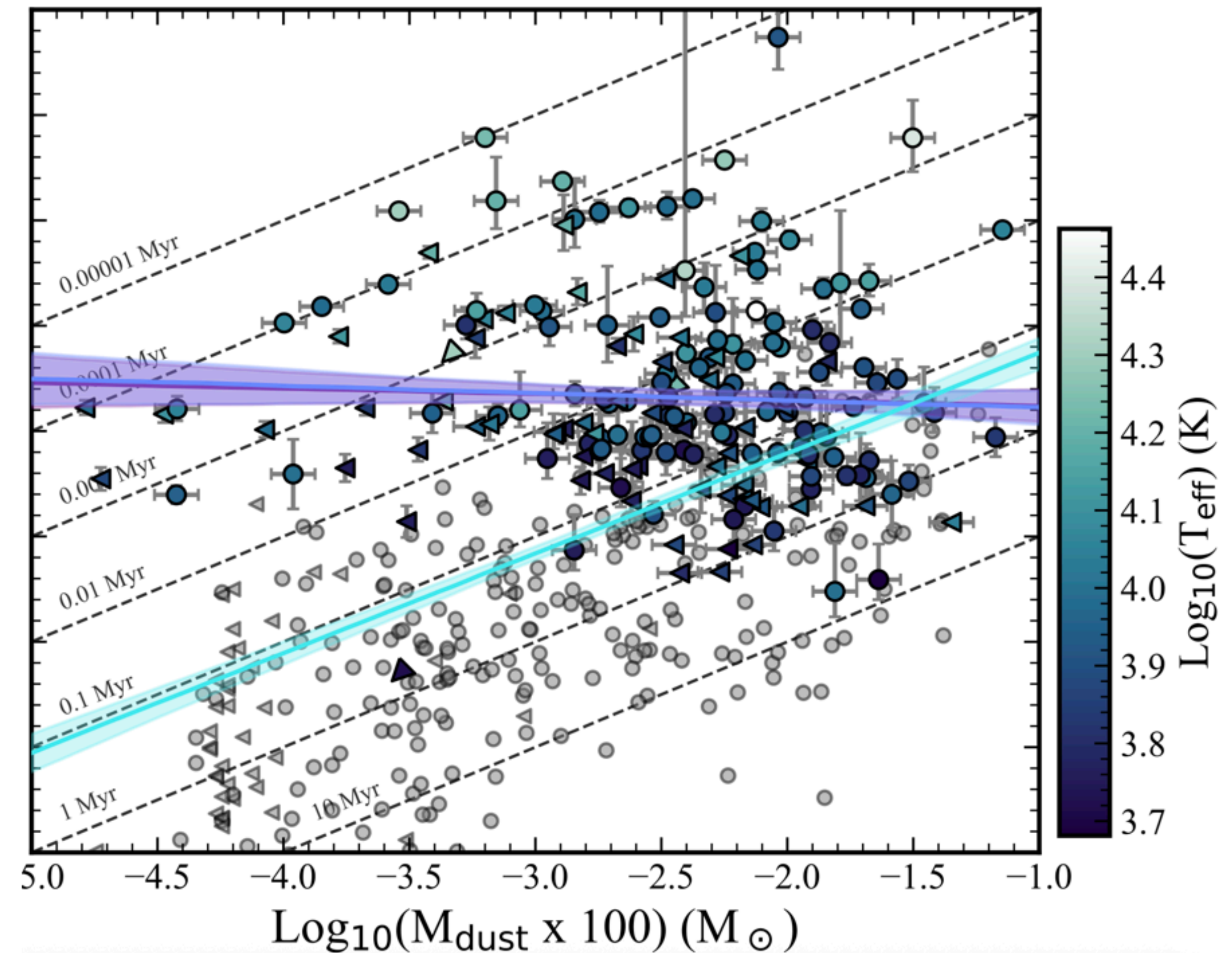
³ State Observatory of Thuringia, Sternwarte 5, D-07778 Tautenburg, Germany

Received 5 January 1998 / Accepted 27 April 1998

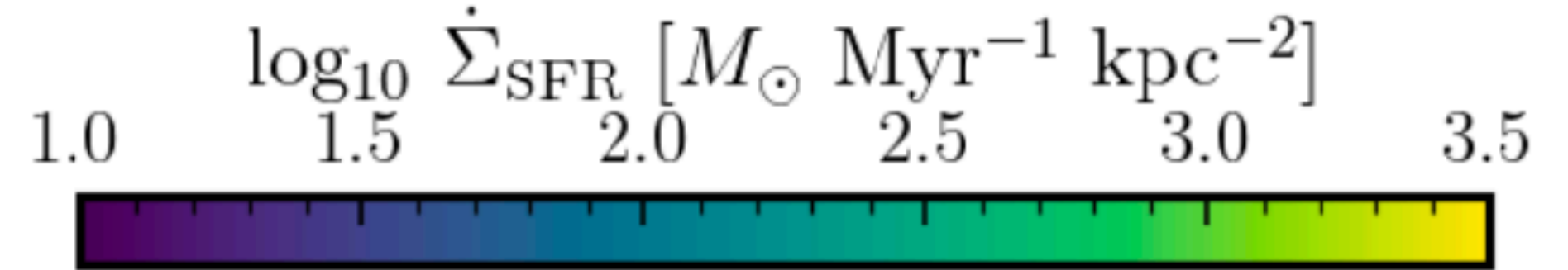
We found two different morphologies of the dust envelopes: 6 regions show a compact structure, whereas 12 regions are characterized by a core/envelope structure. The “disk” objects AB Aur and HD 163296 show only a compact core and are not surrounded by an extended envelope. We did not detect

An Herbig Lifetime Problem

- With standard assumptions, the disc mass / accretion rate time-scale very small
- How long do these Herbig discs live for?



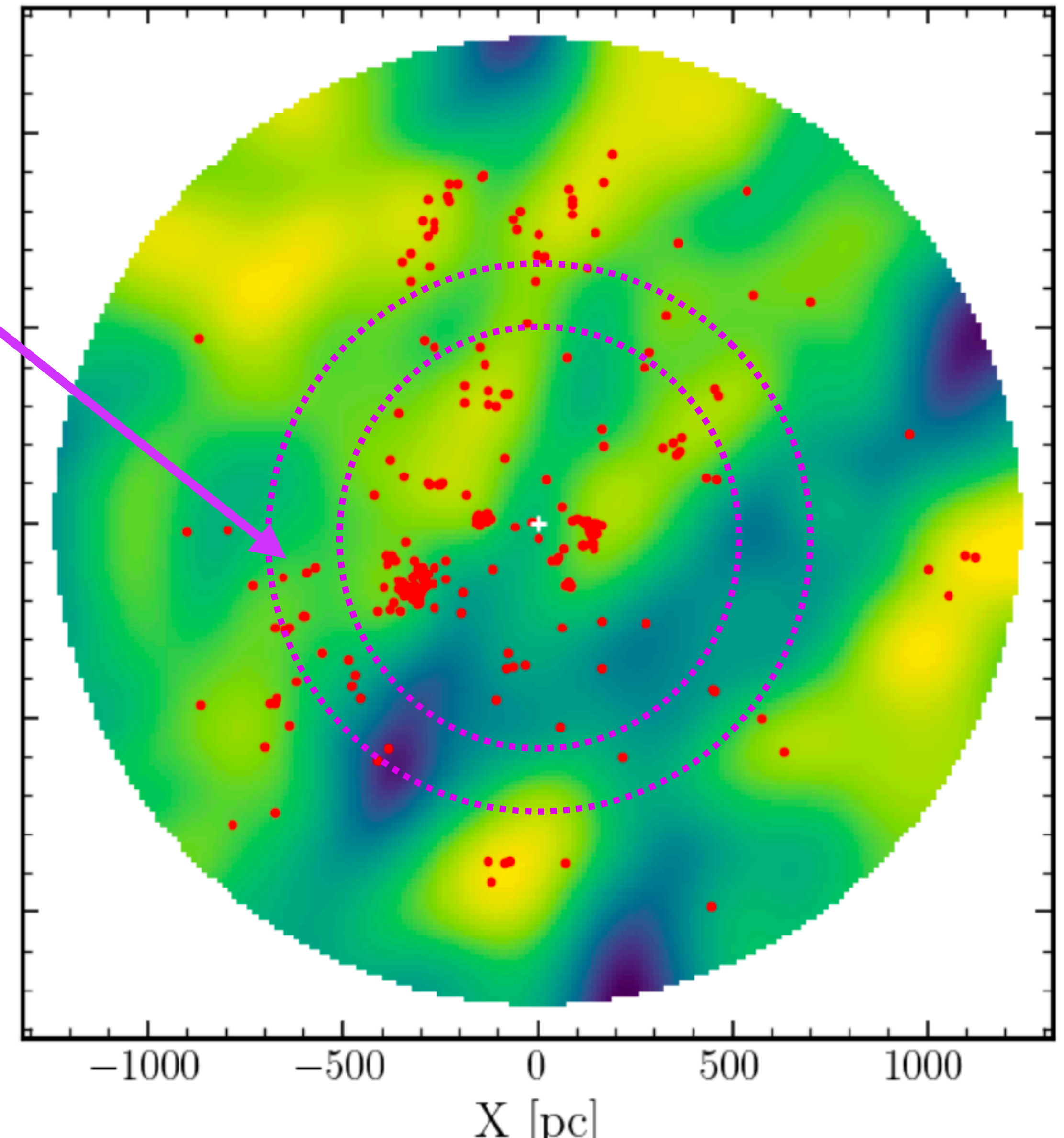
Herbig lifetimes



Stapper et al. (submitted)

