

Measurements of Magnetic Fields in the Early Phase of Star Formation

Martin Houde

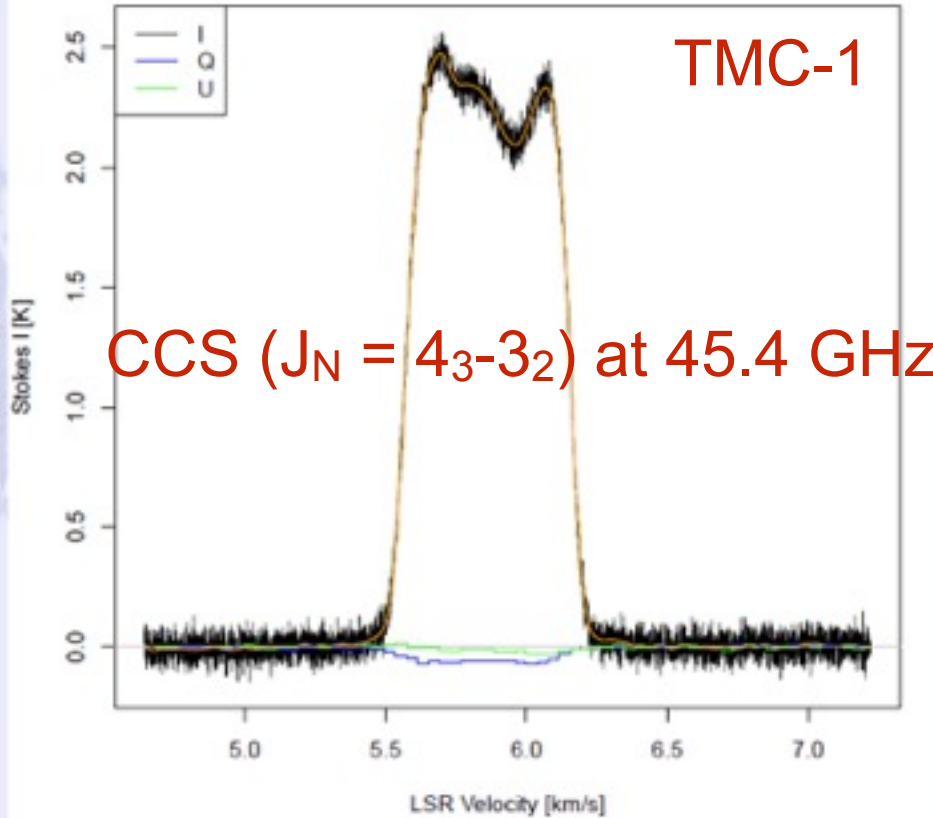


Outline

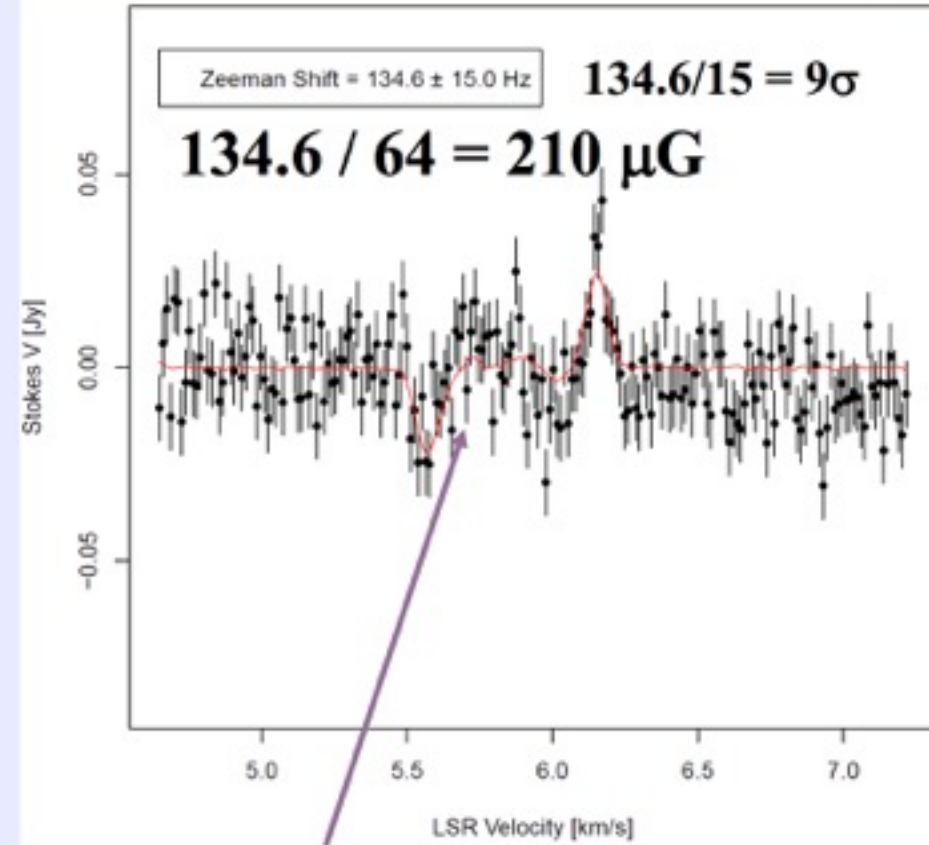
- A few (brief) examples of recent progress...
 - The Zeeman world...
 - Planck (HRO)
 - BLASTPol (polarisation spectrum)
 - Interferometers (SMA and CARMA)
- Quantitative analysis of polarization maps
 - Single-dish and interferometer data
 - ALMA Era
 - where we stand, where should be or go...
- Spectral lines polarization
 - Goldreich-Kylafis Effect
 - Non-Zeeman circular polarisation (ARS Effect)

The Zeeman World...

Stokes I

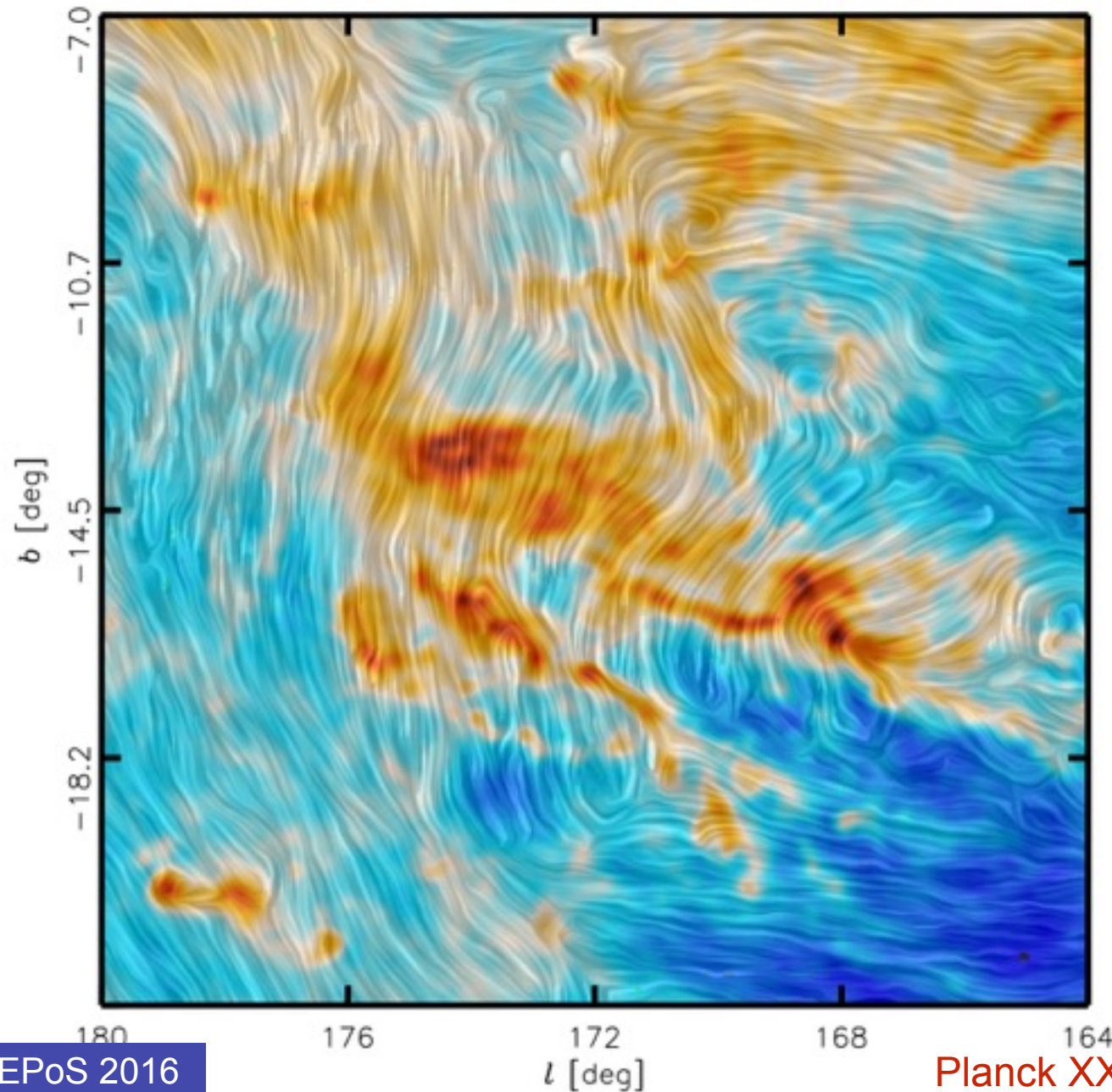


Stokes V

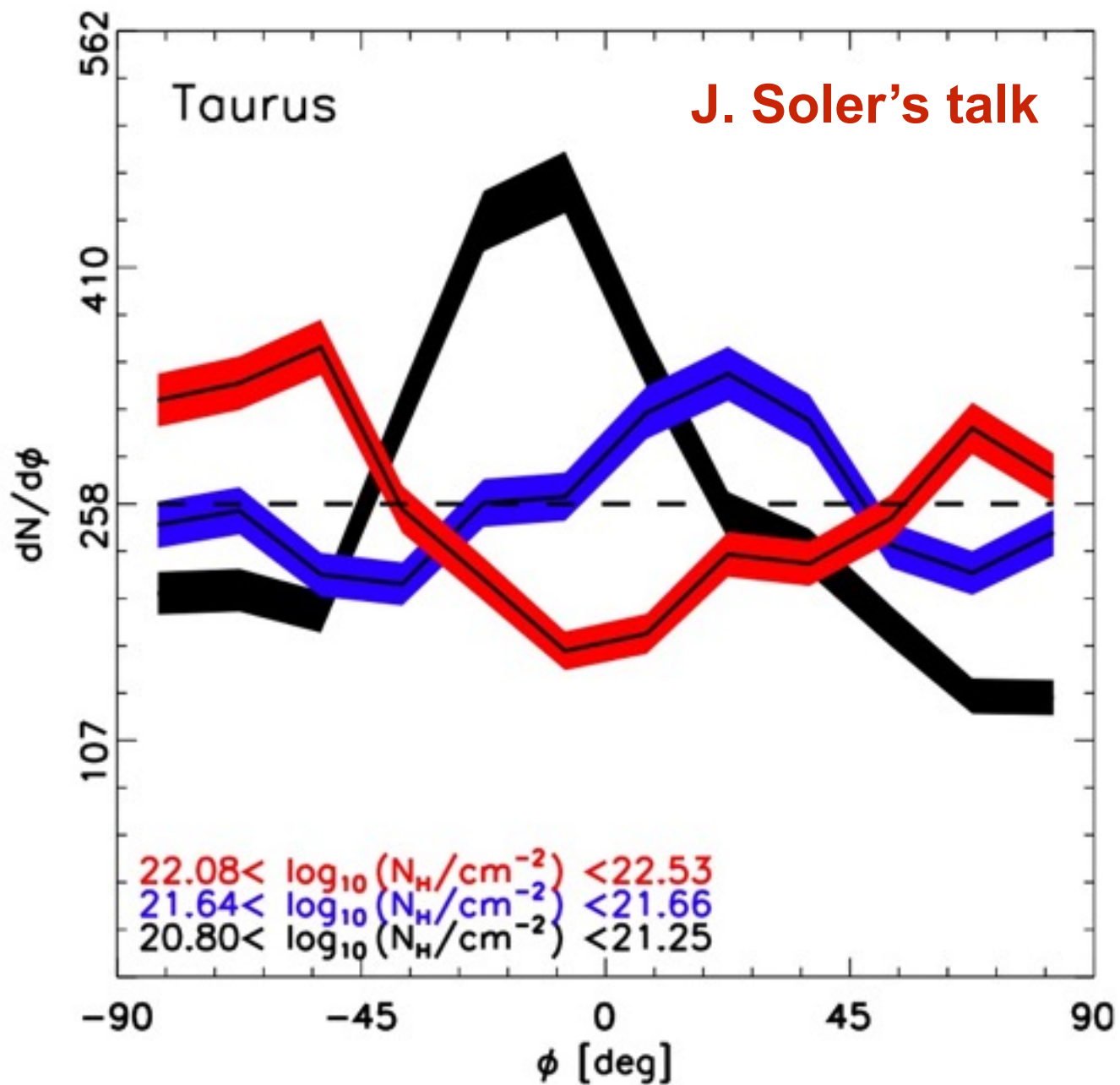
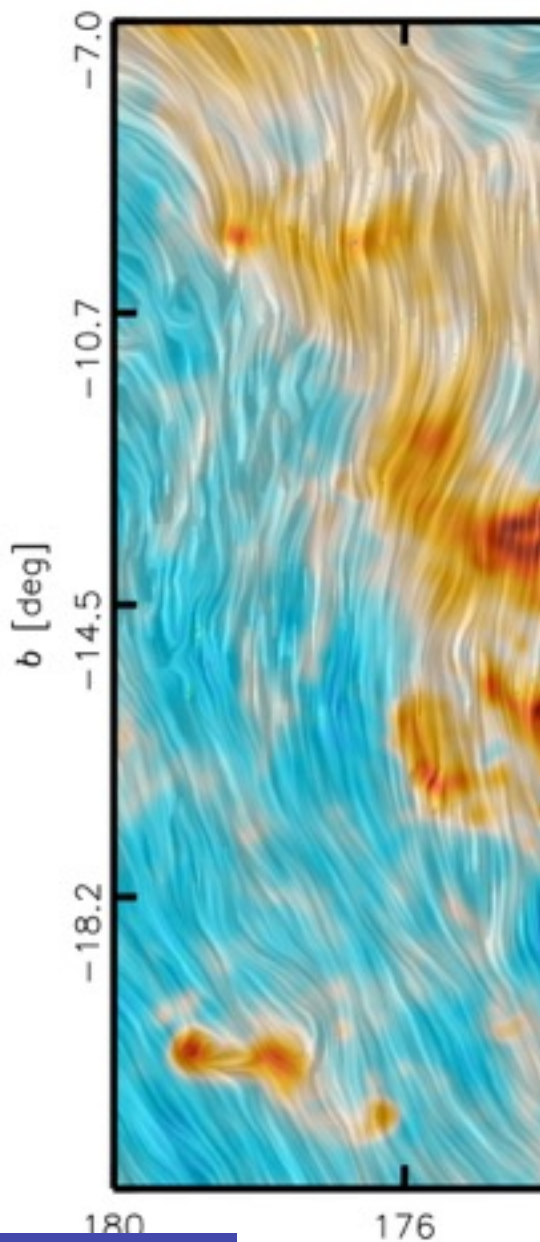