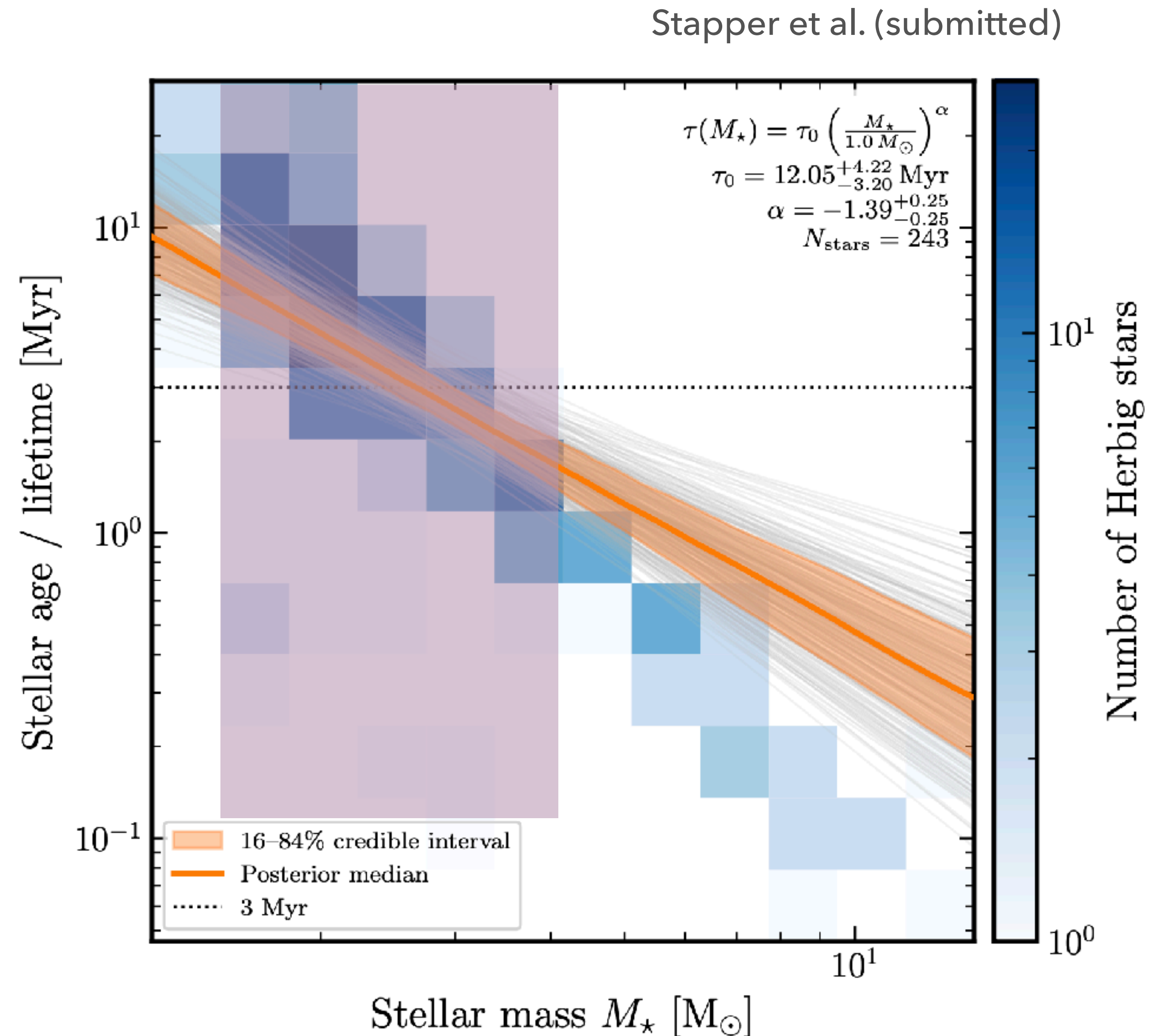
$$\frac{d\dot{N}_{\text{SFR}}}{dm_*} = \xi(m_*) \frac{\dot{\Sigma}_{\text{SFR}}}{\langle m_* \rangle}$$

- Assume complete very nearby
- Calculate how many formed from star formation rate
- Calculate required lifetime to give number :
 $d\dot{N}(m_*) = 0 = d\dot{N}_{\text{SFR}} - dN_{\text{SFR}}(m_*)/\tau_{\text{lifetime}}(m_*)$
- Fit mass dependent completeness and lifetime



Lifetime vs. H—R fit

- Counting predicts ~ 5 Myr disc lifetime for ~ 2 solar mass stars
- (Surprisingly?) good agreement between HR fit and lifetime from counting



Model? Principles

- **“All models are wrong, some are useful”** — George Box
- Population synthesis — we learn more from what we cannot fit than what we can!
- *Herbig sample: can assume **uniform age distribution** , **know lifetime**, ~close to **complete within 500 pc***

Canonical models

○ = distribution

○ = single value

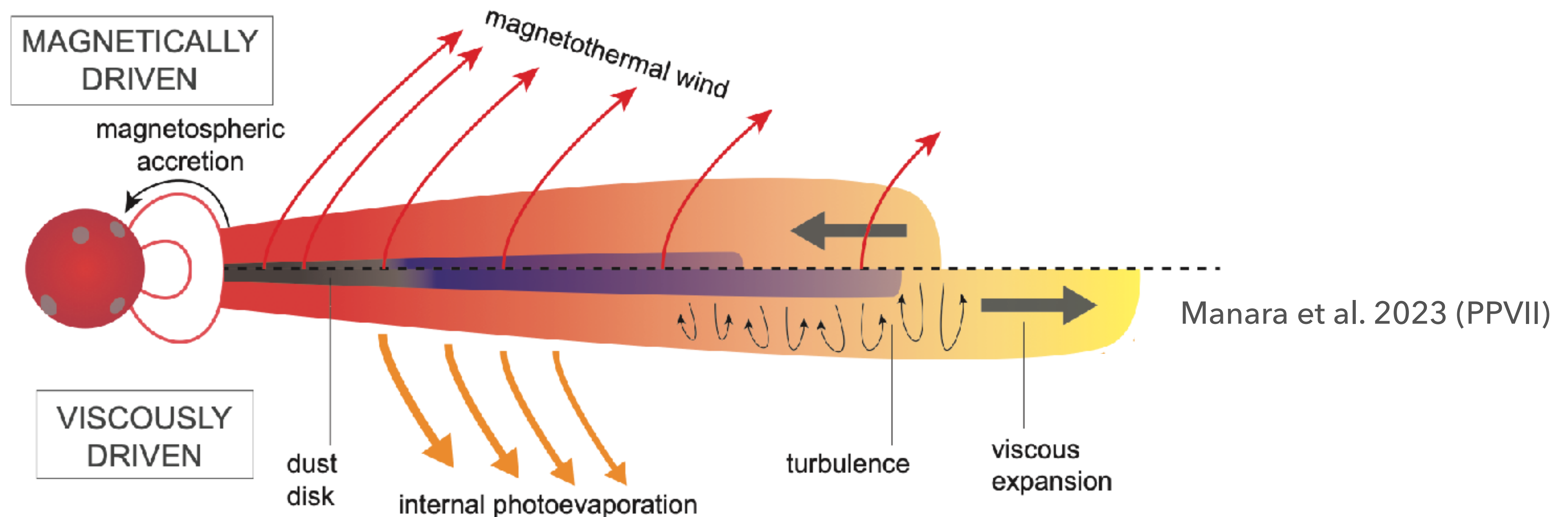
$$\frac{dM}{dt} = -\frac{M}{2(t_\nu + t)} - \dot{M}_{\text{wind}}$$

$$M(t_1) = \frac{M(t_0)\sqrt{t_\nu + t_0} - \frac{2}{3}\dot{M}_{\text{wind}}[(t_\nu + t_1)^{3/2} - (t_\nu + t_0)^{3/2}]}{\sqrt{t_\nu + t_1}}$$

$$\dot{M}_* = M/[2(t_\nu + t)]$$

$$M(t) = M_0 \left[1 - \frac{\omega t}{2t_{\text{acc}}} \right]^{1/\omega}$$

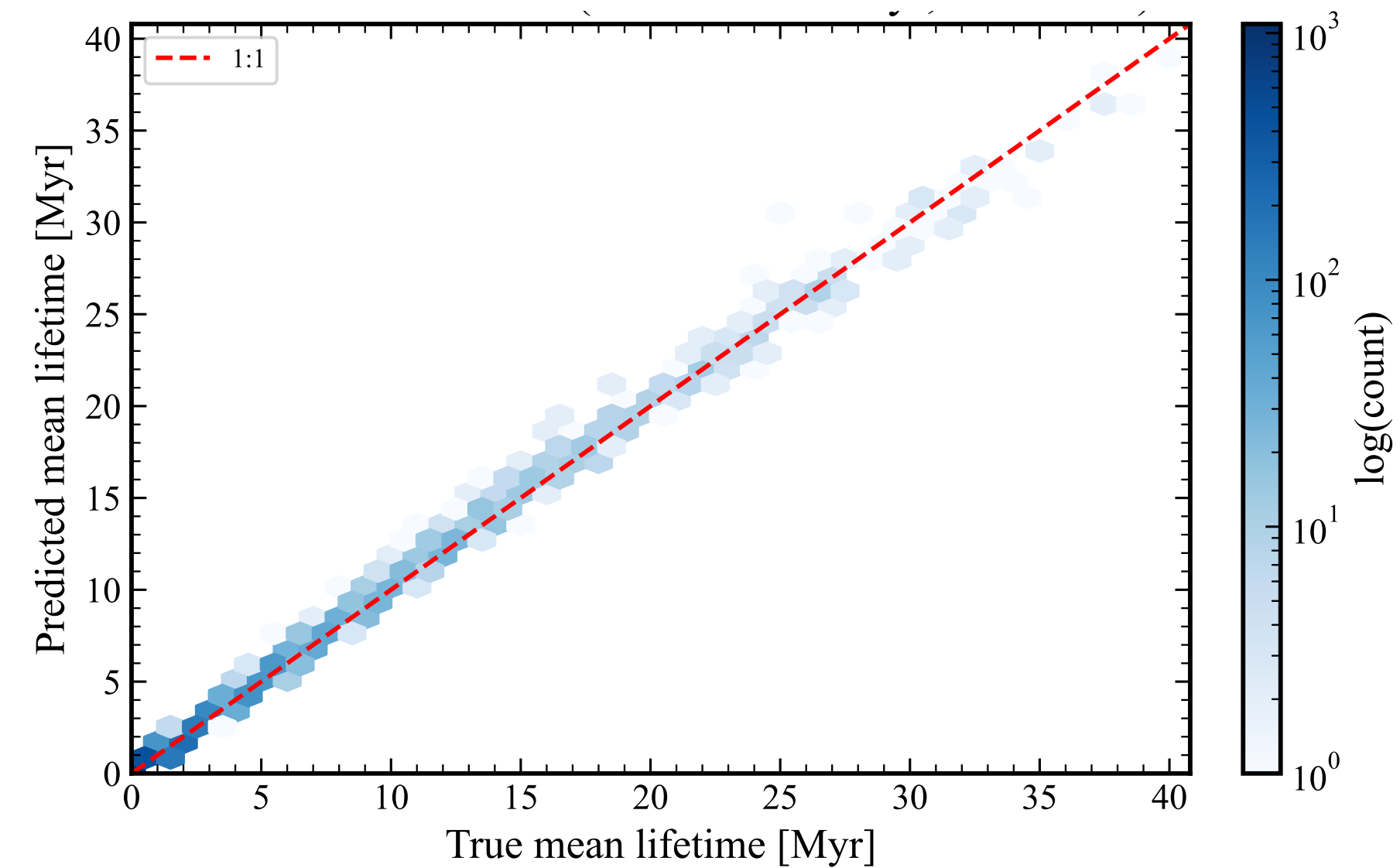
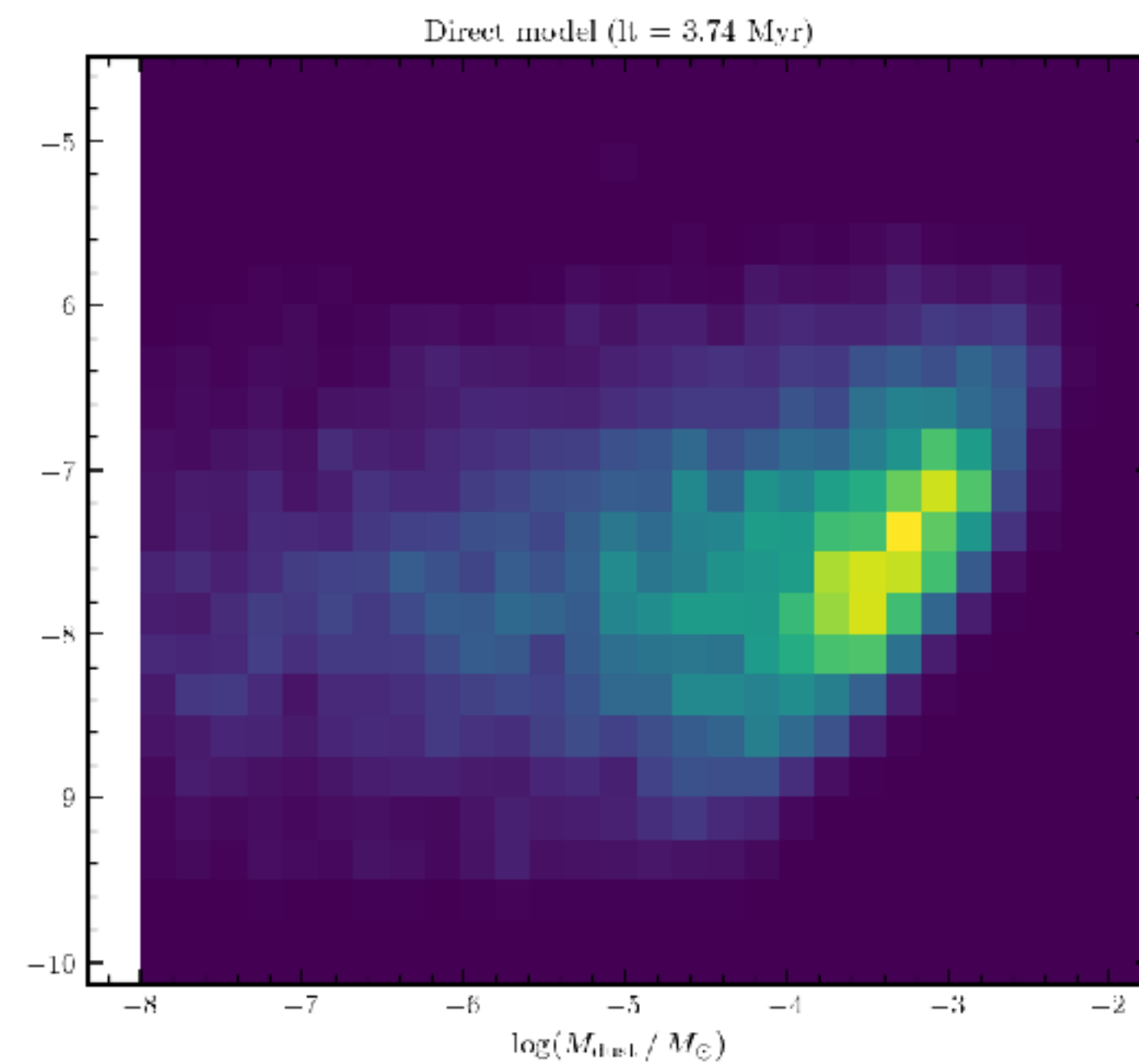
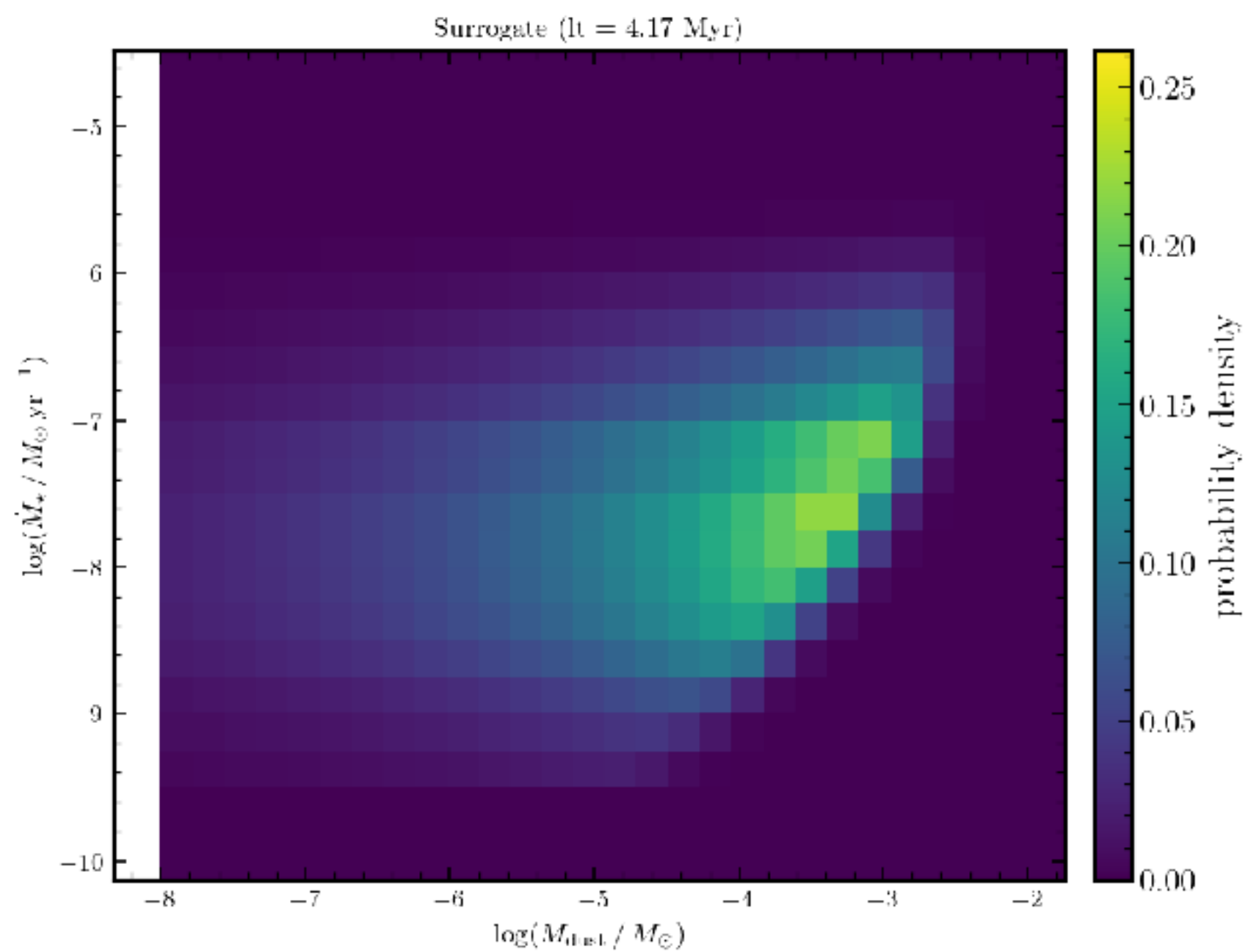
$$\dot{M}_* = M/[(1 + f_M) \cdot 2t_{\text{acc}}]$$



Strategy

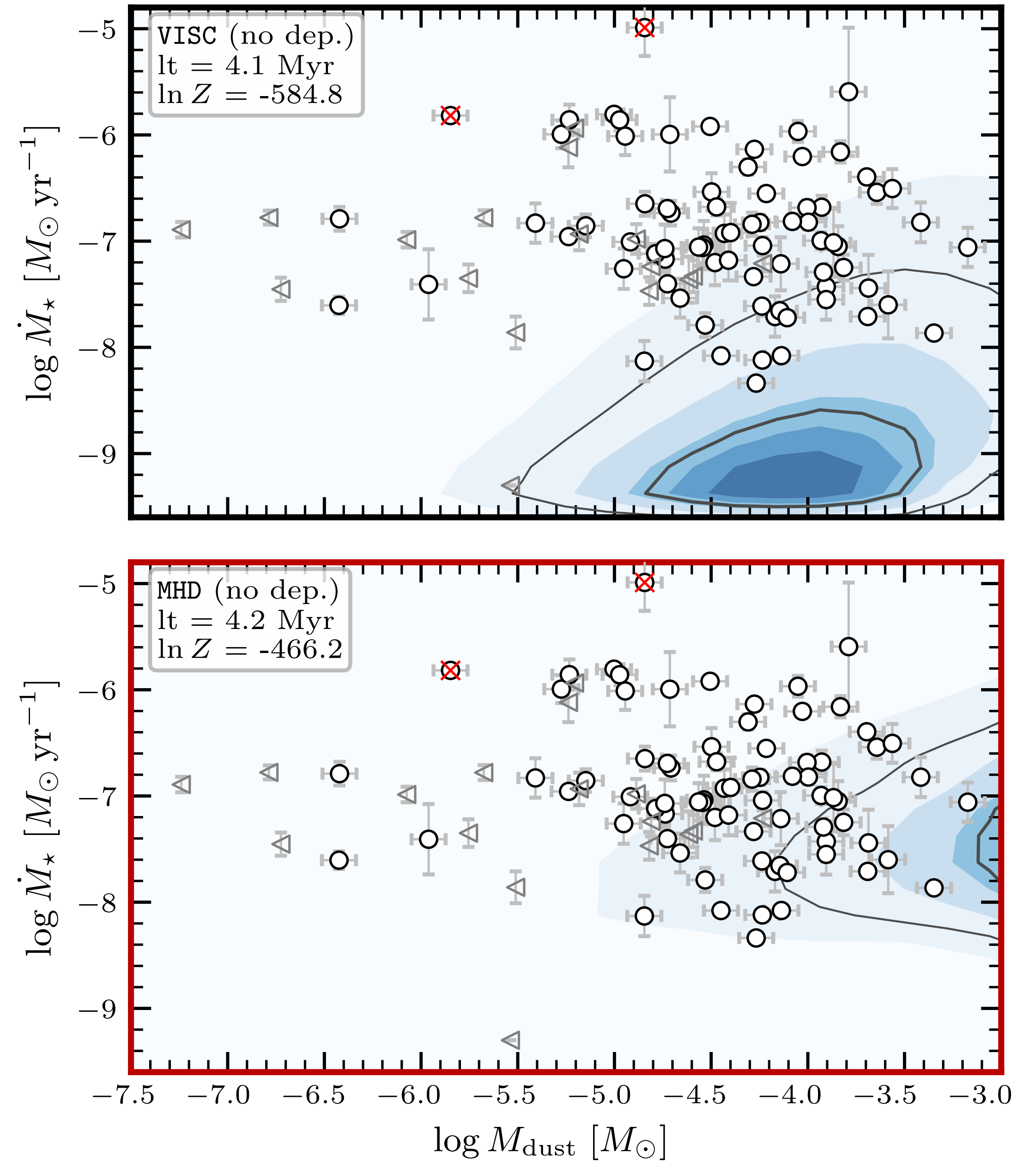
Problem: *large number of parameters, high dimensionality, multi-modal likelihood space, **stochasticity*** $\rightarrow$ Need a deterministic function $\rightarrow$ NN Surrogate

Grid of parameters $— 2^{15} \rightarrow$ Draw populations $— 2 \times 10^4 \rightarrow$ Train CNN surrogate $\rightarrow$ Nested sampling



Canonical models

- Impossible!