See:
P24 - F. Nakamura
R. Crutcher's and
C. McKee's talks

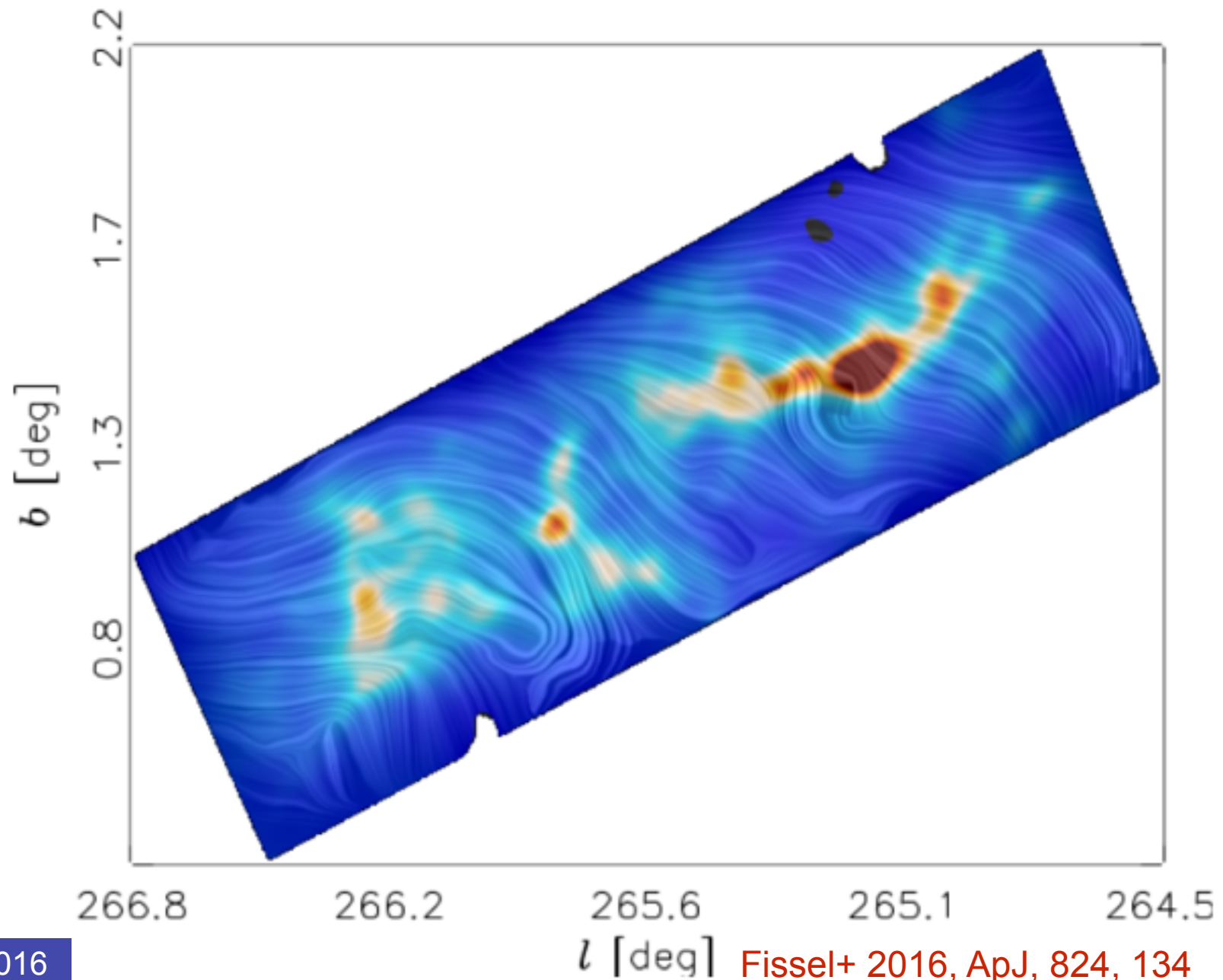
Planck - HRO

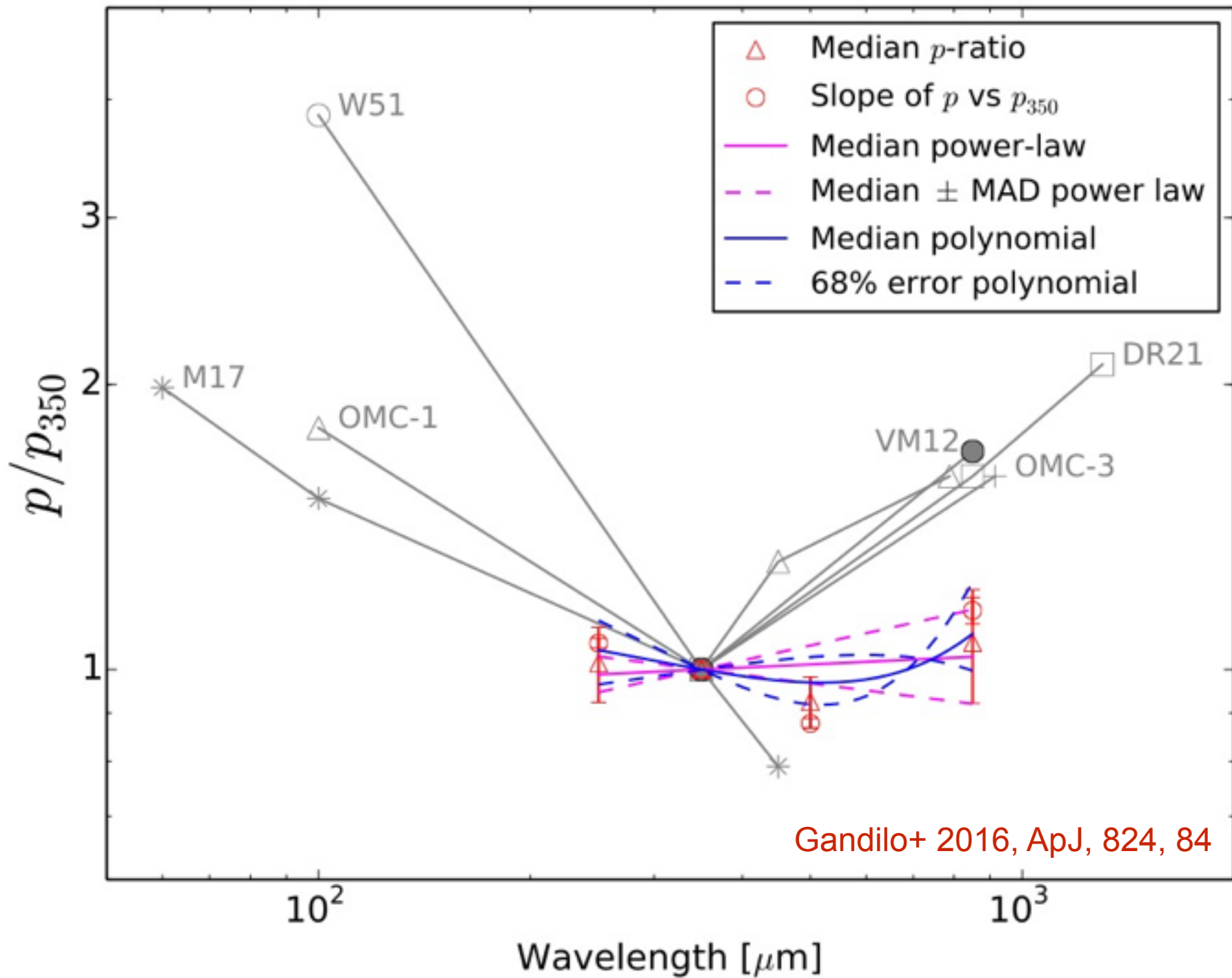


Planck - HRO

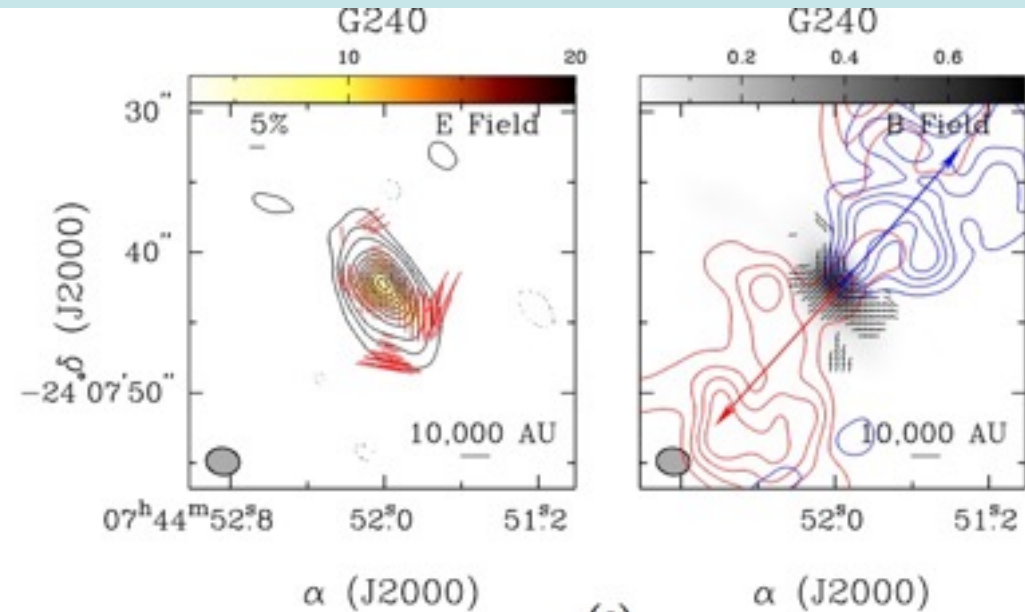
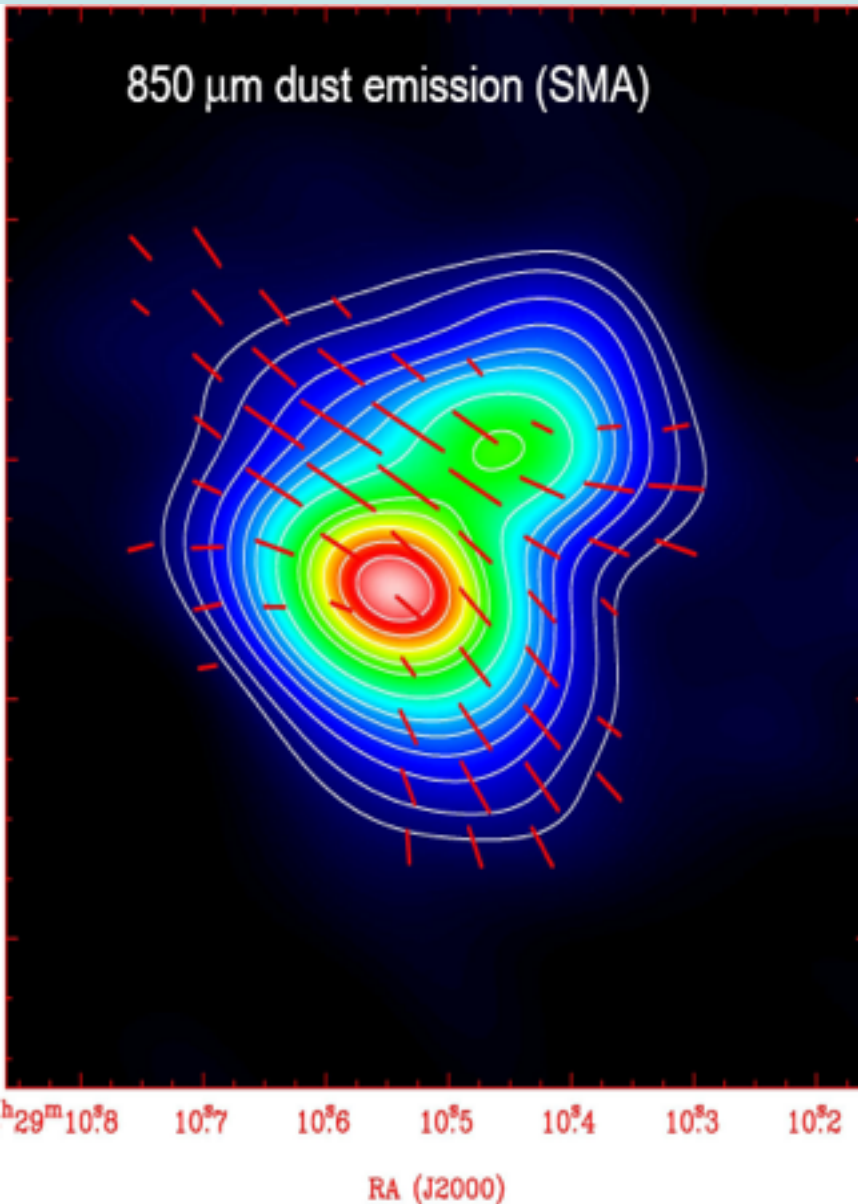


BLASTPol - Vela C

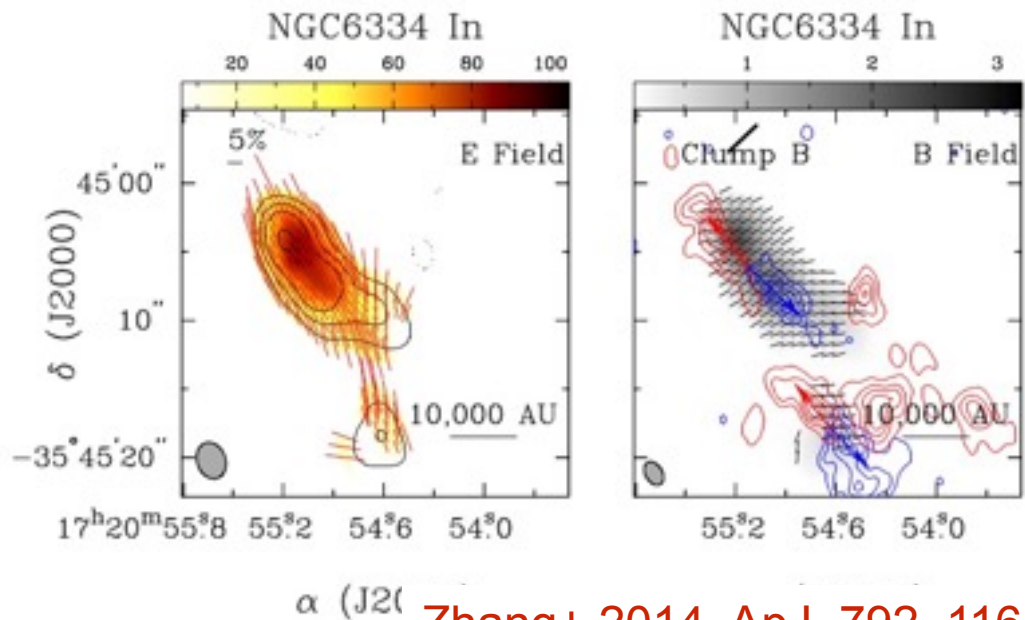




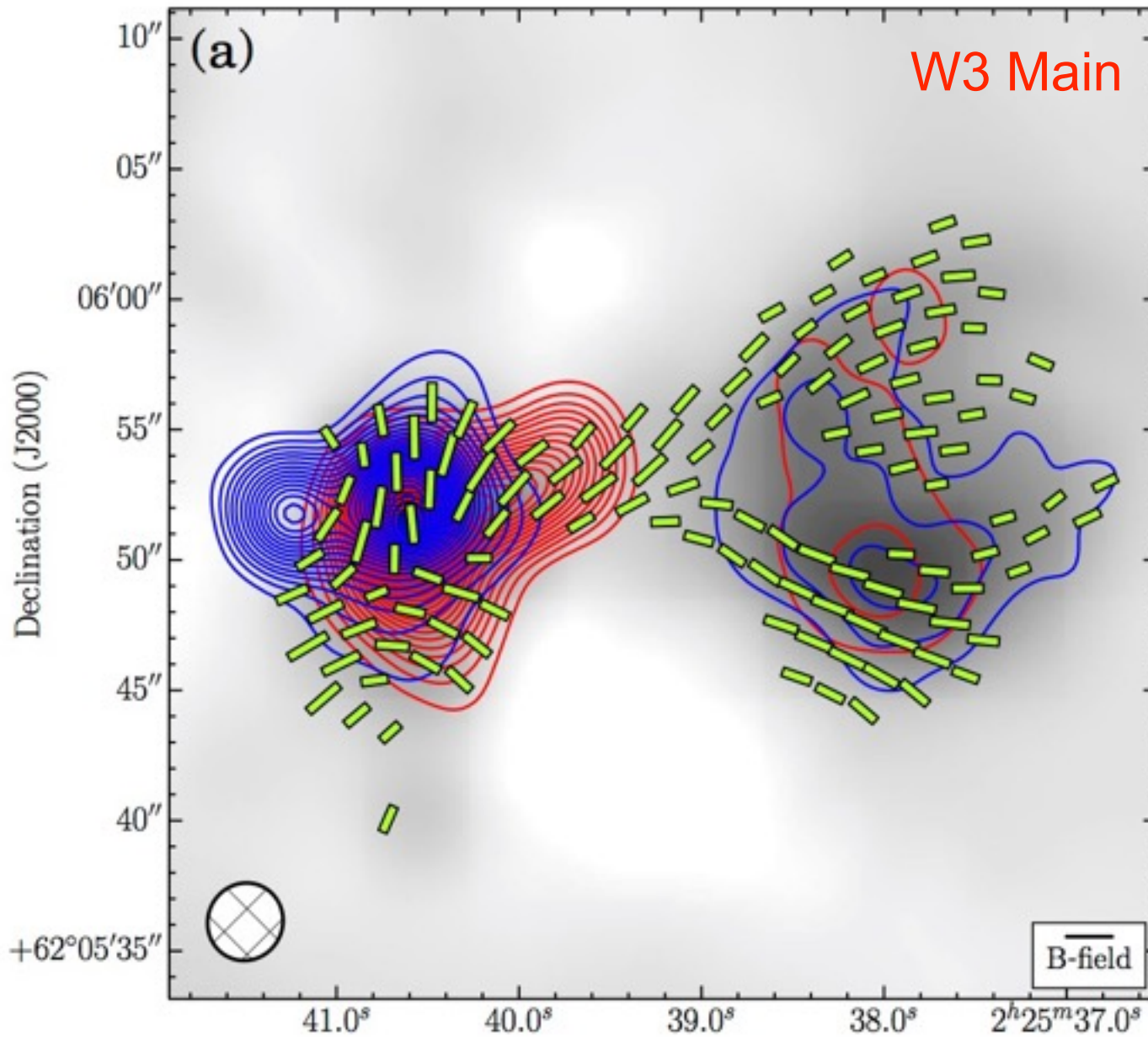
Interferometers - SMA



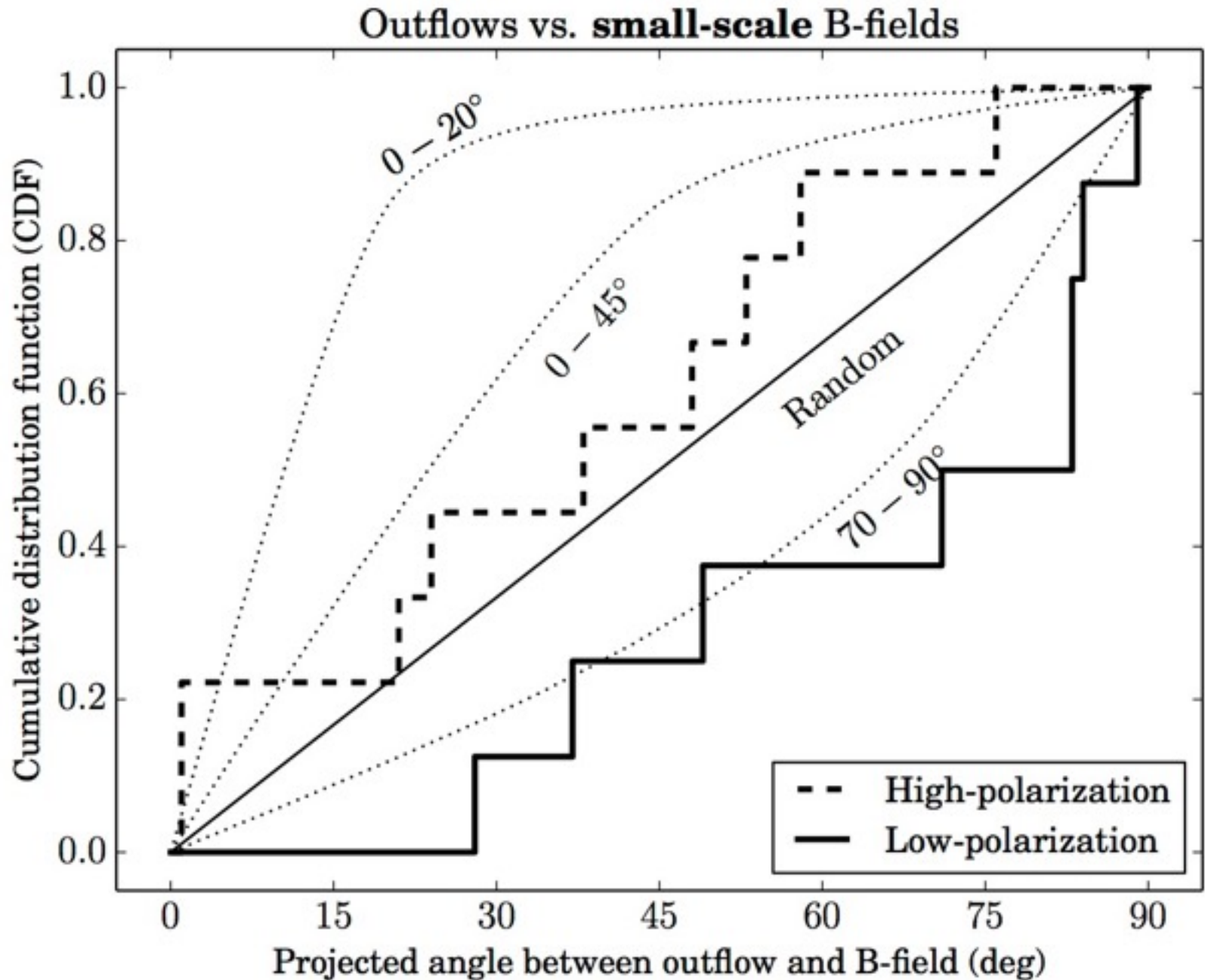
(c)



Interferometers - CARMA/TADPOL



Interferometers - CARMA/TADPOL



Methods of Analysis - Structure (and related) Functions

Given a polarization map

Angle $\Phi(\mathbf{r}) \rightarrow \mathbf{B}$ (plane of the sky)

The Angular Structure Function

$$\langle \Delta\Phi^2(\ell) \rangle = \frac{1}{N(\ell)} \sum_{N(\ell) \text{ pairs}} [\Phi(\mathbf{r}) - \Phi(\mathbf{r} + \ell)]^2$$

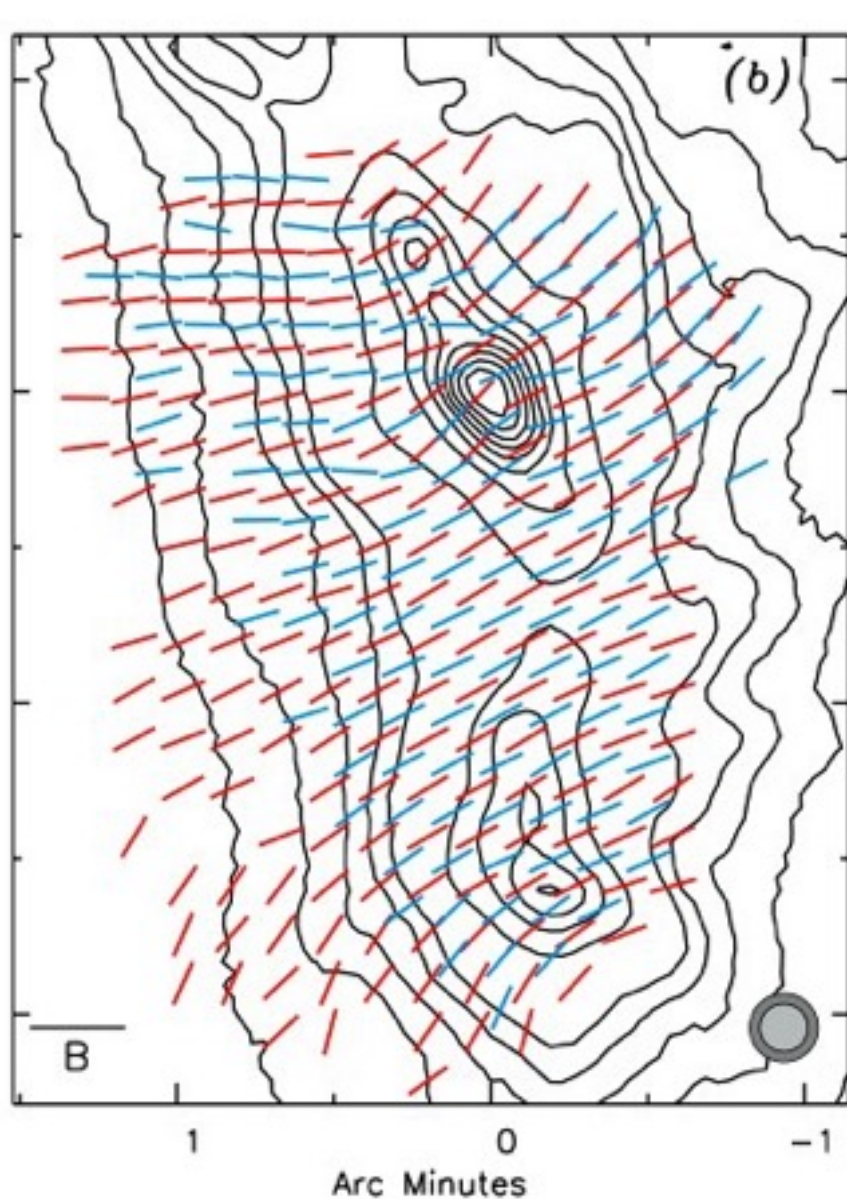
If $\mathbf{B} = \mathbf{B}_t + \mathbf{B}_0$ (turbulent and ordered (large-scale) components)

$$\Rightarrow \langle \Delta\Phi^2(\ell) \rangle = \langle \Delta\Phi_t^2(\ell) \rangle + \langle \Delta\Phi_0^2(\ell) \rangle$$

$$\Rightarrow 1 - \langle \cos[\Delta\Phi(\ell)] \rangle \simeq \frac{\langle \Delta\Phi^2(\ell) \rangle}{2} \Leftarrow$$

OMC-1 with SHARP at 350 μm

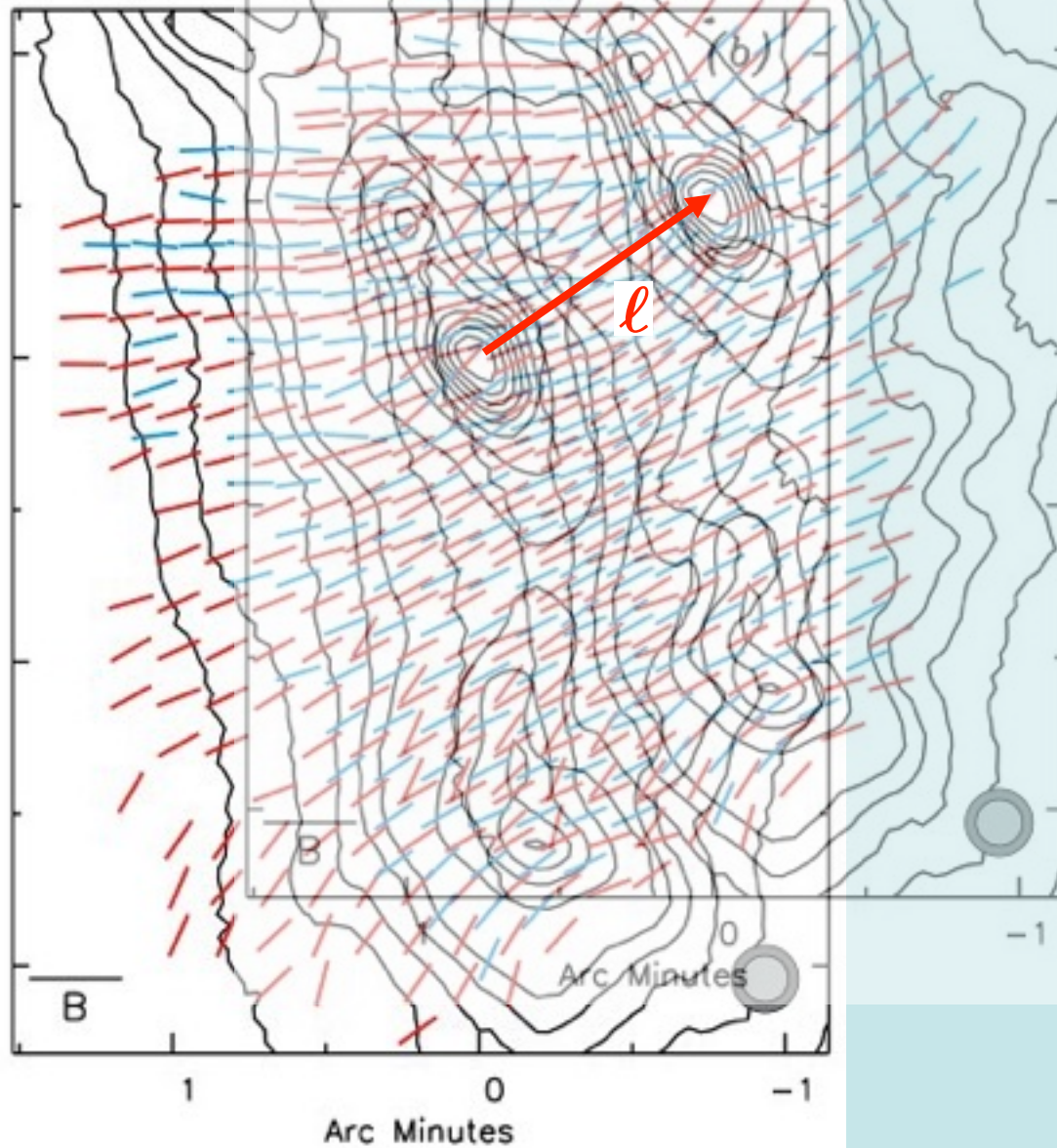
OMC-1 - SHARP/CSO, 350 and 450 μm



Vaillancourt et al., 2008, ApJ, 679, L25

OMC-1 with SHARP at 350 μm

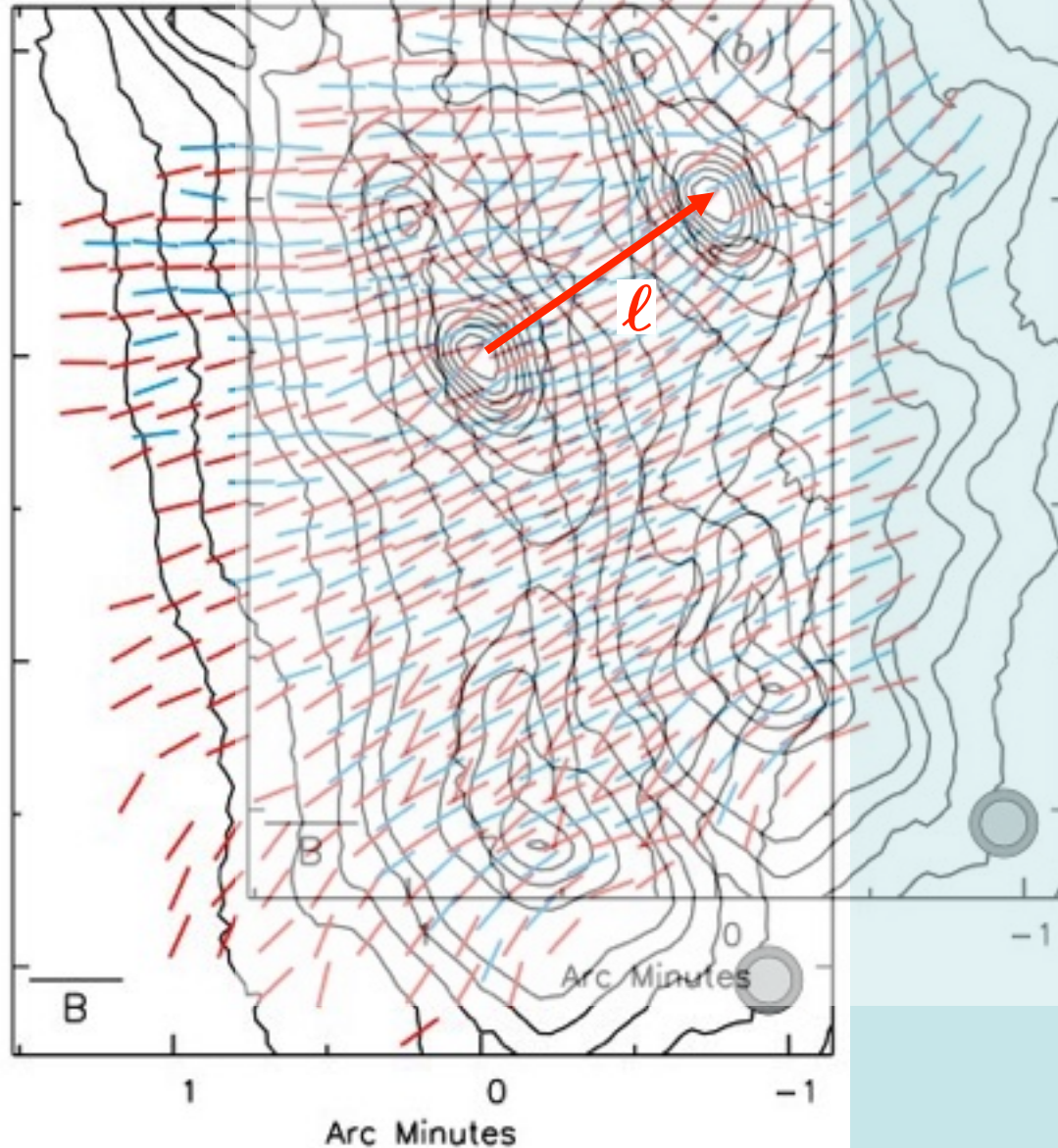
OMC-1 - SHARP/CSO, 350 and 450 μm



Vaillancourt et al., 2008, ApJ, 679, L25

OMC-1 with SHARP at 350 μm

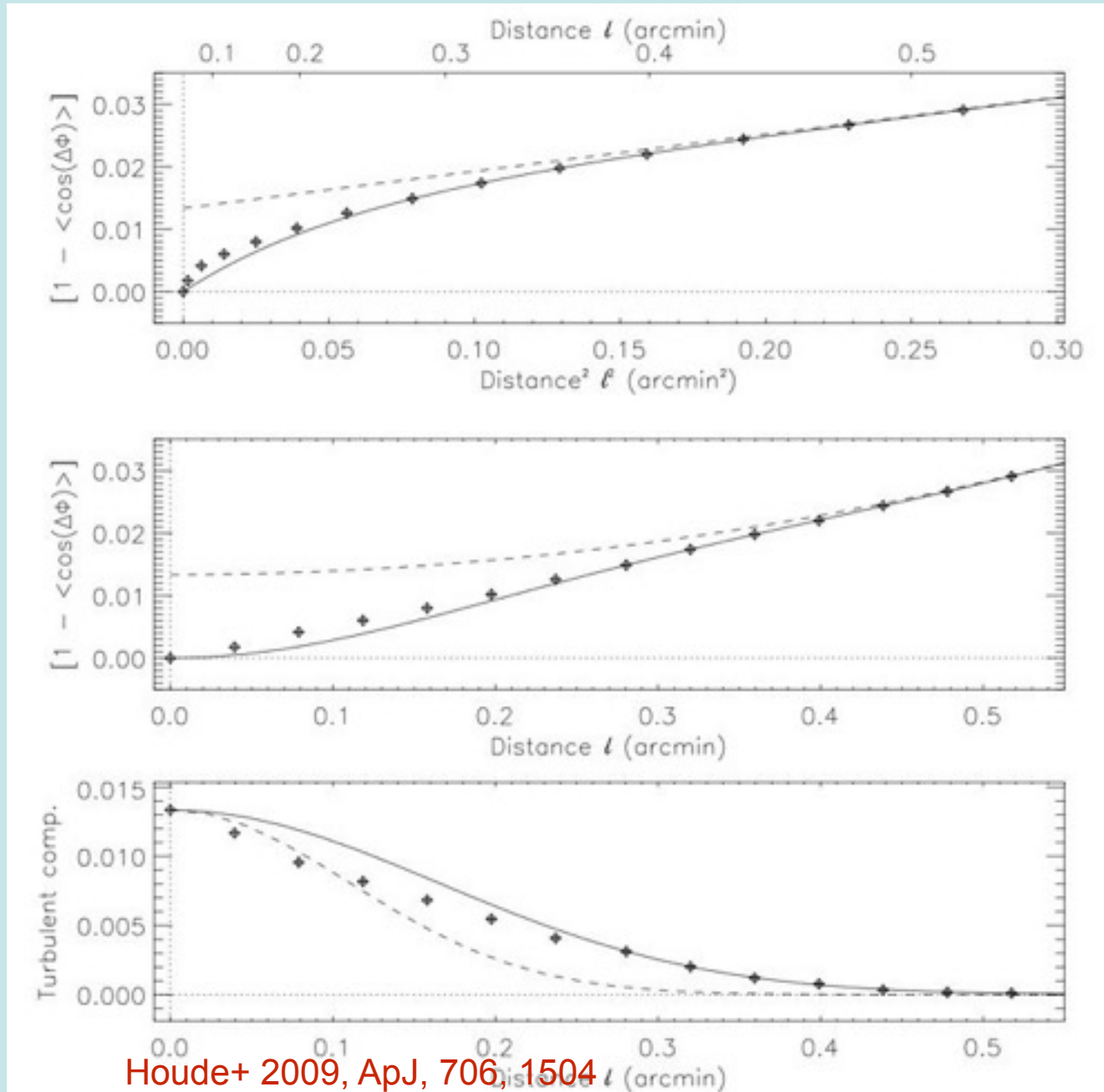
OMC-1 - SHARP/CSO, 350 and 450 μm



$$1 - \langle \cos[\Delta\Phi(\ell)] \rangle \approx \frac{\langle \Delta\Phi^2(\ell) \rangle}{2}$$