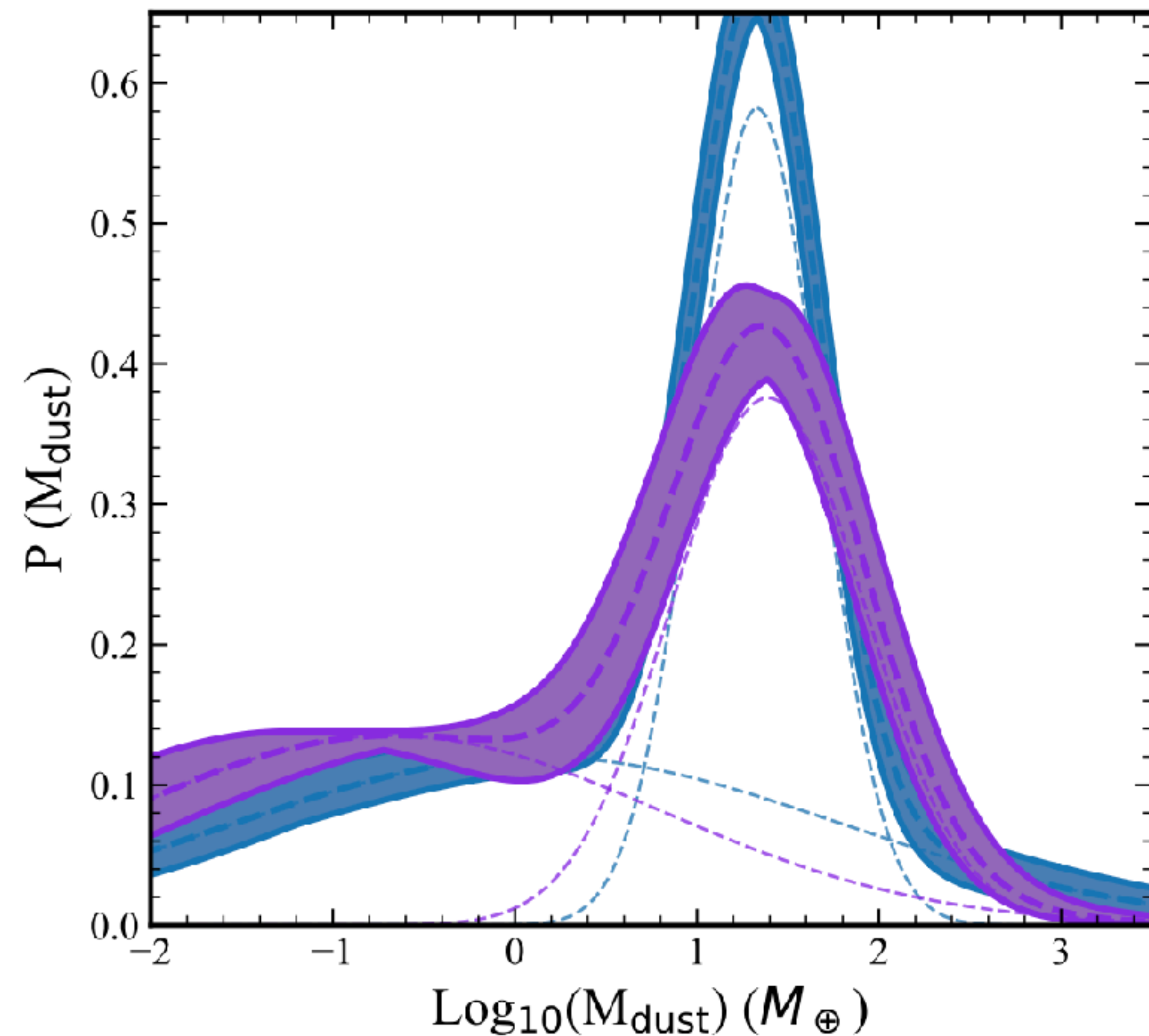
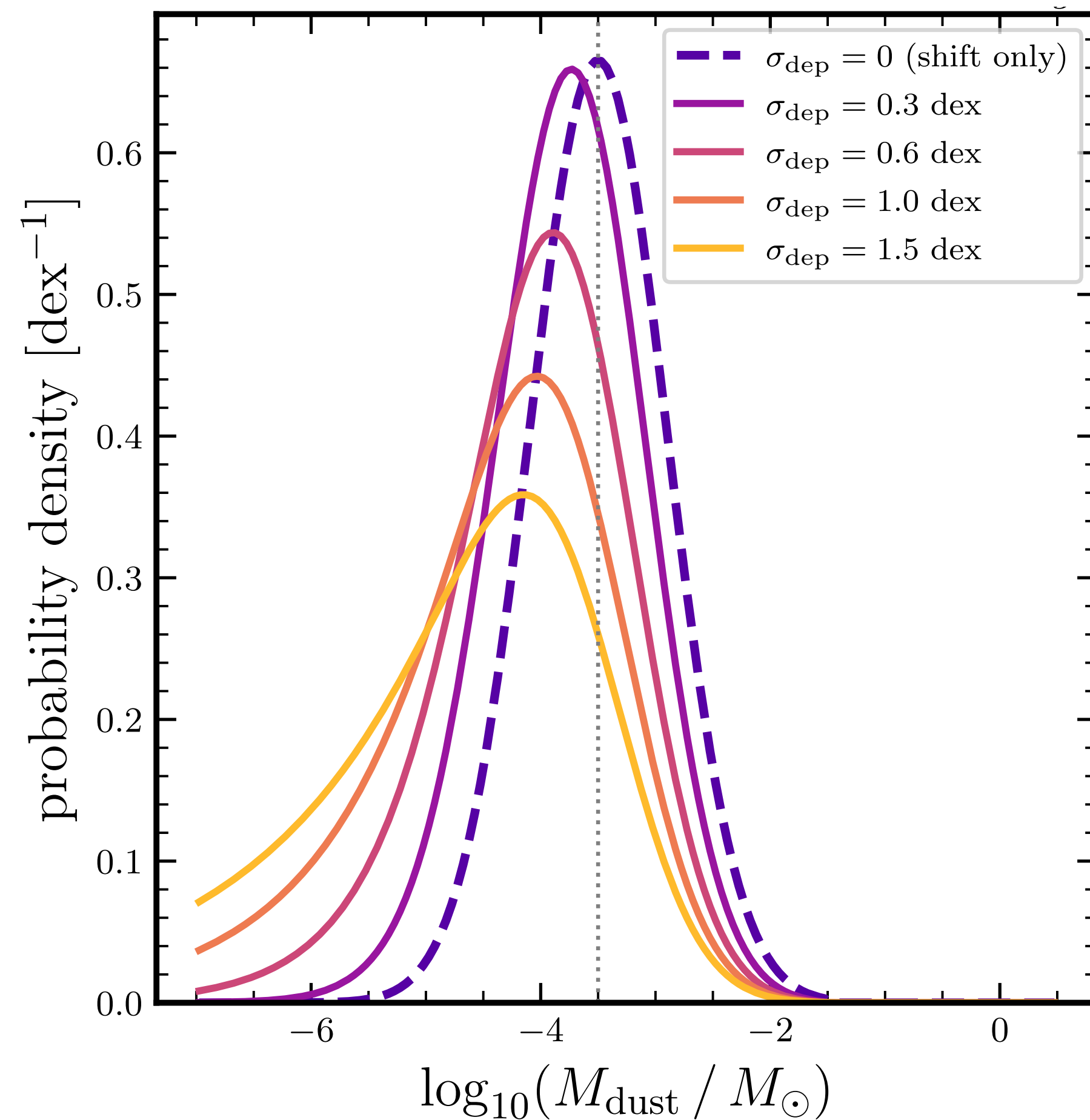


Dust depletion?

- Apparent depletion of dust in a fraction of the Herbig discs... $\sigma_{\text{dep}} \in [0, 2]$

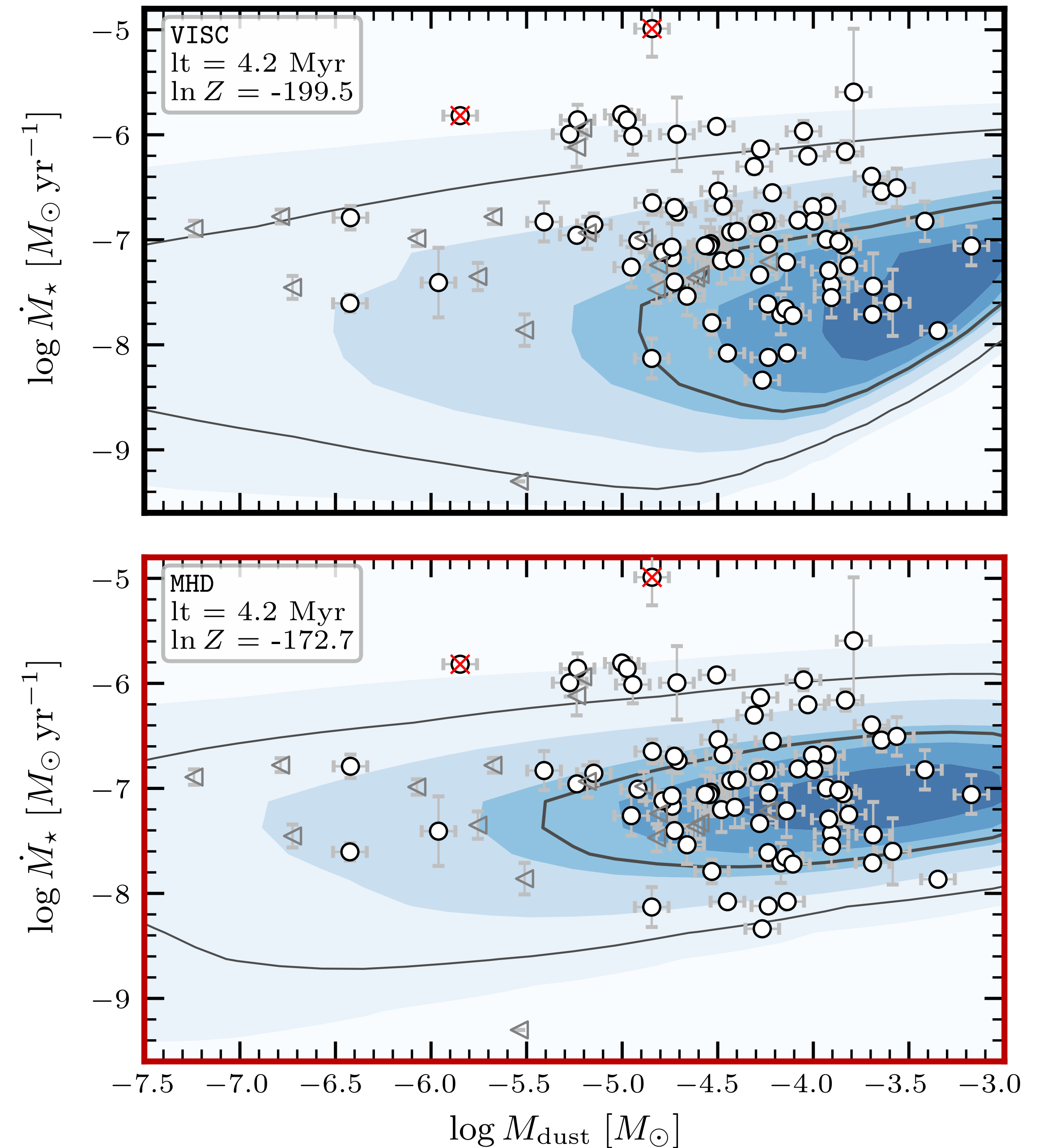
$$M_{\text{dust}} = \delta_{\text{dtg}} M_{\text{gas}} 10^{-\delta}$$

$$\delta \sim \text{Exp}(\sigma_{\delta})$$



Dust depletion

- With dust depletion, models immediately improved but...
- Maxes out $\sigma_{\text{dep}} \approx 2$, still predicts too much dust
- Requires extremely massive discs
- Misses high accretors
- **Keep dust depletion in all models**