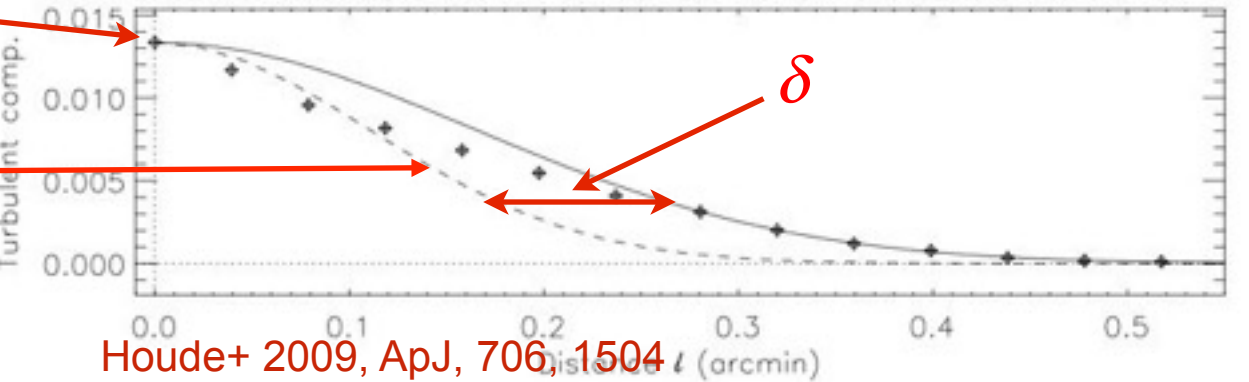
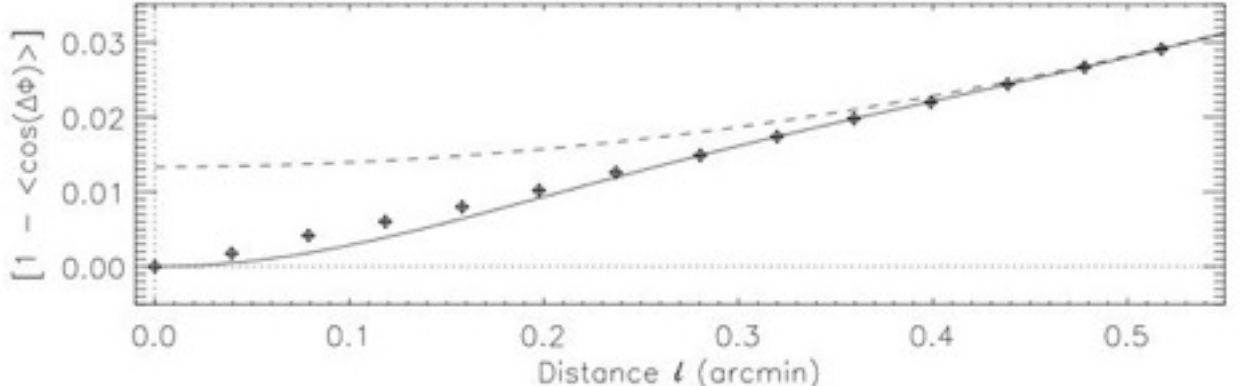
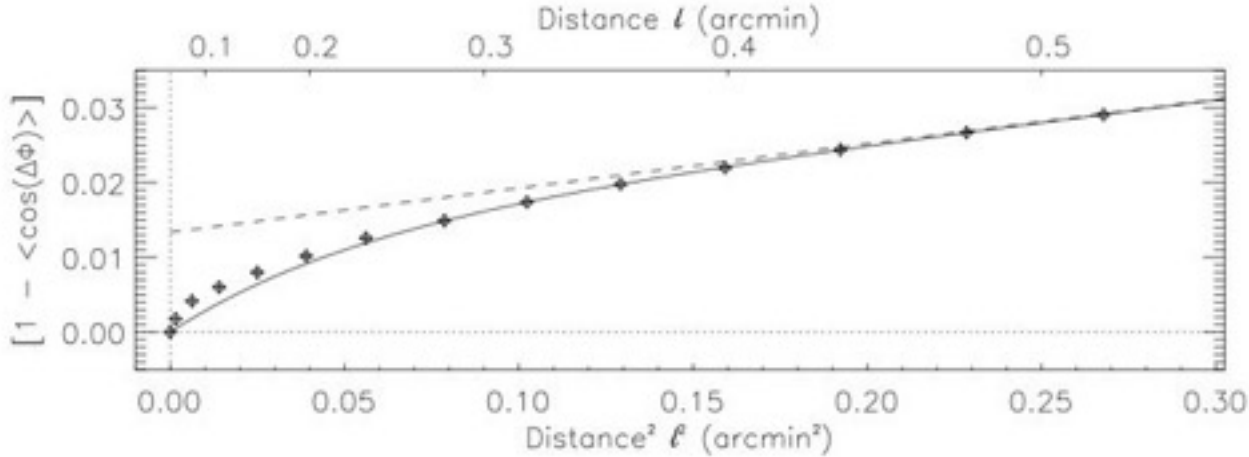
Vaillancourt et al., 2008, ApJ, 679, L25

OMC-1 with SHARP at 350 μm



Houde+ 2009, ApJ, 706, 1504

OMC-1 with SHARP at 350 μm



$$\frac{\langle \bar{B}_t^2 \rangle}{\langle \bar{B}_0^2 \rangle}$$

beam

Dispersion Analysis... and the DCF Method

$\delta \simeq 7.3'' = 16 \text{ mpc}$ turbulent correlation length

$$N = \frac{(\delta^2 + 2W^2)\Delta'}{\sqrt{2\pi}\delta^3} \simeq 21 \quad \text{number of turbulent cells}$$

$$\frac{\langle \bar{B}_t^2 \rangle}{\langle \bar{B}_0^2 \rangle} \simeq \frac{1}{N} \frac{\langle B_t^2 \rangle}{\langle B_0^2 \rangle} \simeq 0.013$$

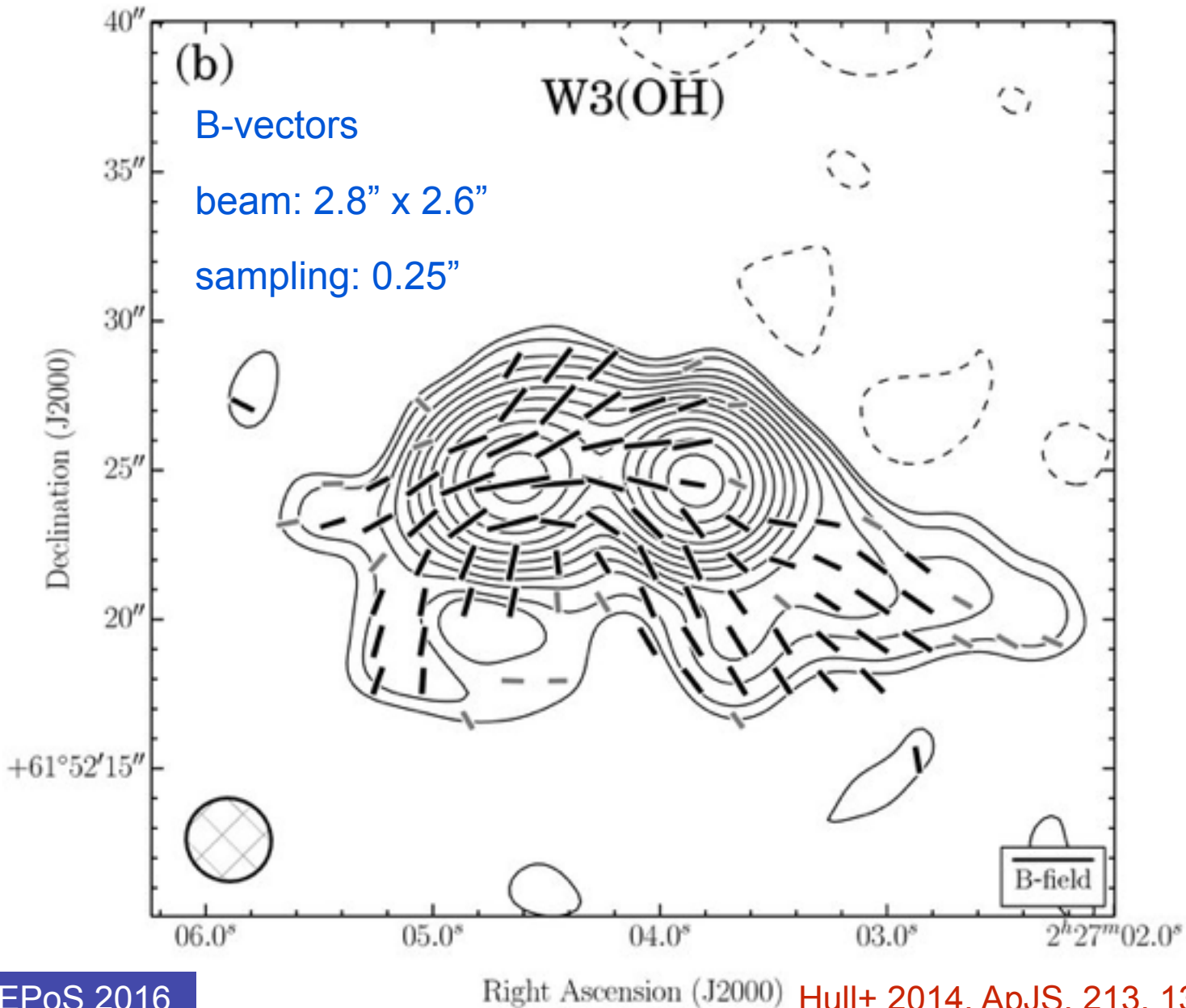
$$\frac{\langle B_t^2 \rangle}{\langle B_0^2 \rangle} \simeq 0.28 \quad \text{turbulent/ordered field energy ratio}$$

with the Davis-Chandrasekhar-Fermi equation

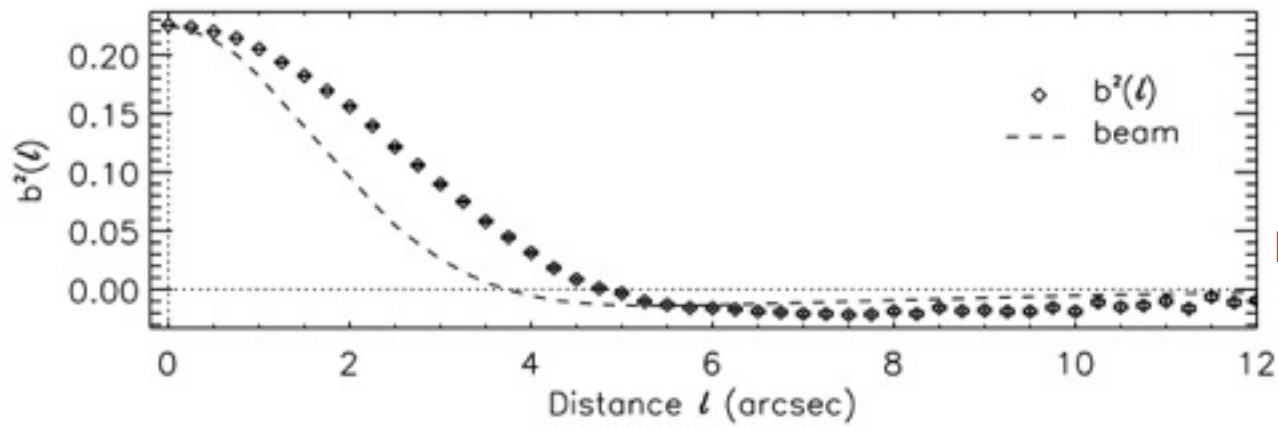
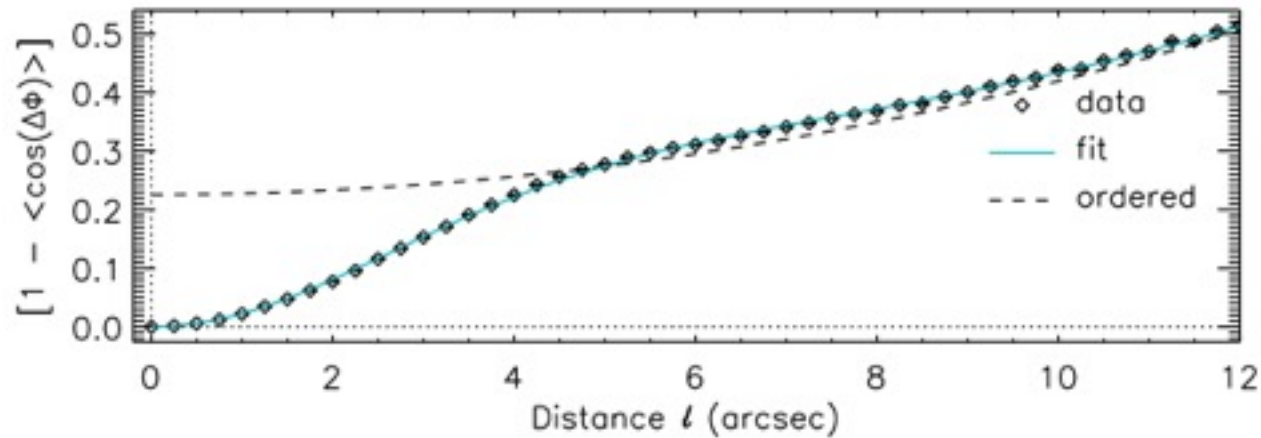
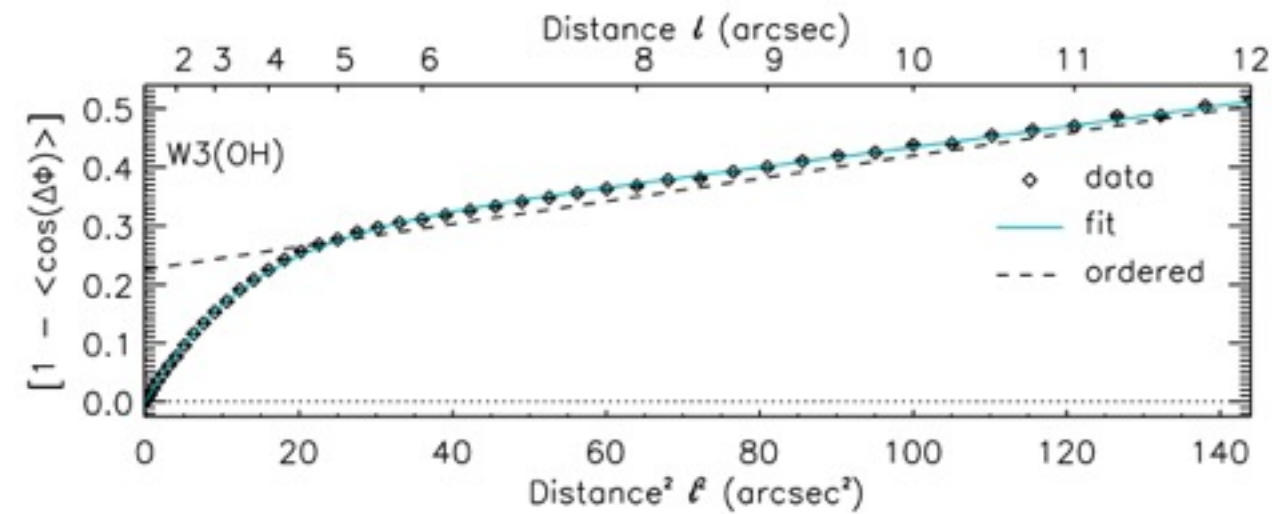
$$B_0 \simeq \sqrt{4\pi\rho\sigma(v)} \left[\frac{\langle B_t^2 \rangle}{\langle B_0^2 \rangle} \right]^{-1/2} \simeq 760 \mu\text{G} \quad \text{plane of the sky}$$

with $n = 10^5 \text{ cm}^{-3}$ and $\sigma(v) = 1.85 \text{ km s}^{-1}$

CARMA / TADPOL - W3(OH)

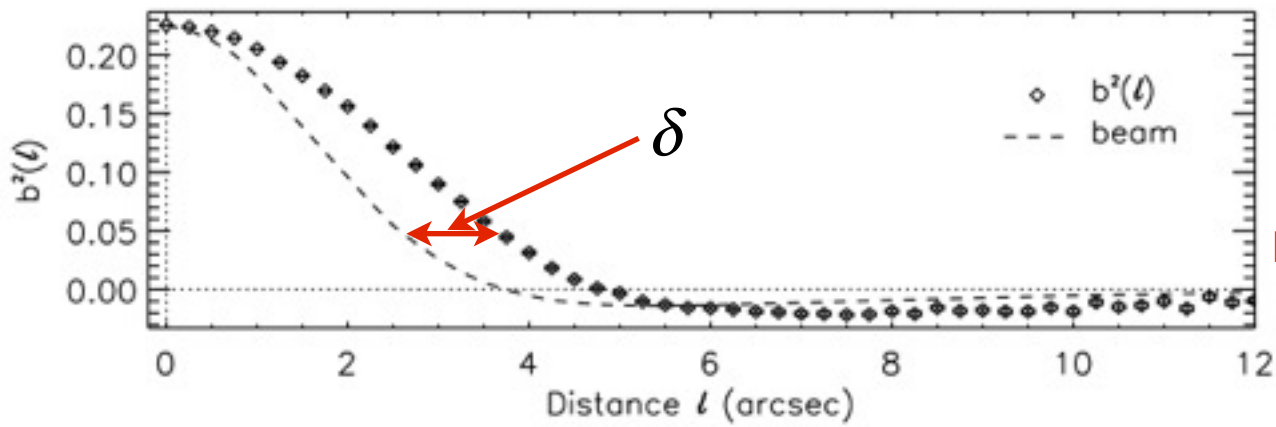
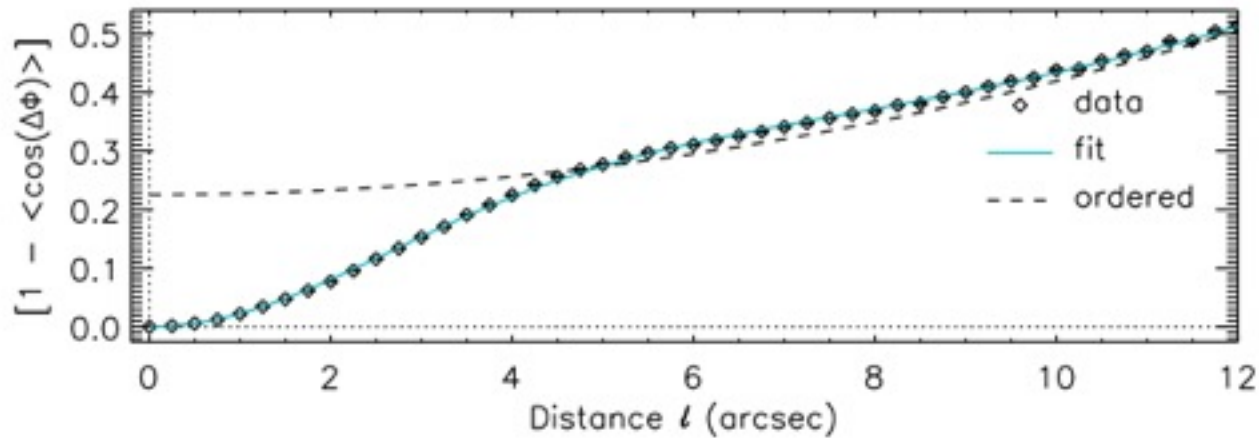
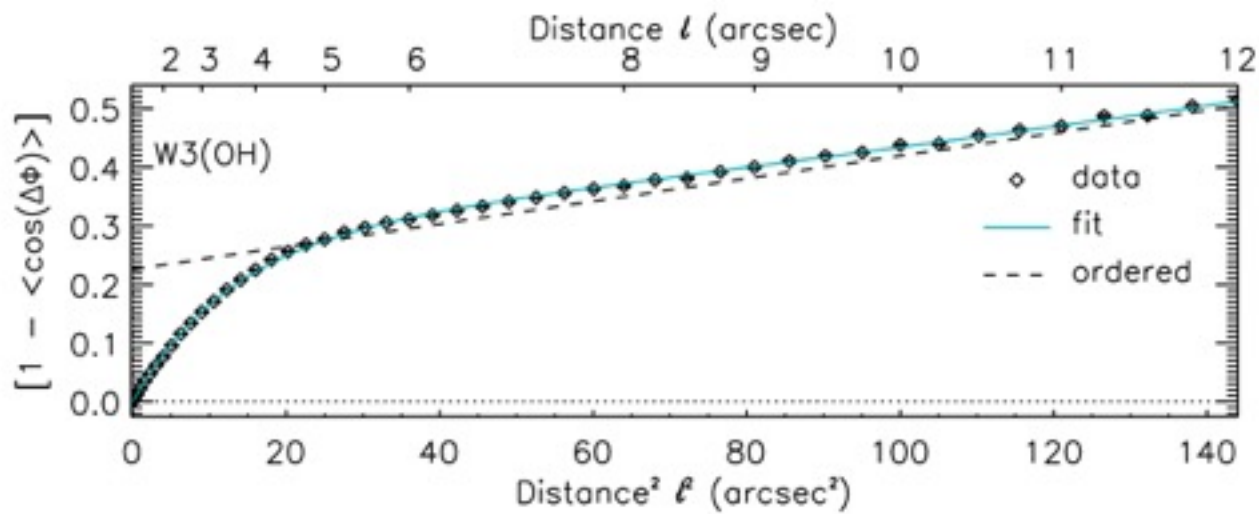


CARMA - W3(OH)



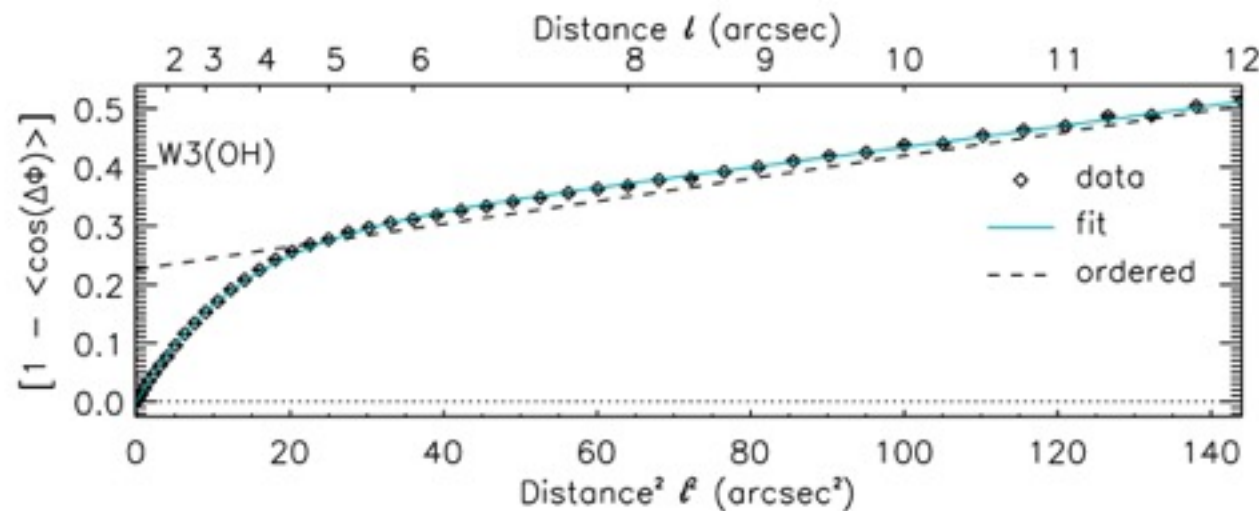
Houde+ 2016, ApJ, 820, 38

CARMA - W3(OH)

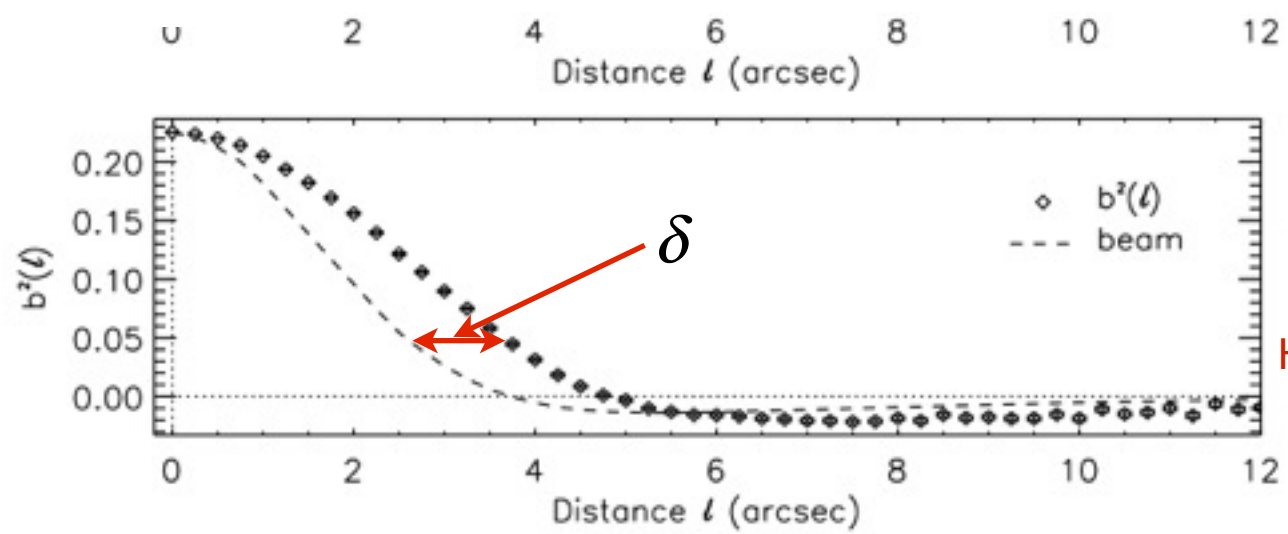


Houde+ 2016, ApJ, 820, 38

CARMA - W3(OH)



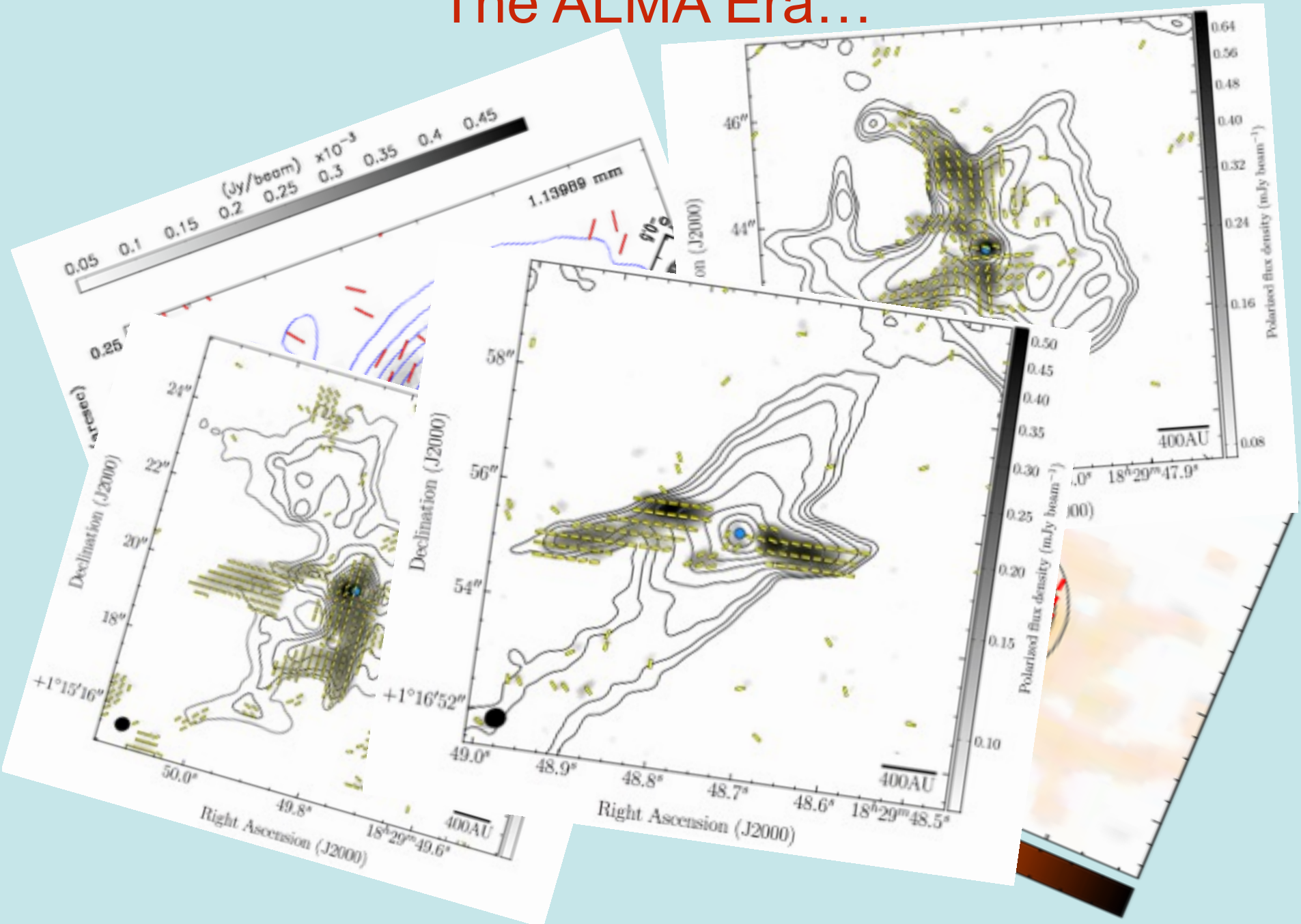
Source	$\sigma(v)$ (km s ⁻¹)	δ (mpc)	$\langle B_t^2 \rangle / \langle B^2 \rangle$	N^b	B_0 (mG) ^c
W3(OH)	1.1	19.0 ± 0.2	0.58 ± 0.01	4.67 ± 0.04	1.1
W3 Main	1.2	22.2 ± 0.3	0.74 ± 0.01	9.58 ± 0.04	0.7
DR21(OH)	1.0	12.3 ± 0.2	0.70 ± 0.01	6.91 ± 0.07	1.2



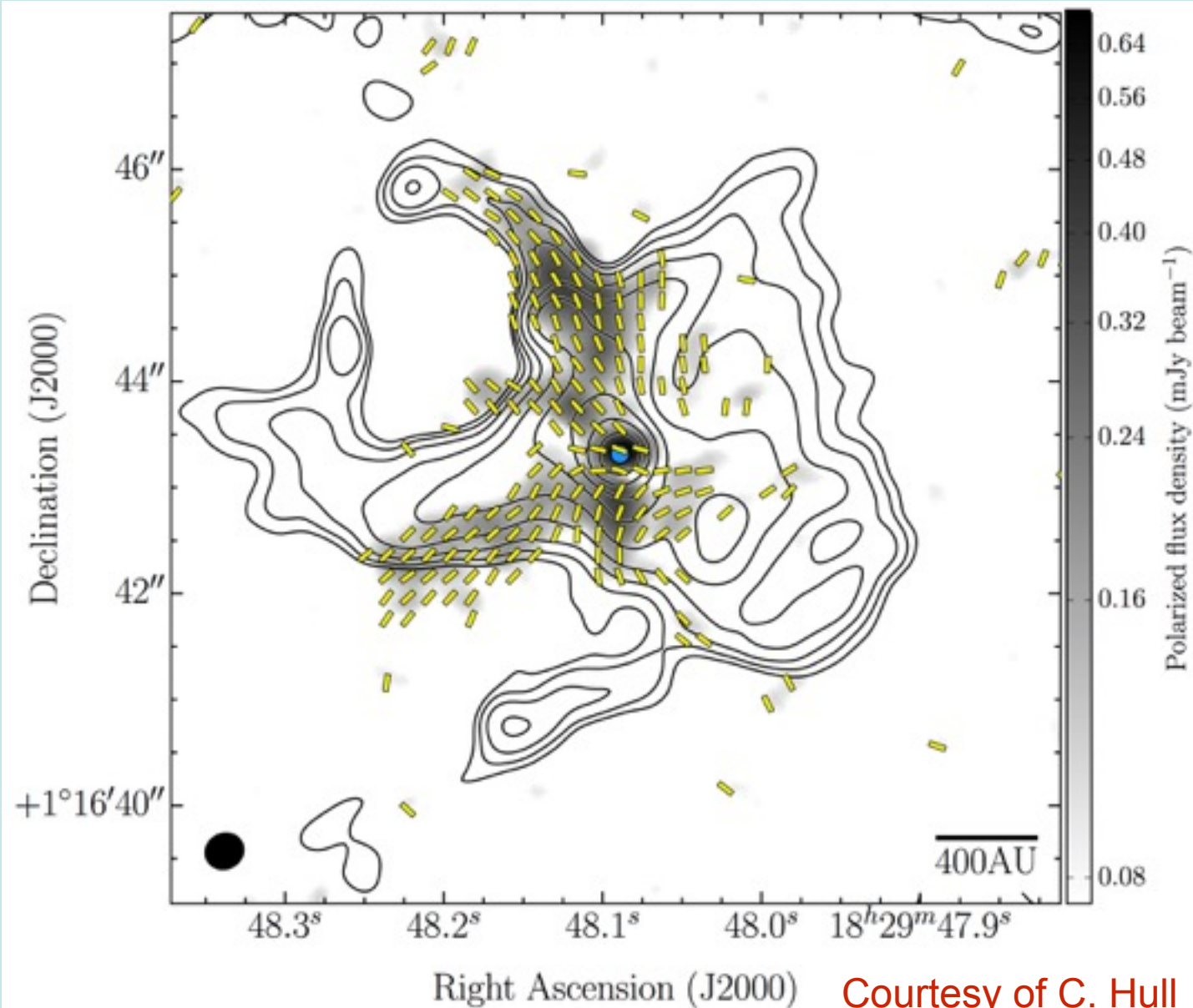
Houde+ 2016, ApJ, 820, 38

The ALMA Era...

The ALMA Era...