A simple variability model

Vorobyov & Basu 2008

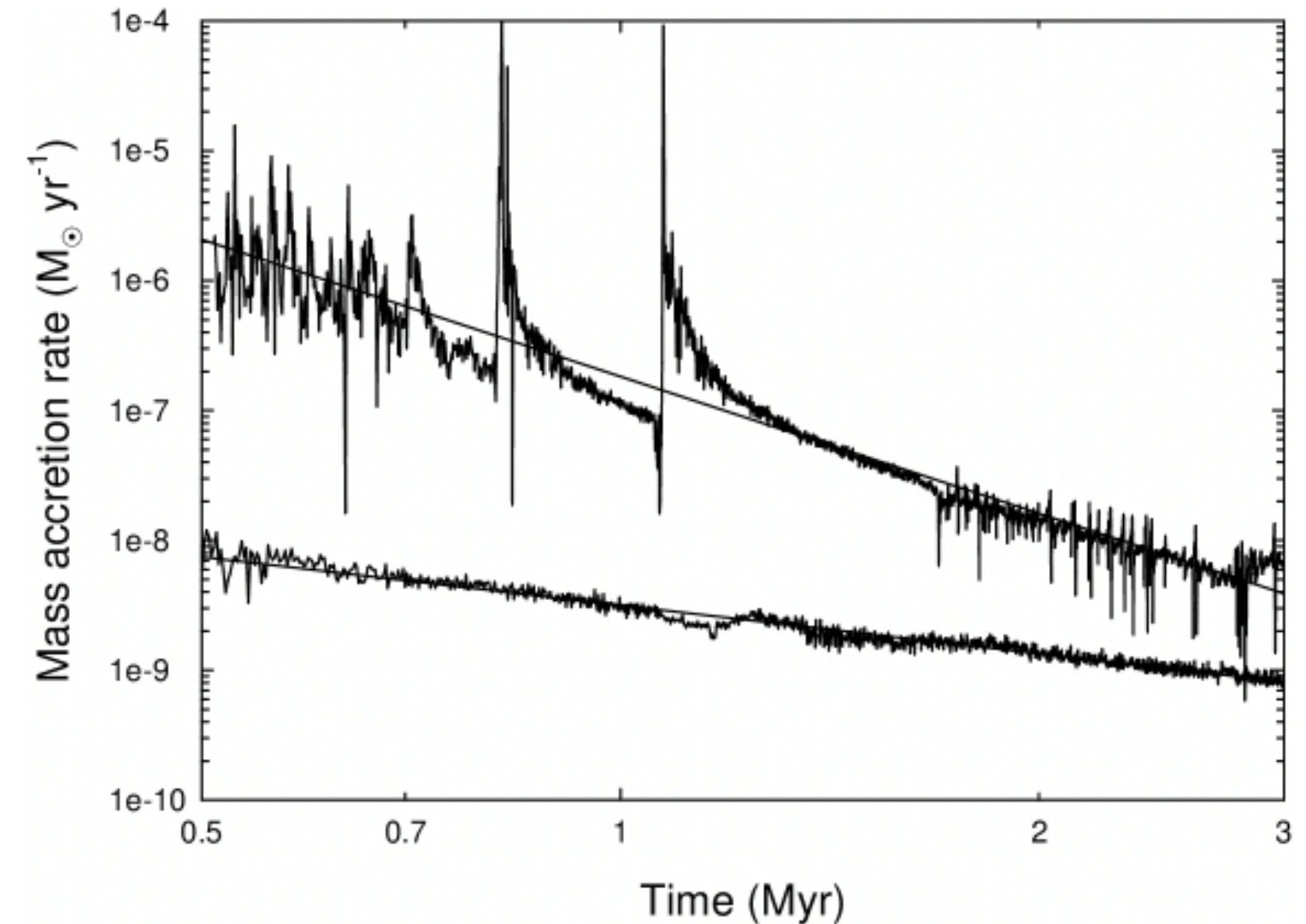
$$\lambda(t) = \frac{1}{\tau_{\text{rep},0}} \exp\left(-\frac{t}{\tau_{\text{SF}}}\right)$$

$$\log_{10} \Delta M_k = \log_{10} \langle \Delta M_0 \rangle - \frac{t_k}{\tau_{\text{SF}} \ln 10} + \sigma_{\Delta M} \mathcal{N}(0, 1)$$

$$M_{\text{burst}}(t) = M_{\text{burst}}(t_{\text{prev}}) \exp(-\Delta t / \tau_{\text{burst}})$$

Viscous

$$t_{\text{eff}} = \max\left(0, t_{\nu} \left[\left(\frac{M_0}{M_{\text{new}}}\right)^2 - 1\right]\right)$$

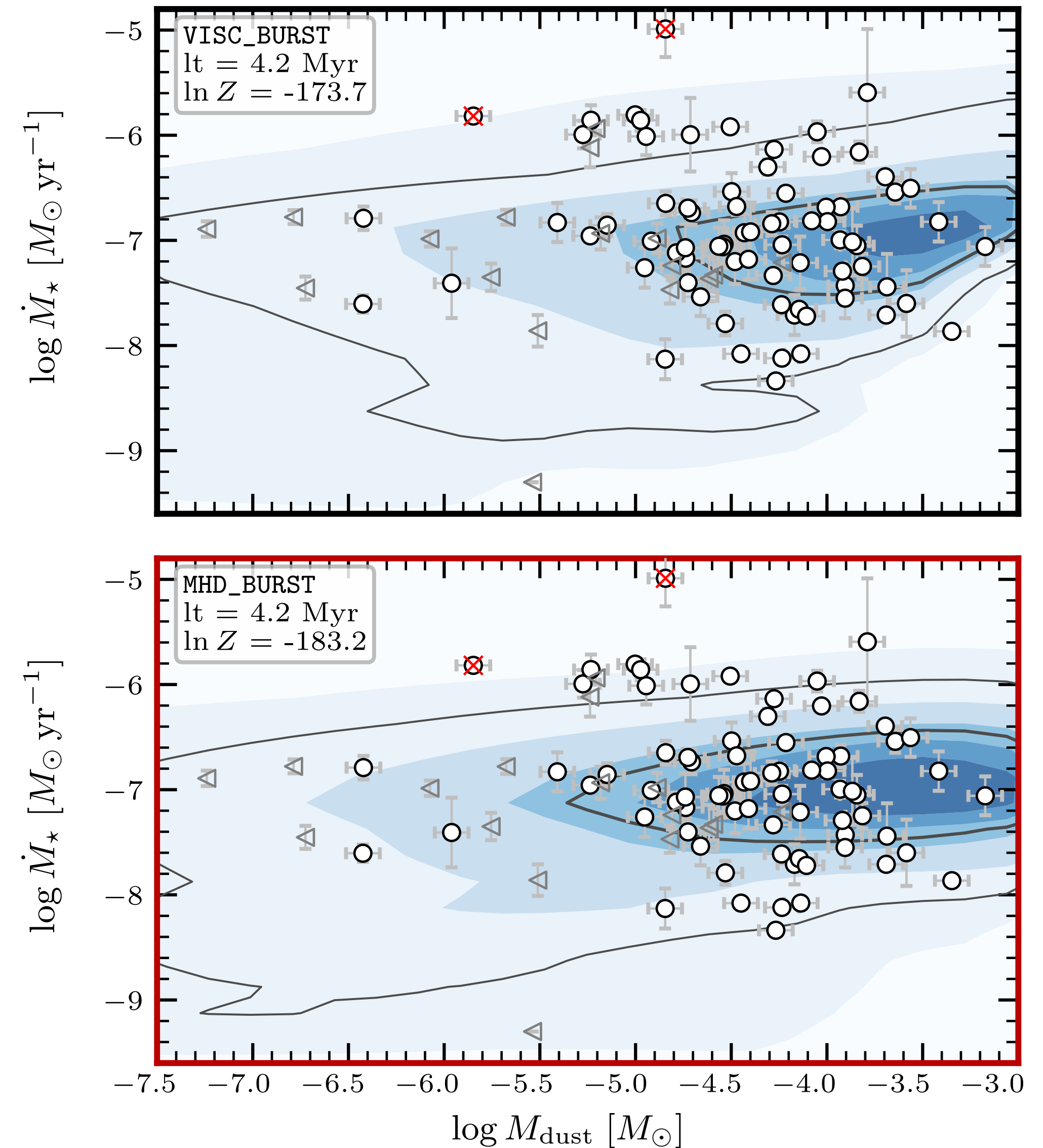


MHD

$$\dot{M}_*(t) = \frac{M(t)}{(1 + f_M) \cdot 2t_{\text{acc}}}, \quad \text{so} \quad \frac{\dot{M}_*}{M} = \frac{1}{(1 + f_M) \cdot 2t_{\text{acc}}} = \text{const.}$$

Variable accretion

- Variable accretion with dust depletion, models slightly better for high accretors
- Bulk population — very high average accretion rates/low time-scales, difficult to fit



A simple replenishment model

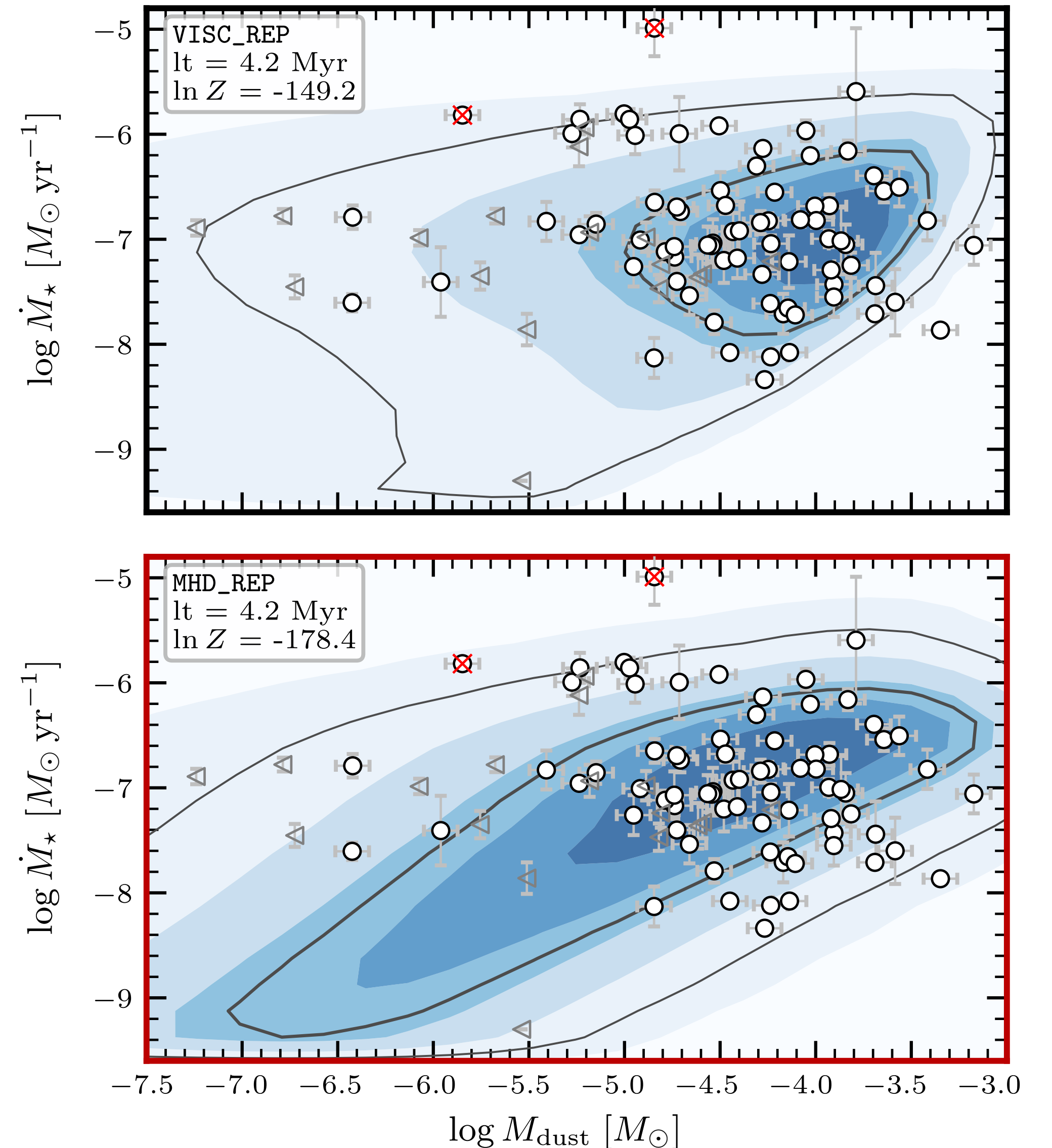
Same as variable accretion but **add** mass, and do not have burst period

$$\lambda(t) = \frac{1}{\tau_{\text{rep},0}} \exp\left(-\frac{t}{\tau_{\text{SF}}}\right)$$

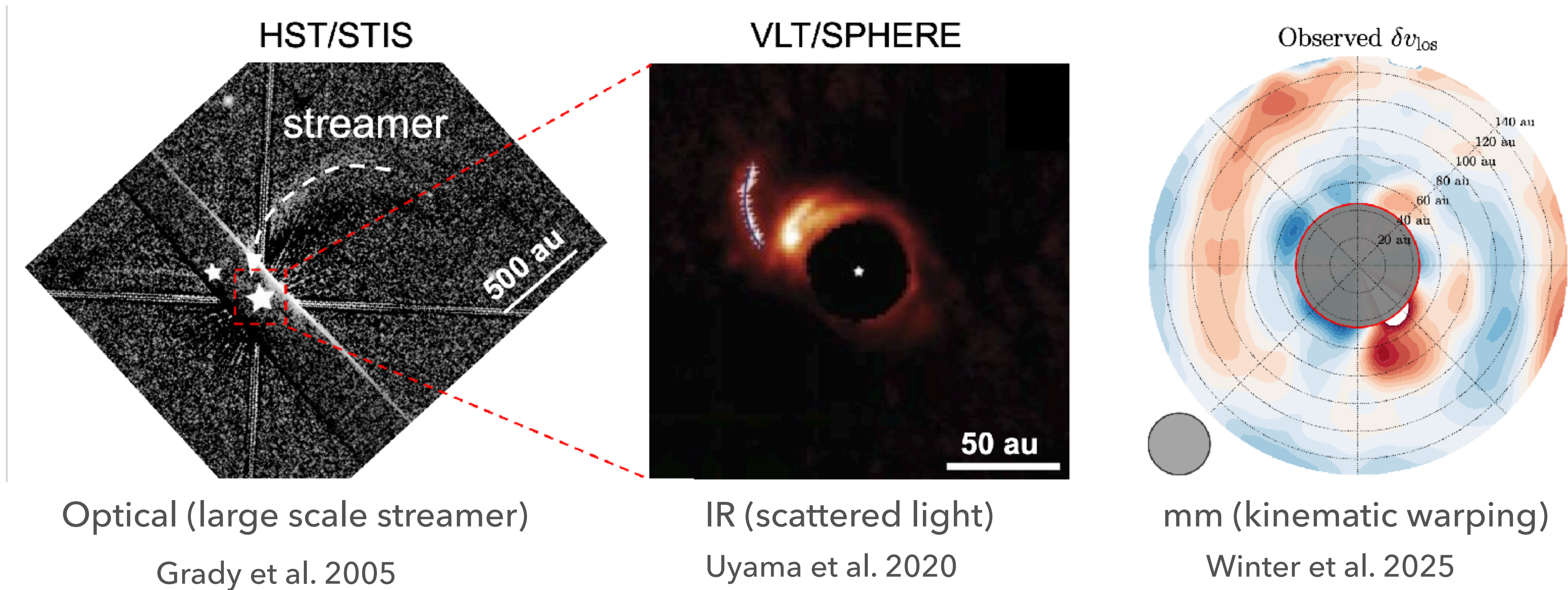
$$\log_{10} \Delta M_k = \log_{10} \langle \Delta M_0 \rangle - \frac{t_k}{\tau_{\text{SF}} \ln 10} + \sigma_{\Delta M} \mathcal{N}(0, 1)$$

With replenishment

- Improves both models
- MHD models do not have photoevaporative wind — over predict low accretors
- Initially infall at $\sim 10^{-6} M_{\odot} \text{ yr}$, decays over $\sim 3 \text{ Myr}$