The ALMA Era - Serpens 8



B-vectors

beam: $0.35'' \times 0.32''$

sampling: $0.04''$

Courtesy of C. Hull

EPoS 2016

B-vectors

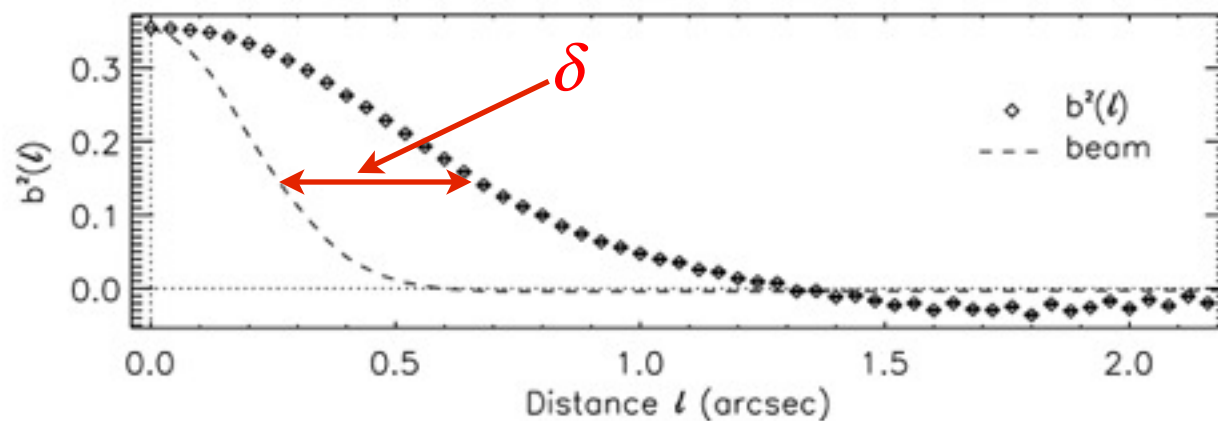
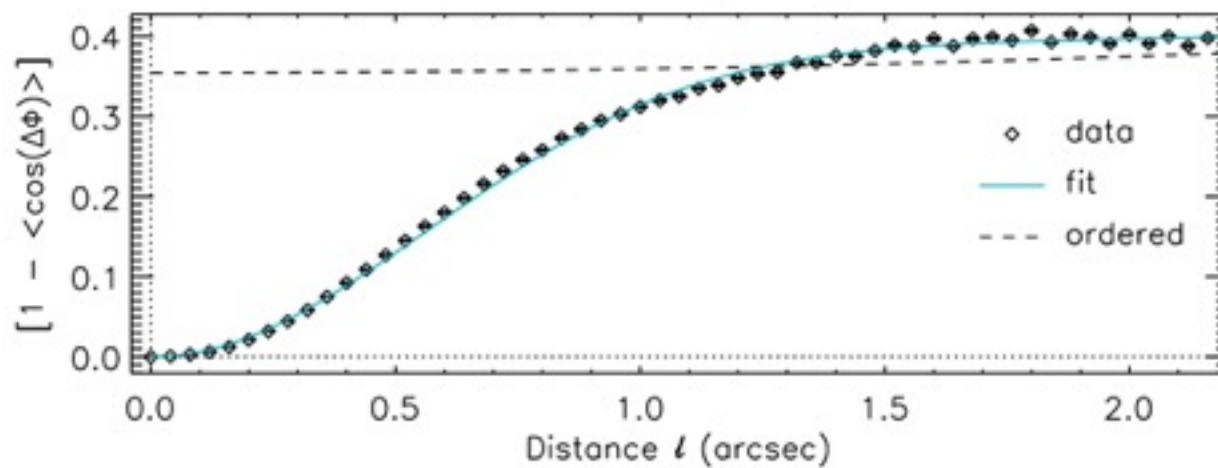
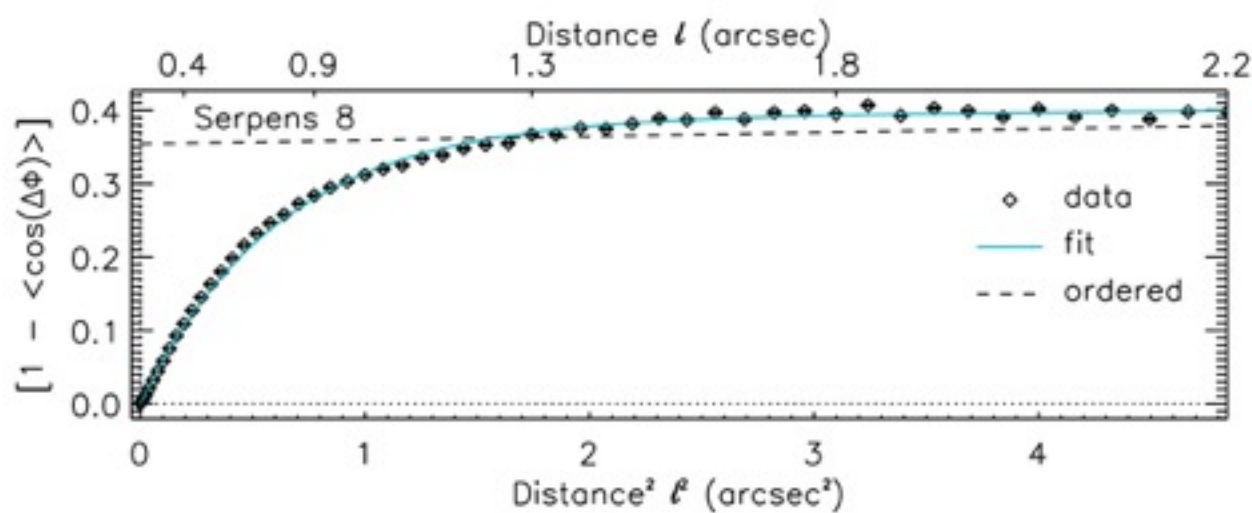
beam: 0.35" x 0.32"

sampling: 0.04"

$$\delta \approx 1 \text{ mpc}$$

$$N \approx 1.5$$

$$\frac{B_t^2}{B^2} \approx 0.45$$



B-vectors

beam: 0.35" x 0.32"

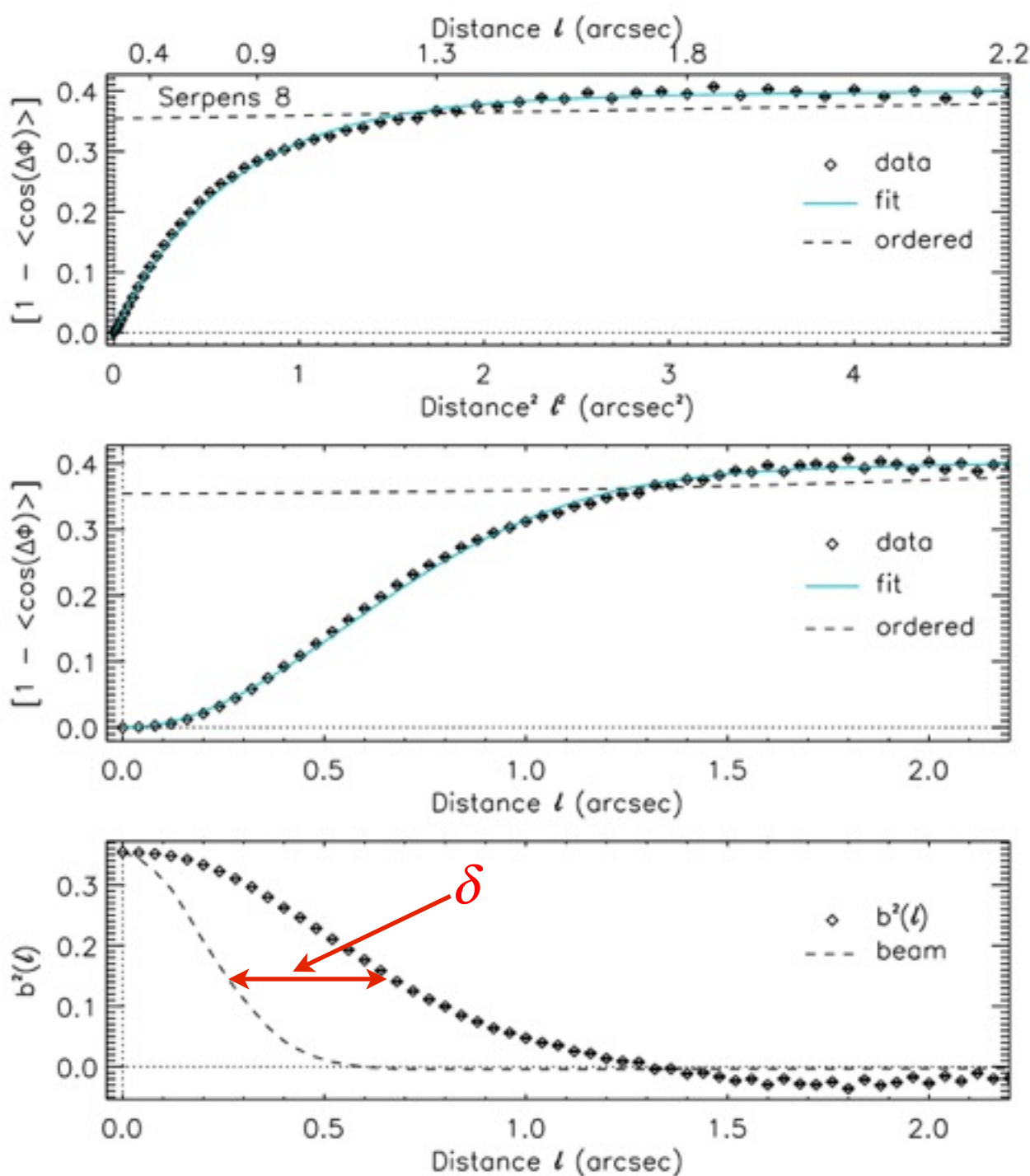
sampling: 0.04"

$$\delta \approx 1 \text{ mpc}$$

$$N \approx 1.5$$

$$\frac{B_t^2}{B^2} \approx 0.45$$

See:
P14 - C. Hull



ALMA - W3(OH)

$$1 - \langle \cos[\Delta\Phi(\ell)] \rangle \approx \frac{\langle \Delta\Phi^2(\ell) \rangle}{2}$$

but

$$\Rightarrow \langle \cos[\Delta\Phi(\ell)] \rangle \equiv \frac{\langle \bar{\mathbf{B}} \cdot \bar{\mathbf{B}}(\ell) \rangle}{\langle \bar{\mathbf{B}} \cdot \bar{\mathbf{B}}(0) \rangle} \Leftarrow$$

ALMA - W3(OH)

$$1 - \langle \cos[\Delta\Phi(\ell)] \rangle \approx \frac{\langle \Delta\Phi^2(\ell) \rangle}{2}$$

but

$$\Rightarrow \langle \cos[\Delta\Phi(\ell)] \rangle \equiv \frac{\langle \bar{\mathbf{B}} \cdot \bar{\mathbf{B}}(\ell) \rangle}{\langle \bar{\mathbf{B}} \cdot \bar{\mathbf{B}}(0) \rangle} \Leftarrow$$

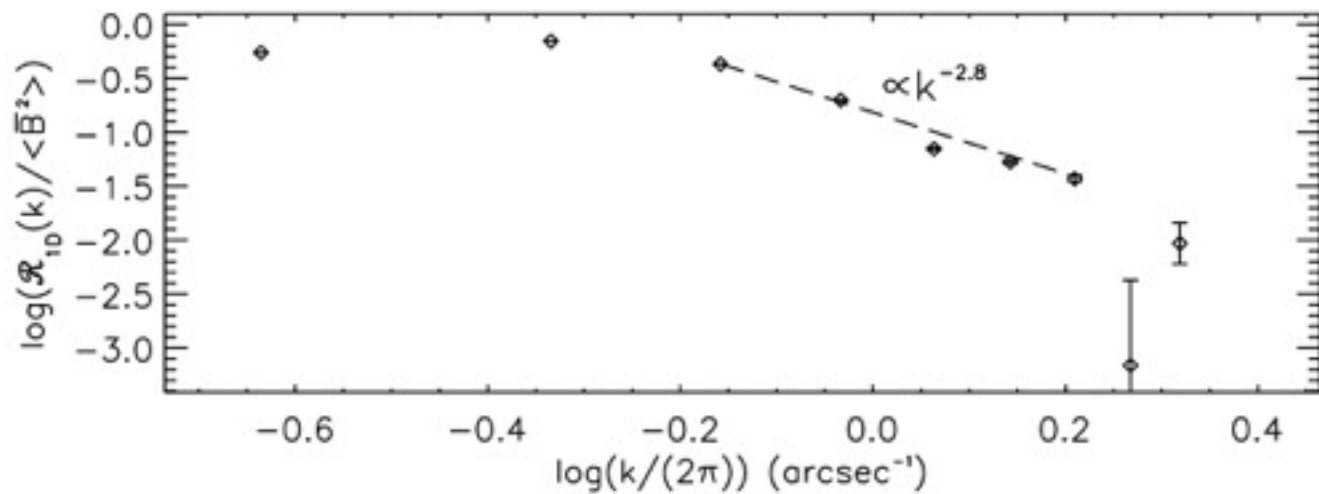
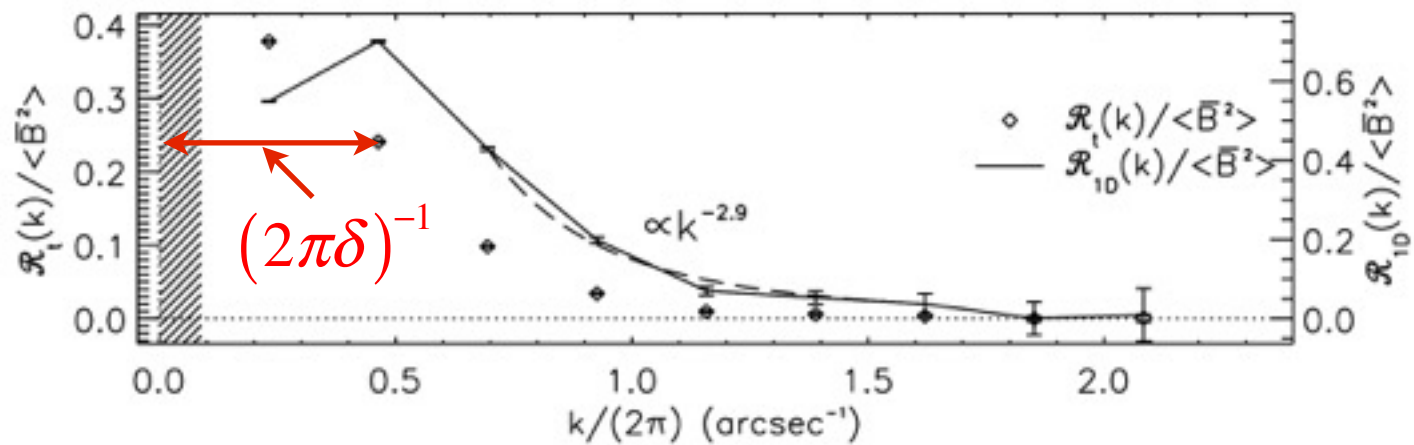
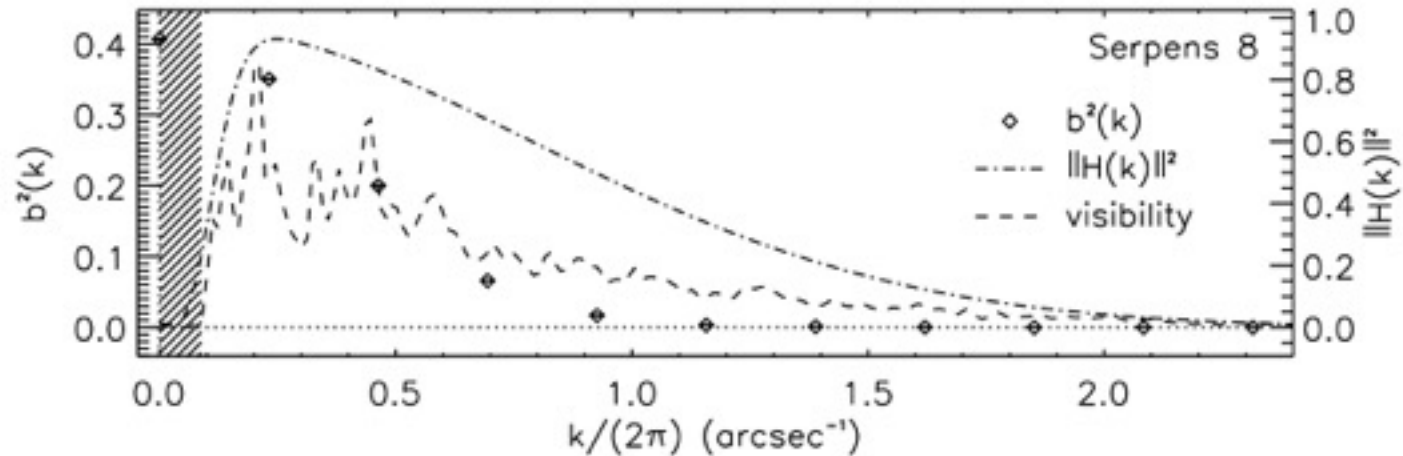
With a Fourier transform on the turbulent component

$$\frac{\langle \bar{\mathbf{B}} \cdot \bar{\mathbf{B}}(\ell) \rangle}{\langle \bar{B}^2 \rangle} \Leftrightarrow \frac{1}{\langle \bar{B}^2 \rangle} \|H(k_v)\|^2 R_t(k_v) [\equiv b^2(k_v)]$$