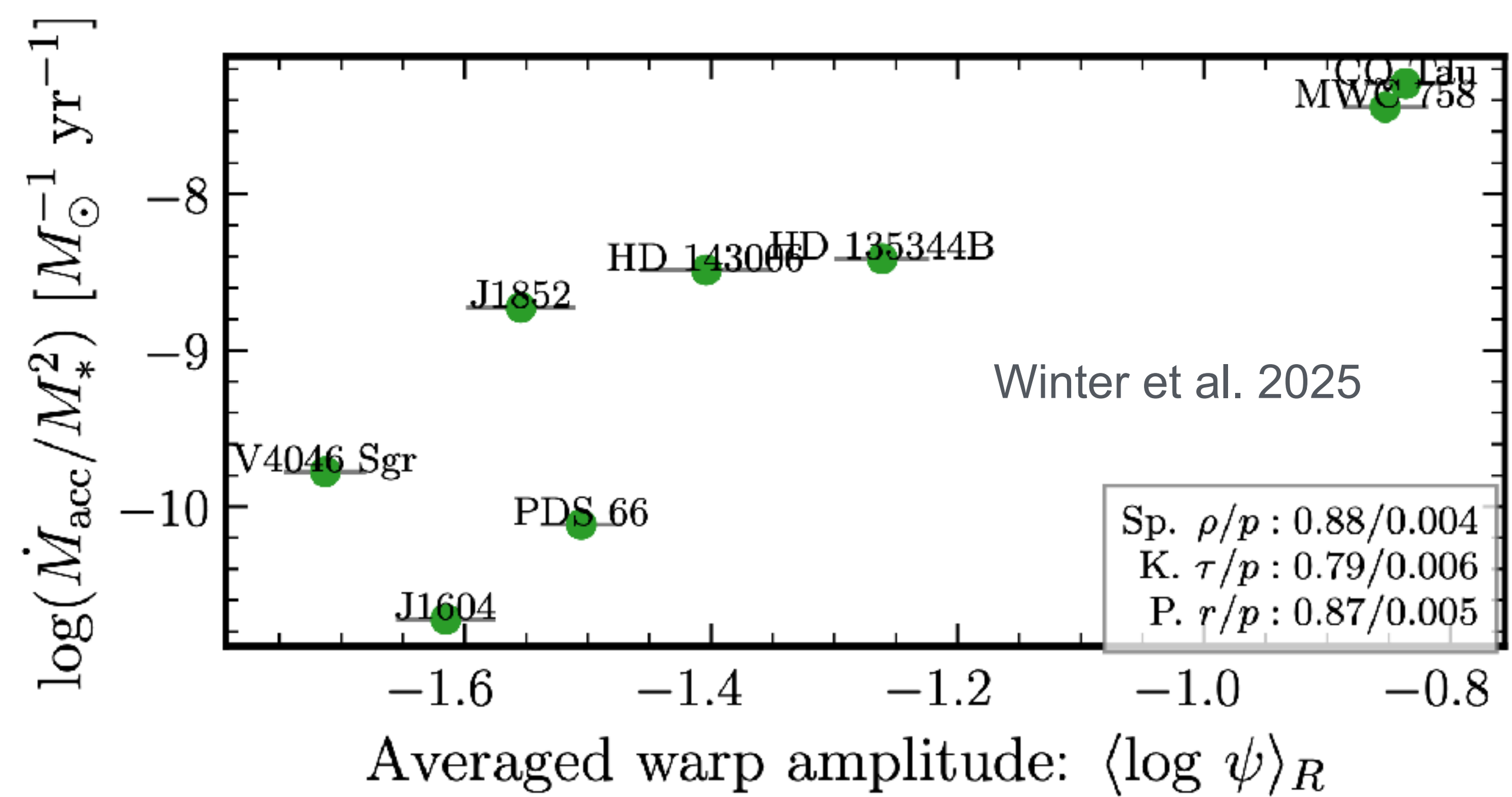


CQ Tau



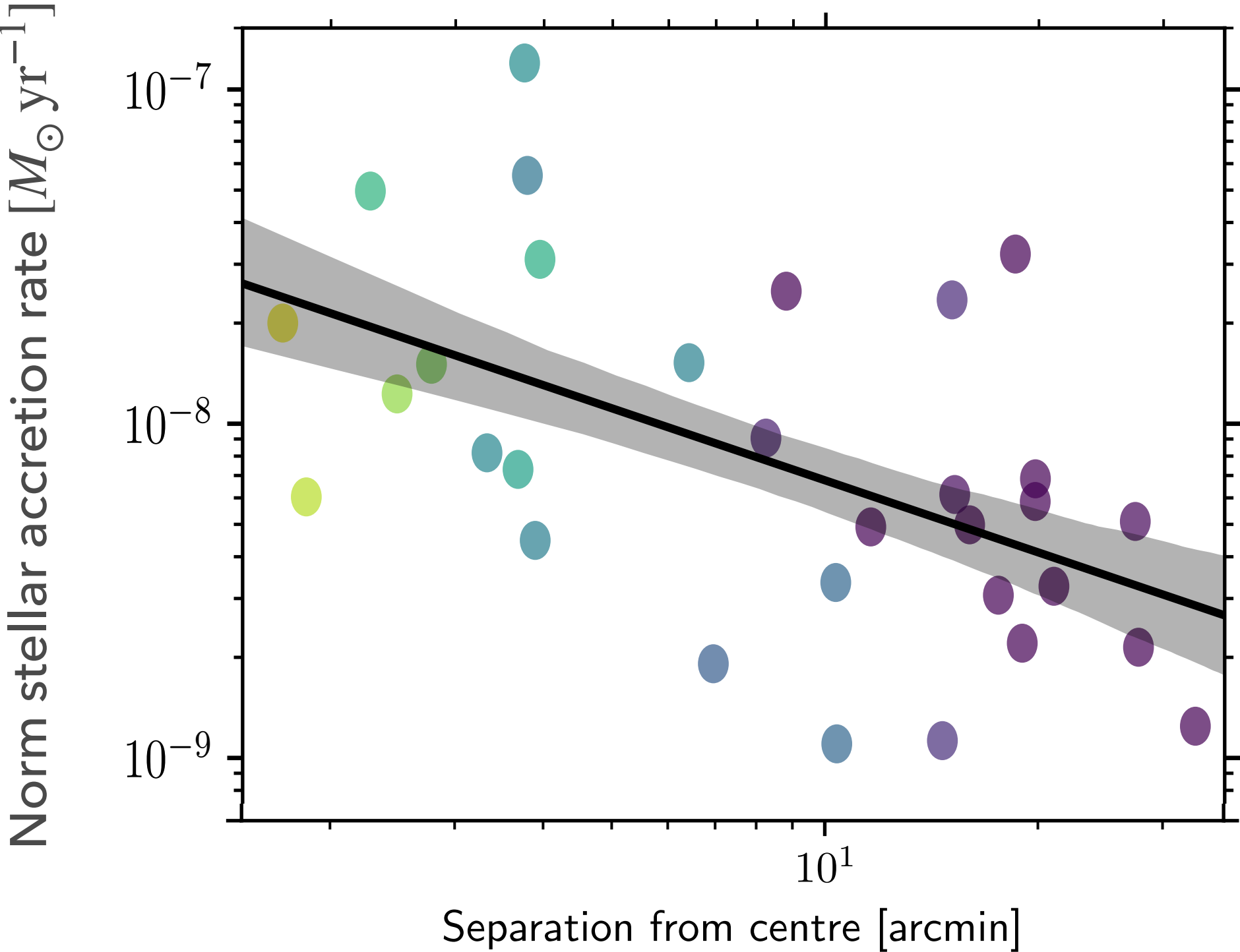
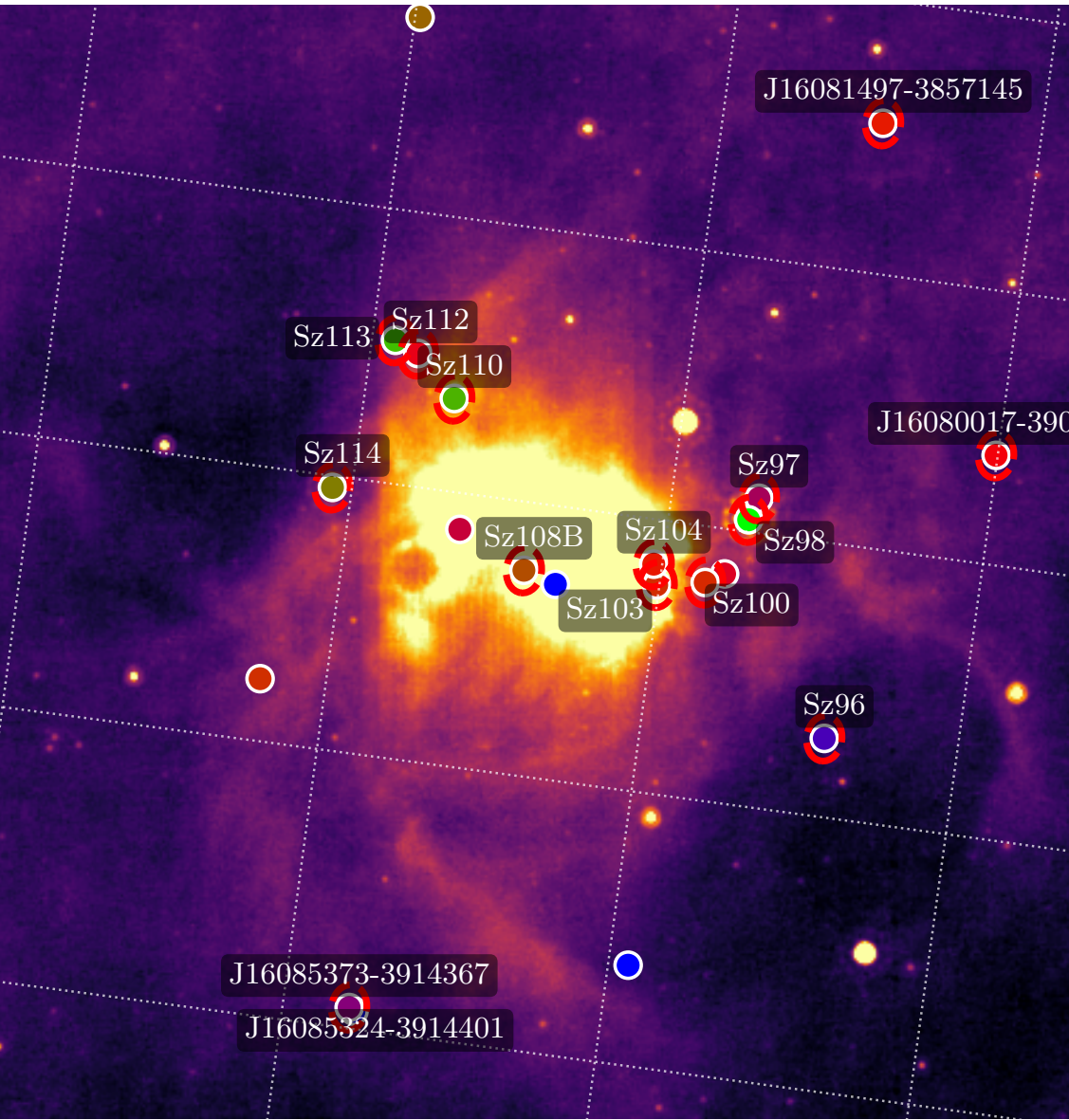
- Infall $\rightarrow$ warp $\rightarrow$ accretion?

Infall-driven accretion?



Winter et al. 2025

Lupus 3 – Spitzer/
MIPS 24 μm



Winter et al. 2024c

Replenishment + turbulent injection

$$\alpha_{\text{turb}} + \varepsilon_{\text{turb}} \frac{\Delta M_e}{M_{\text{post}}}$$

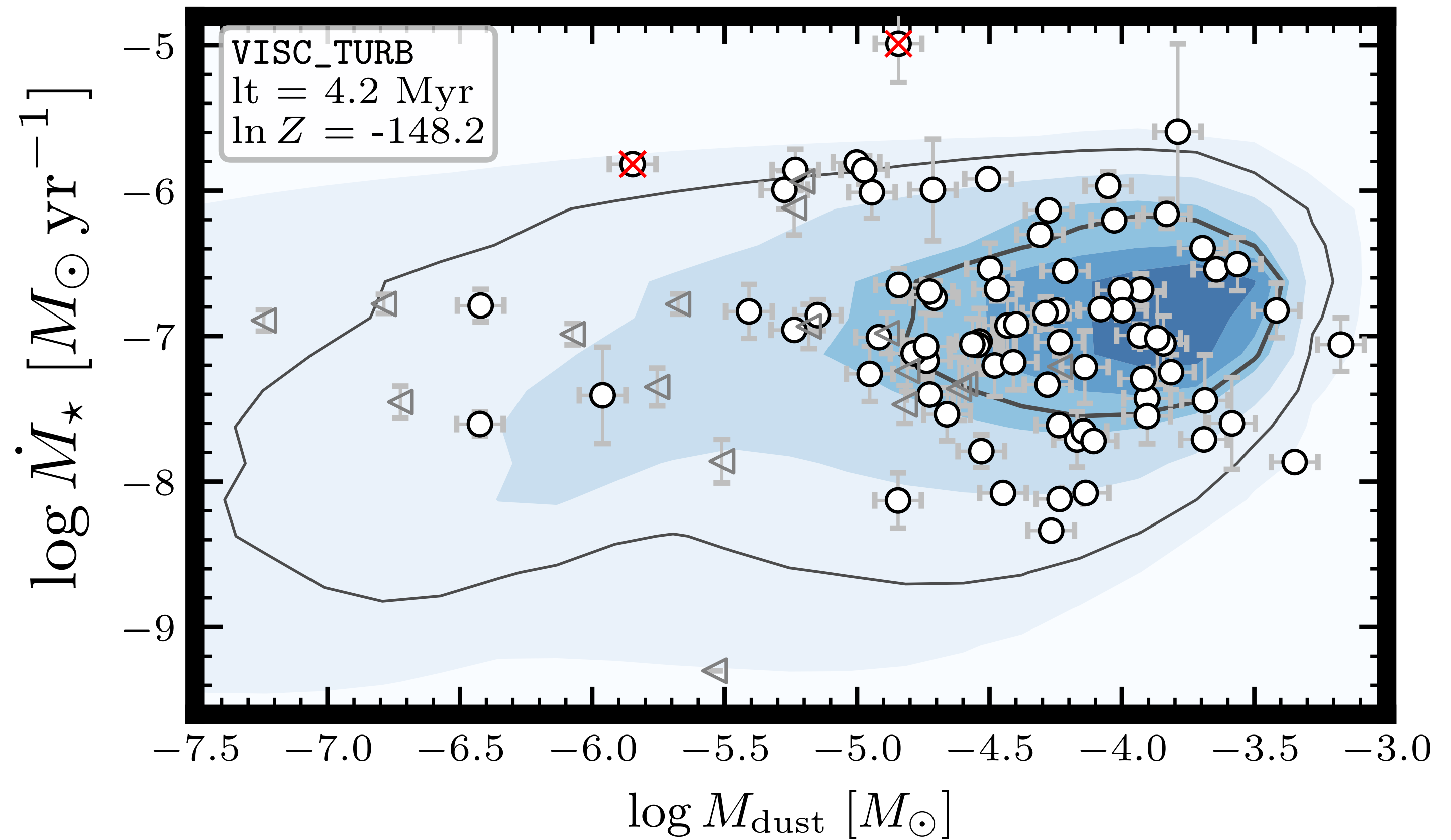
$$\alpha_{\text{turb}}(t) = \alpha_{\text{turb}}(t_0) e^{-\gamma(t-t_0)}$$