We can determine the turbulent power spectrum $R_t(k_v)$

by deconvolution of the beam $H(k_v)$

1-
 but
 ⇒
 With
 $\langle \bar{B} \rangle$
 $\langle \bar{B} \rangle$
 We
 by

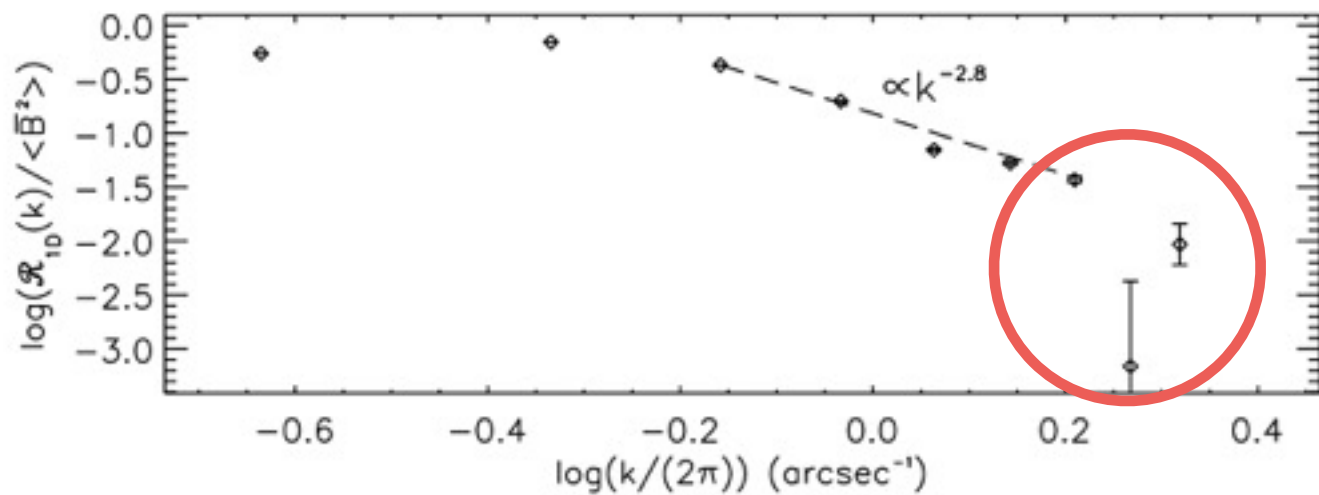
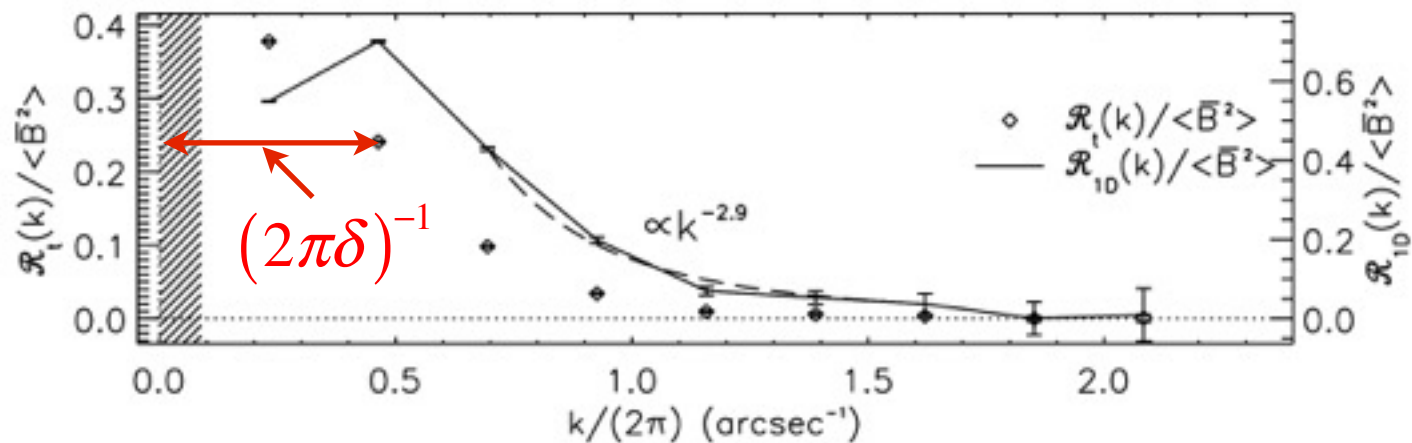
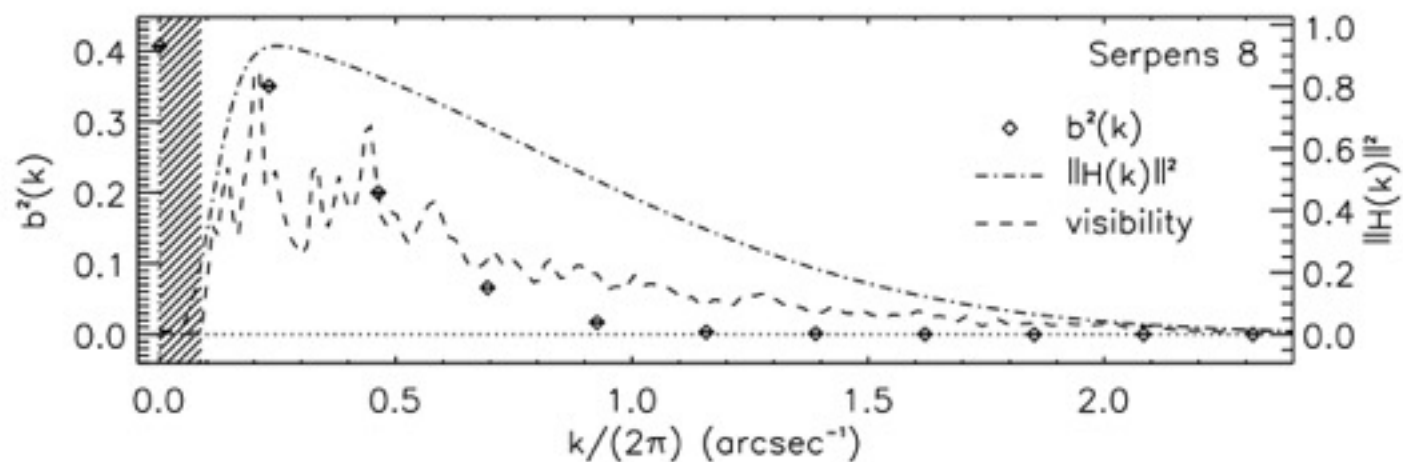


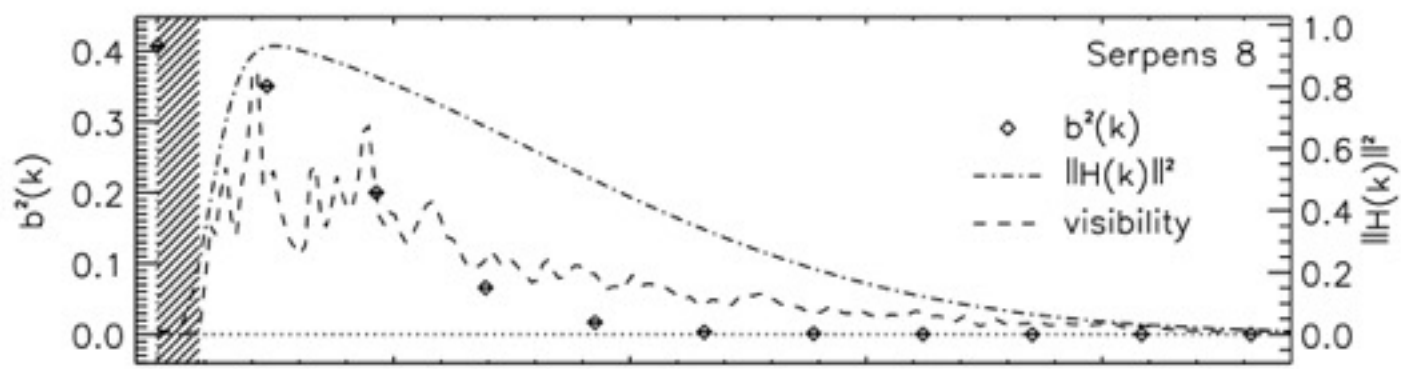
1-
but

⇒

With
 $\langle \bar{B} \rangle$

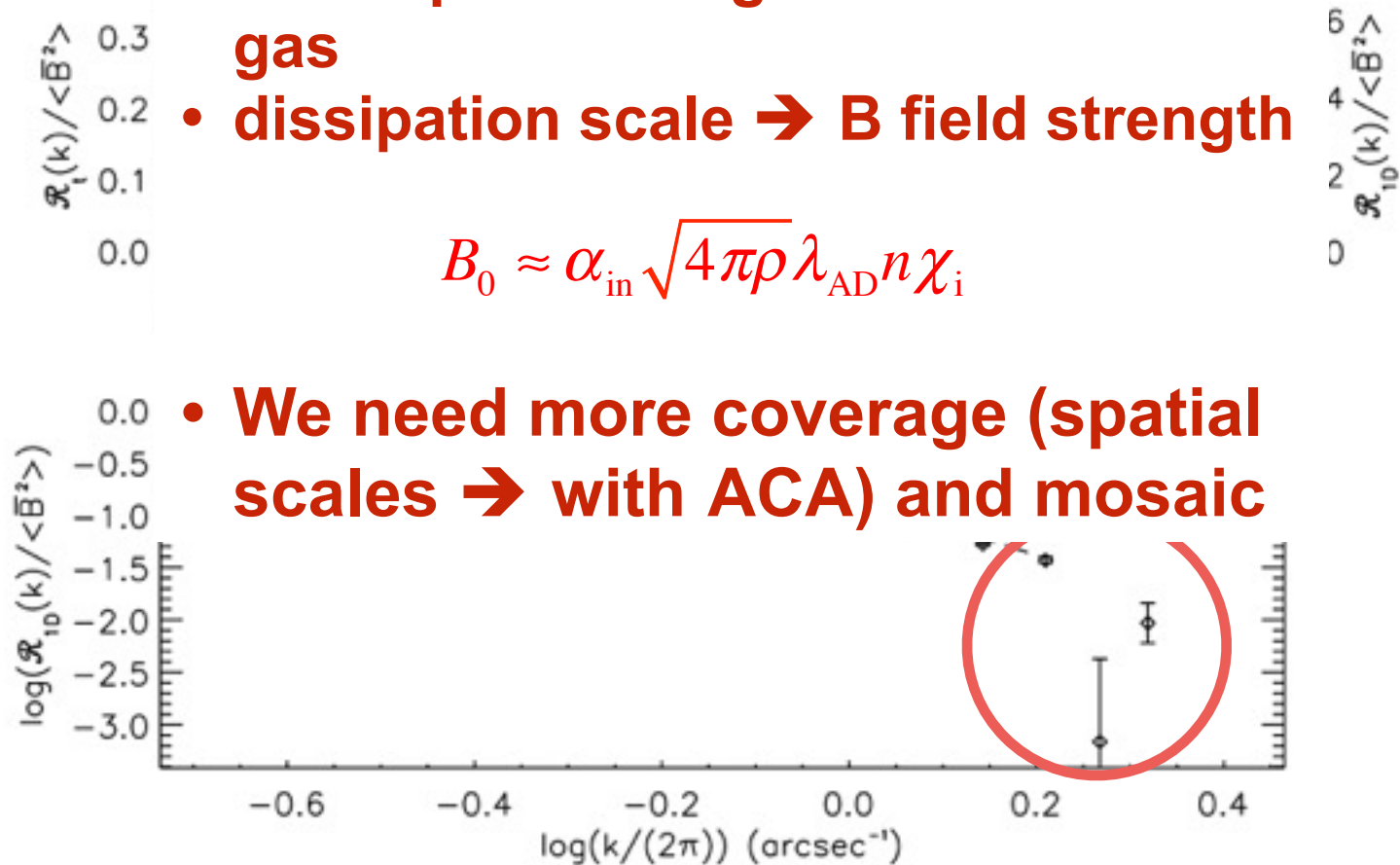
We
by





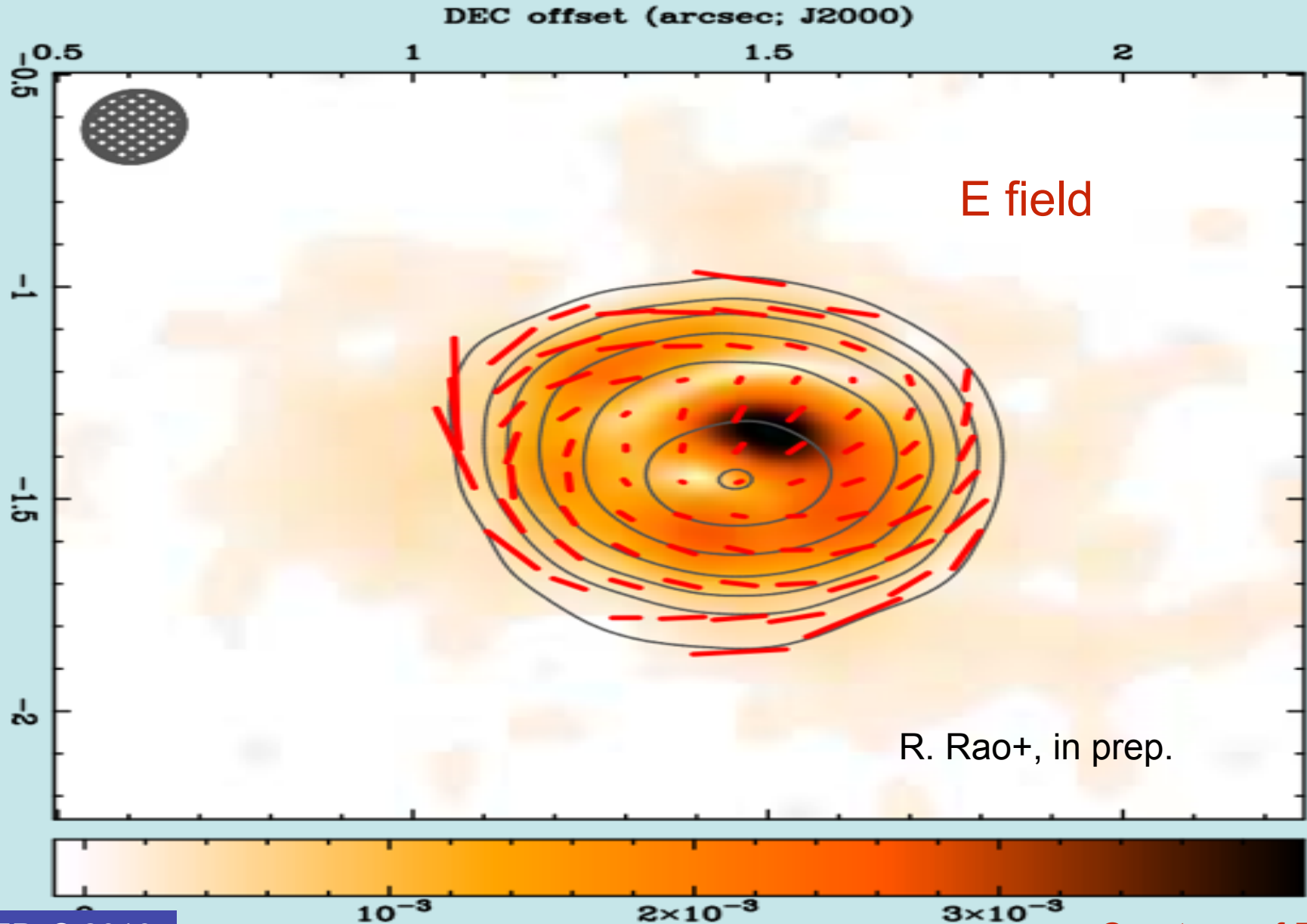
- 1 arcsec ~ 2 mpc
- < dissipation range for less dense gas
- dissipation scale \rightarrow B field strength

$$B_0 \approx \alpha_{\text{in}} \sqrt{4\pi\rho} \lambda_{\text{AD}} n \chi_i$$

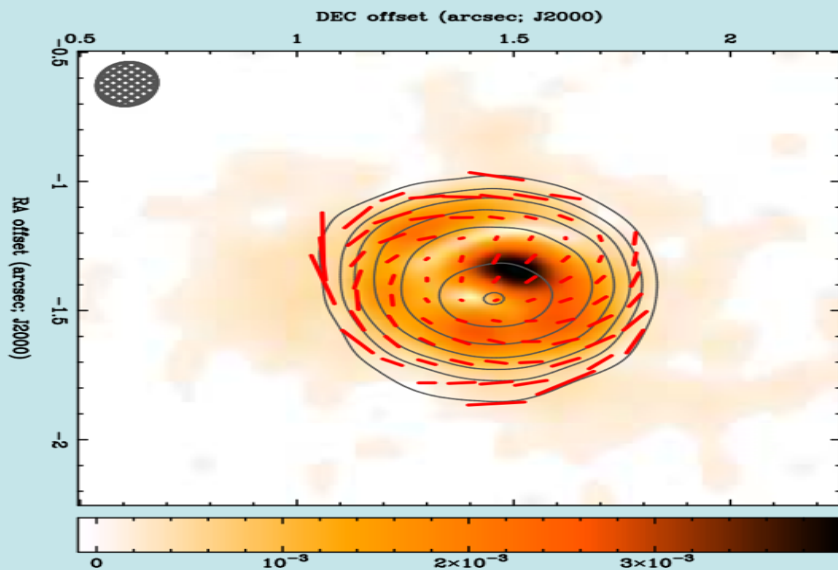


1-
but
 \Rightarrow
With
 $\langle \bar{B} \rangle$
 $\langle \bar{B} \rangle$
We
by

ALMA – IRAS16293B



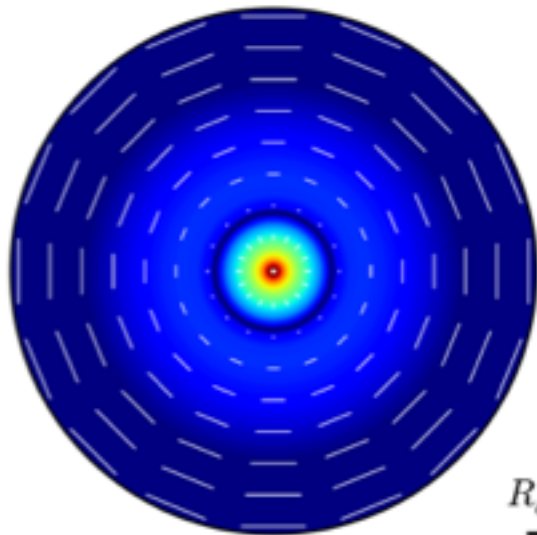
ALMA – IRAS16293B



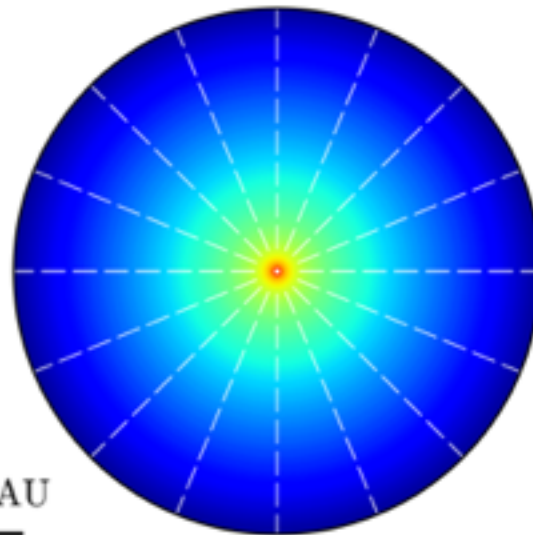
R. Rao+, in prep.

Scattering Effects can be significant

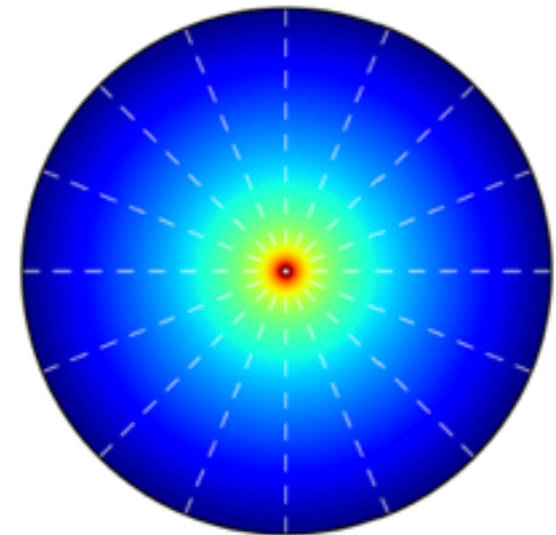
Scattering



Direct Emission



Combined



$R_c = 50$ AU

Yang+ 2016, MNRAS, 456, 2794

Kataoka+ 2016, ApJ, 820, 54

The ALMA Era...