Fixed at 10^{-4} yr^{-1}

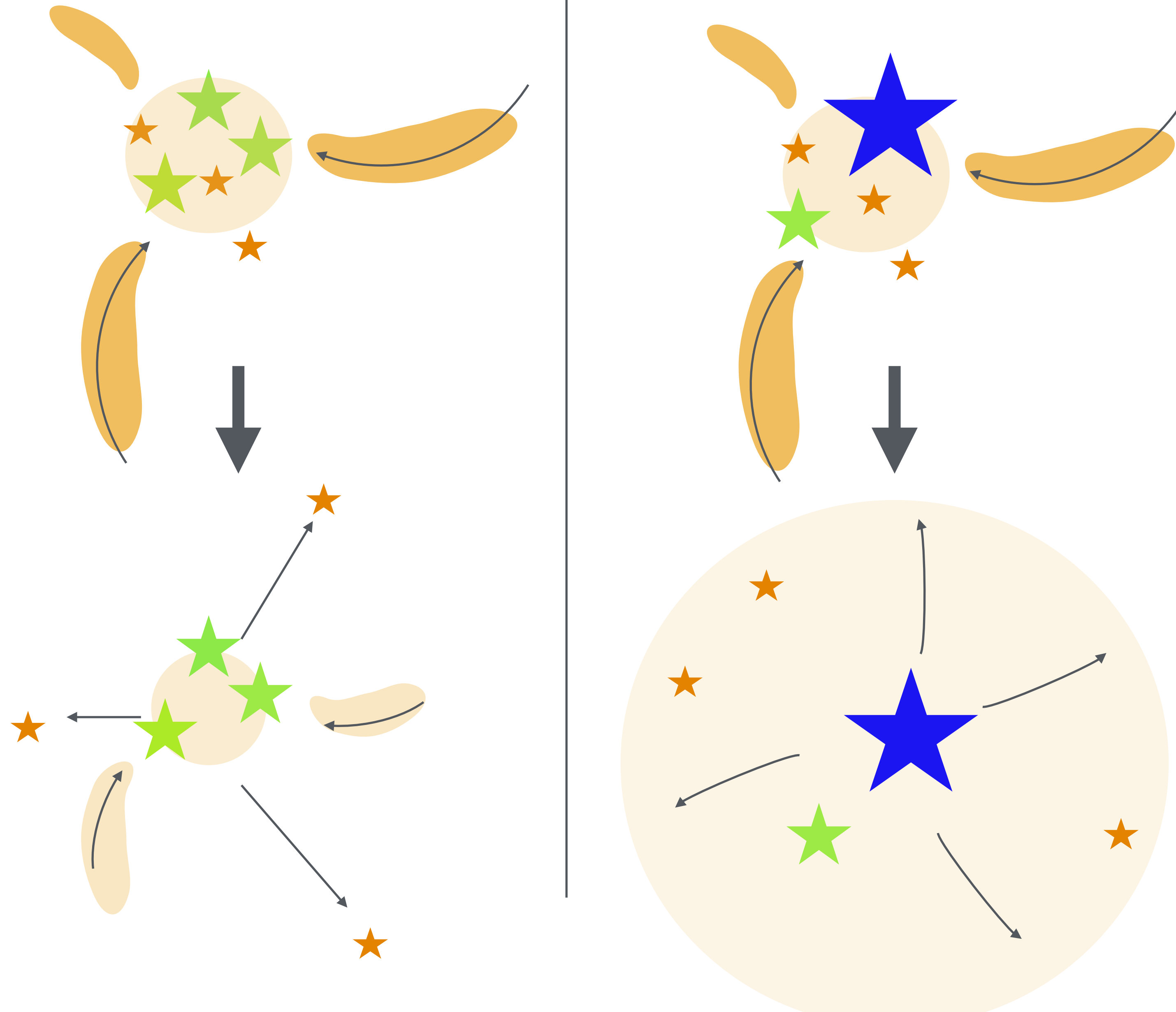
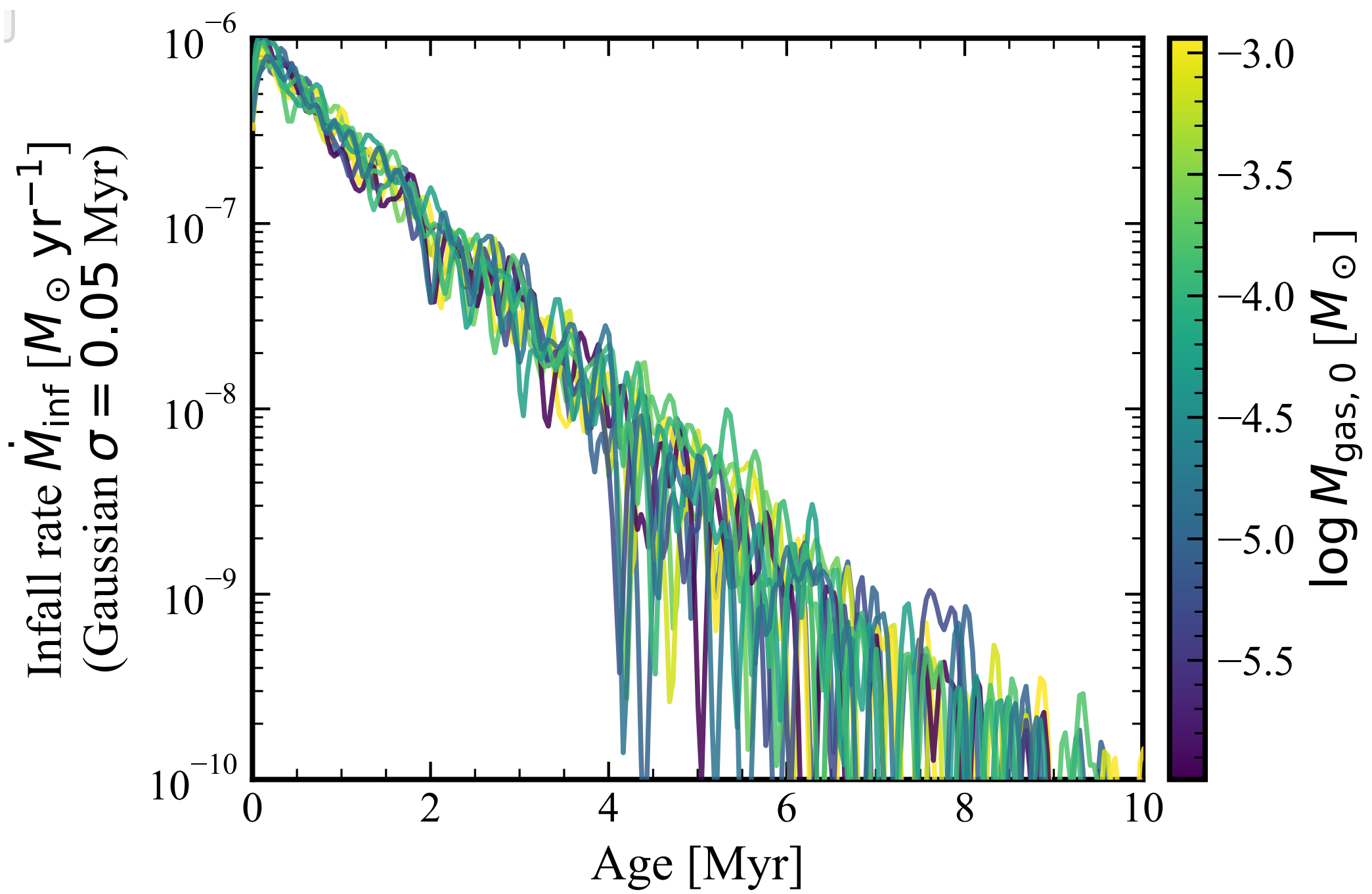
$$t_\nu = C_\alpha / \alpha_{\text{floor}}.$$

Replenishment + injected turbulence

- Technically 'best' model
- Does infall contribute to transport?



Feeding time-scales

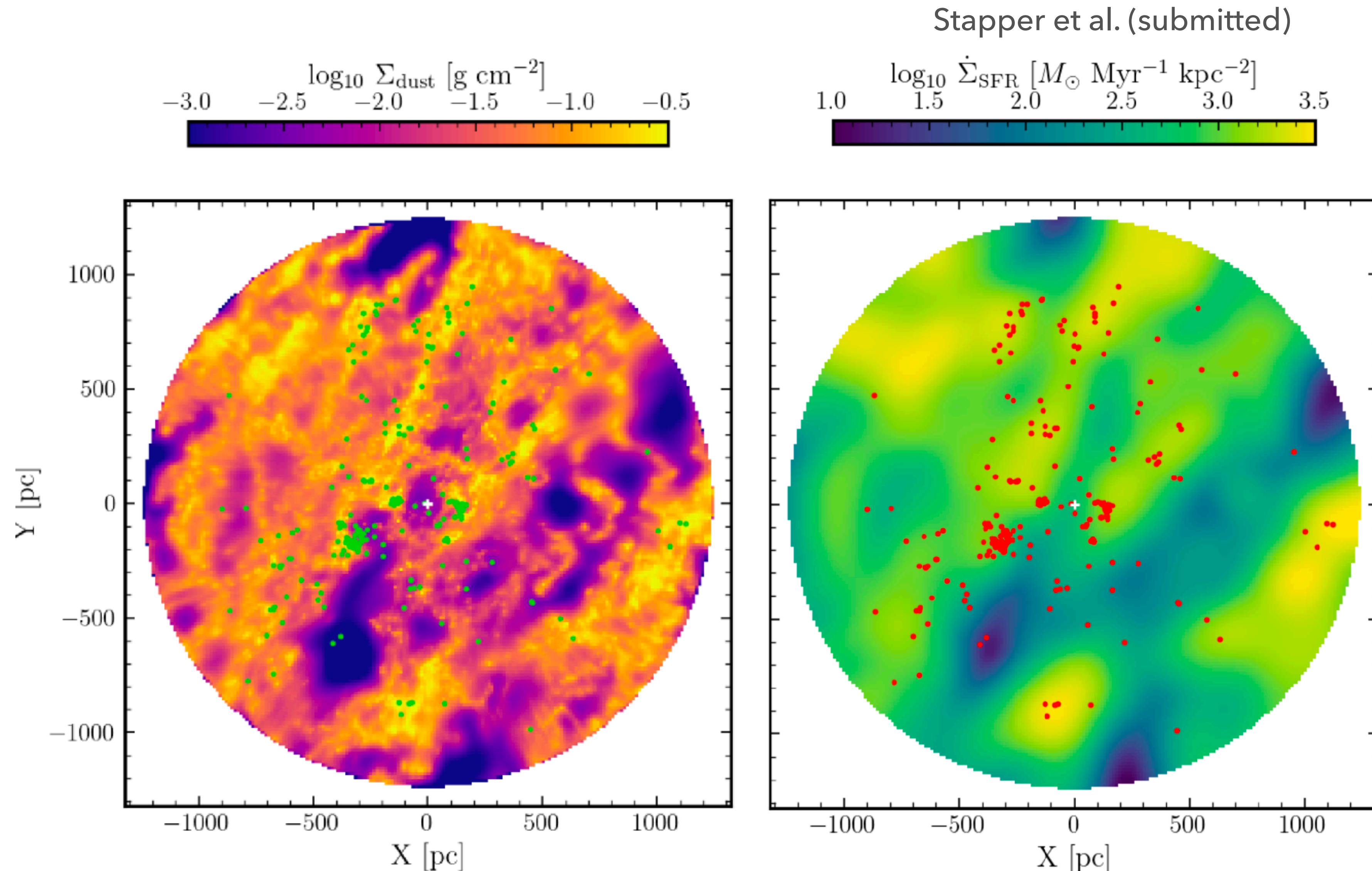


Conclusions

- **Herbig $1.5 - 4 M_{\odot}$ are not young...**
- ... but they have short accretion lifetimes
- Requires dust depletion
- Requires replenishment at high rate
- May require variability/transport mediated by infall
- **Consequences for what we infer about evolutionary time-scales:
dust trapping, planet formation time-scales...**

How long do Herbig discs live?

- Create dust surface density from extinction map
- Convert to gas, convolve with 200 pc (galactic scale height)
- Kennicutt-Schmidt law for SFR



Extinction maps: Edenhofer et al. 2024