The ALMA Era...

Don't miss...

Focus Group 2 - Magnetic Fields and Polarization in Young Stellar Objects: Interpreting the Next Generation of Observations and Simulations (C. Hull and B. Liu).

Posters:

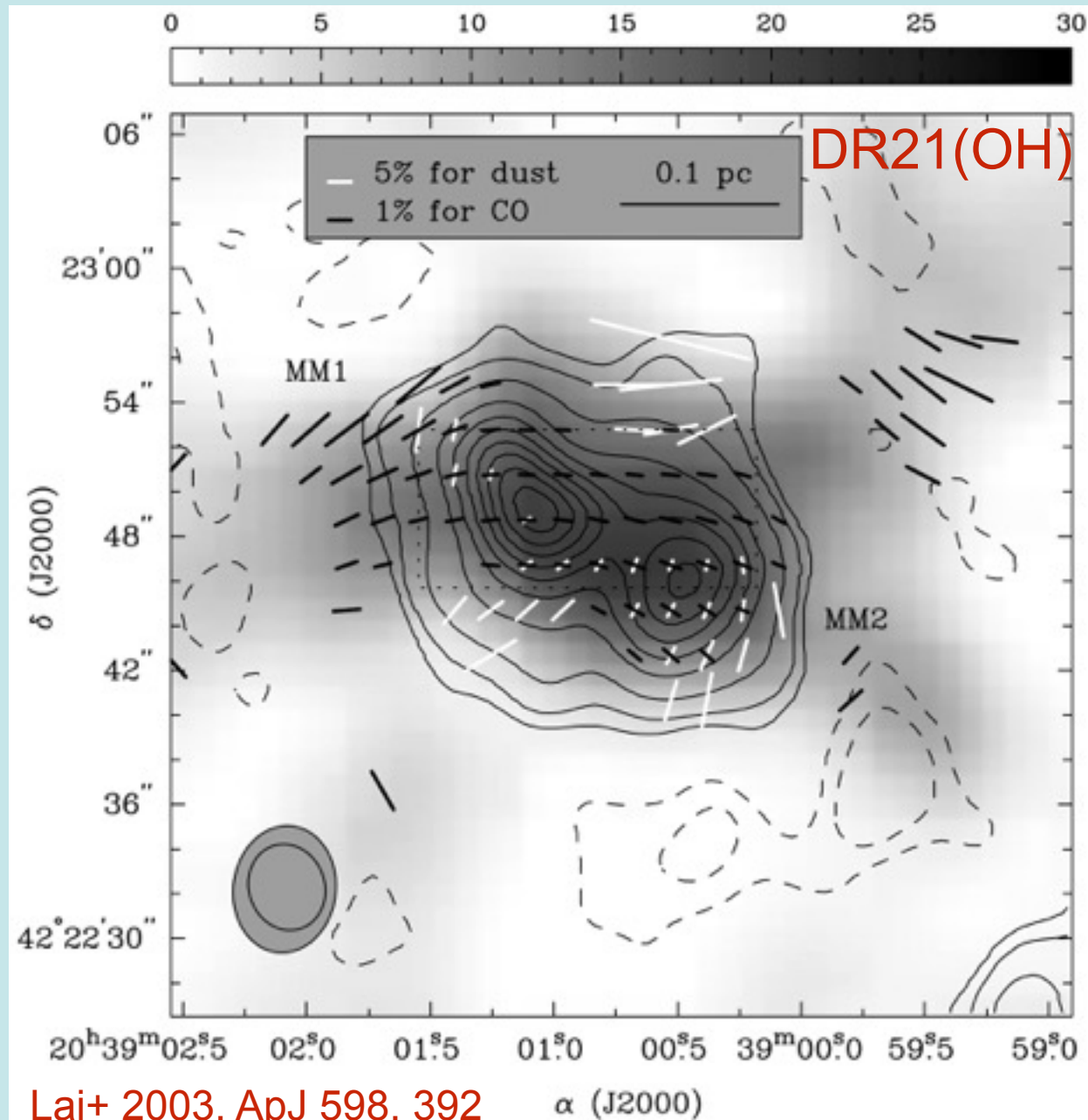
P03 - C.-Y. Chen

P10 - M. Gonzalez

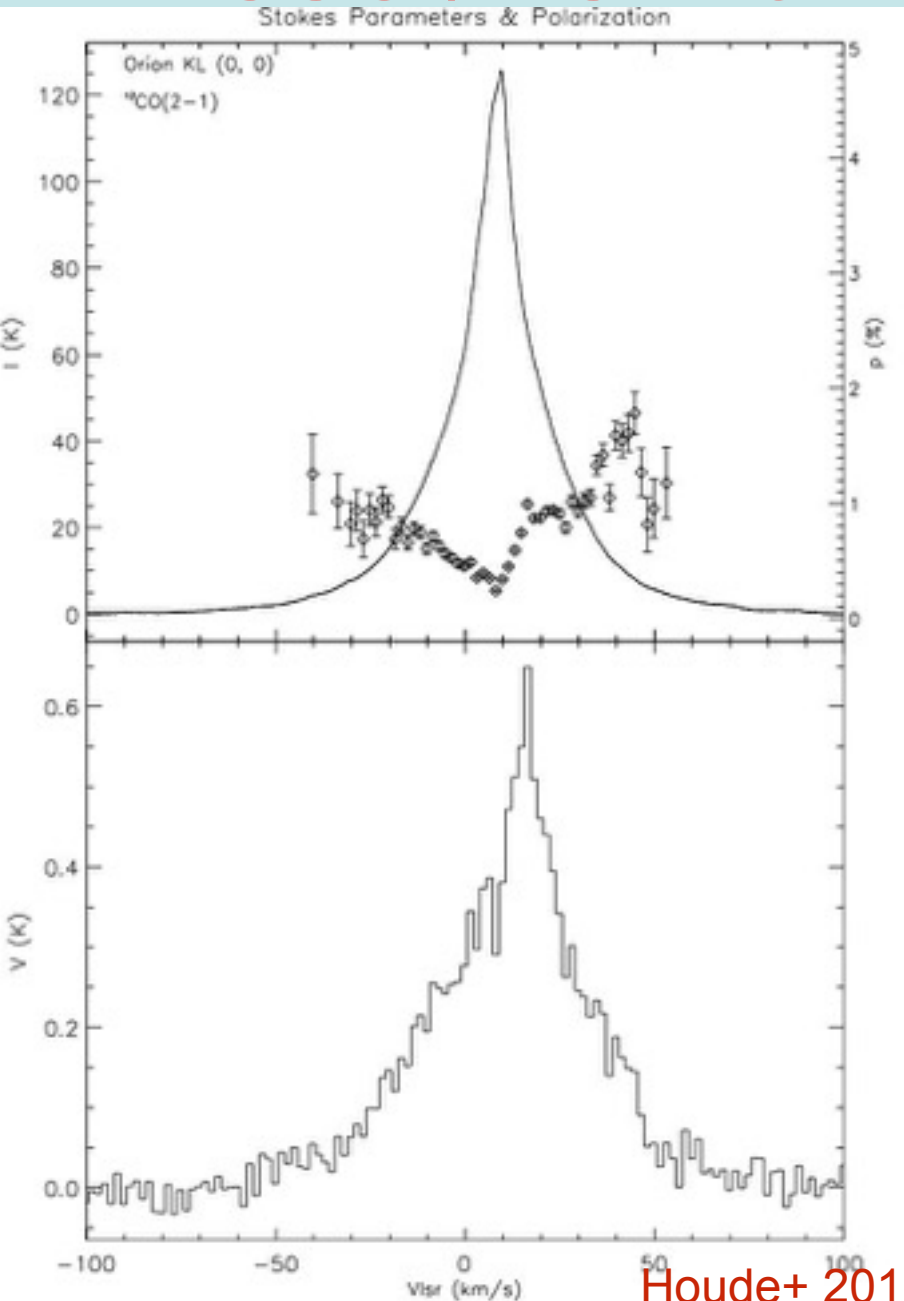
P16 - R. Klein

Goldreich-Kylafis (CO Linear Polarization)

- Complementary to dust polarization
- E.g., can be use to trace outflows
- GK effect has a 90 deg ambiguity...
- **We understand molecules better than dust**
- but there's a complication (opportunity)...

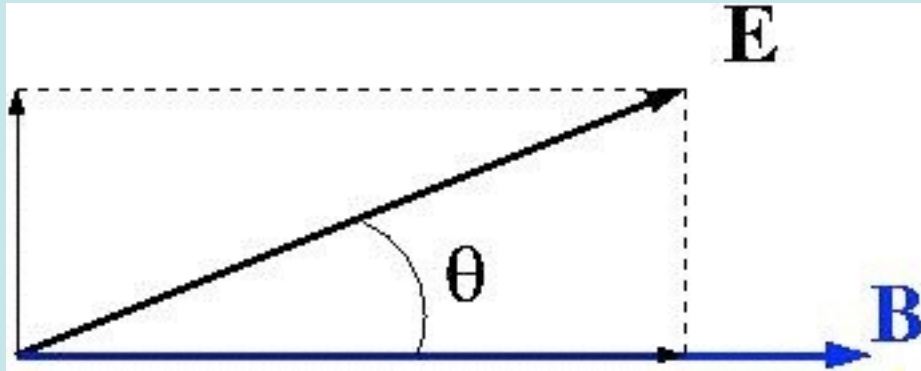


CSO / FSPPol - CP Measurements



- Circular polarization measurements in Orion KL of the $^{12}\text{C}^{16}\text{O}$ ($J = 2 \rightarrow 1$) rotational line at 230.5 GHz with FSPPol
- Zeeman splitting ~ 0.2 mHz/ μG
 - ~ 4 orders of magnitude less than CN

Anisotropic Resonant Scattering



Radiation State of LP at angle θ

$$|\theta\rangle = \alpha| \parallel \rangle + \beta| \perp \rangle$$

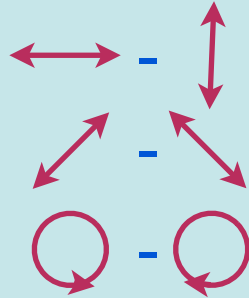
with $\alpha = \cos(\theta)$, $\beta = \sin(\theta)$

$$|\theta'\rangle \simeq \alpha e^{-i\phi} | \parallel \rangle + \beta | \perp \rangle$$

$$Q = Q_0$$

$$U = U_0 \cos(\phi)$$

$$V = U_0 \sin(\phi)$$

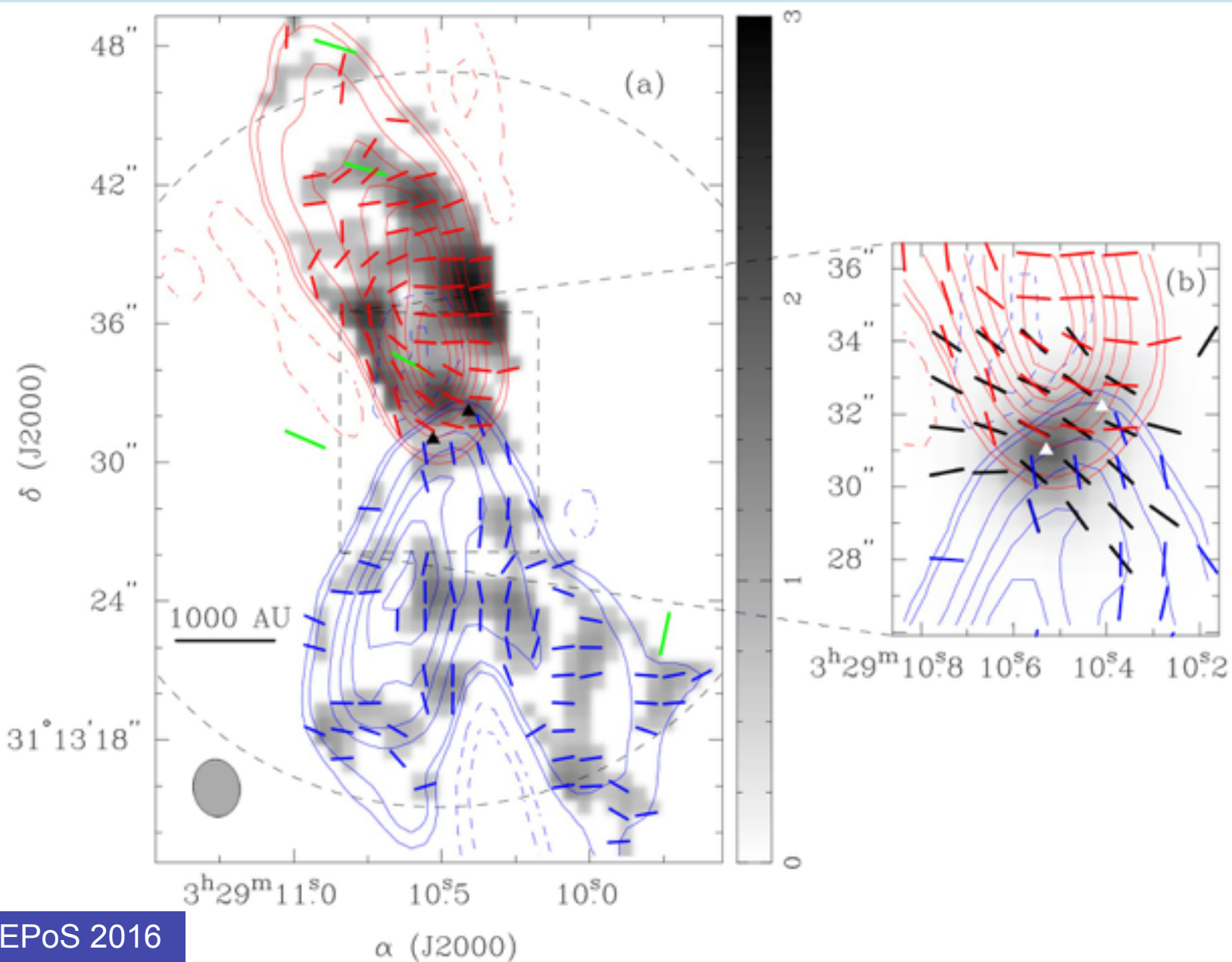


$$\phi \propto B_{\text{pos}}^2$$

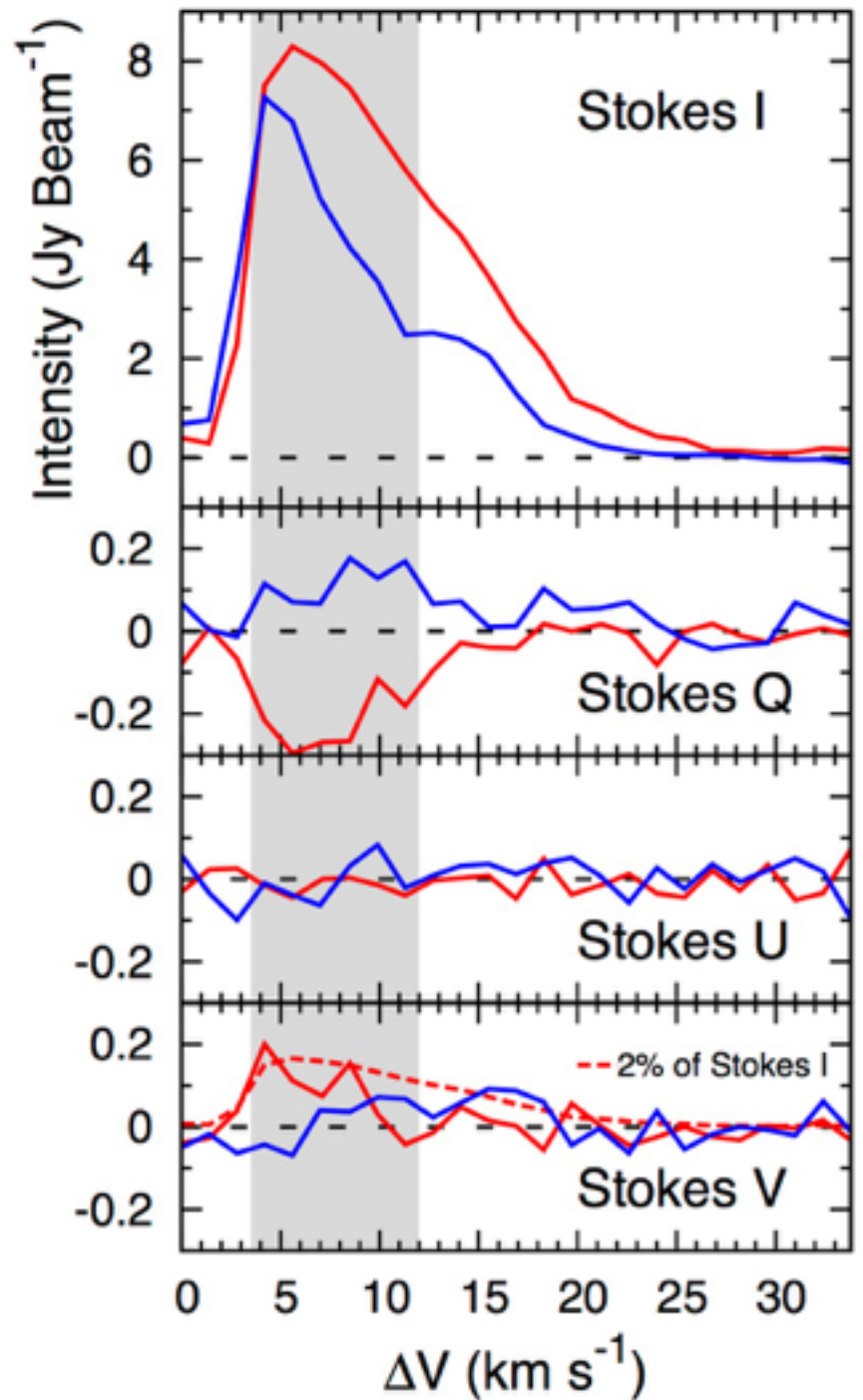
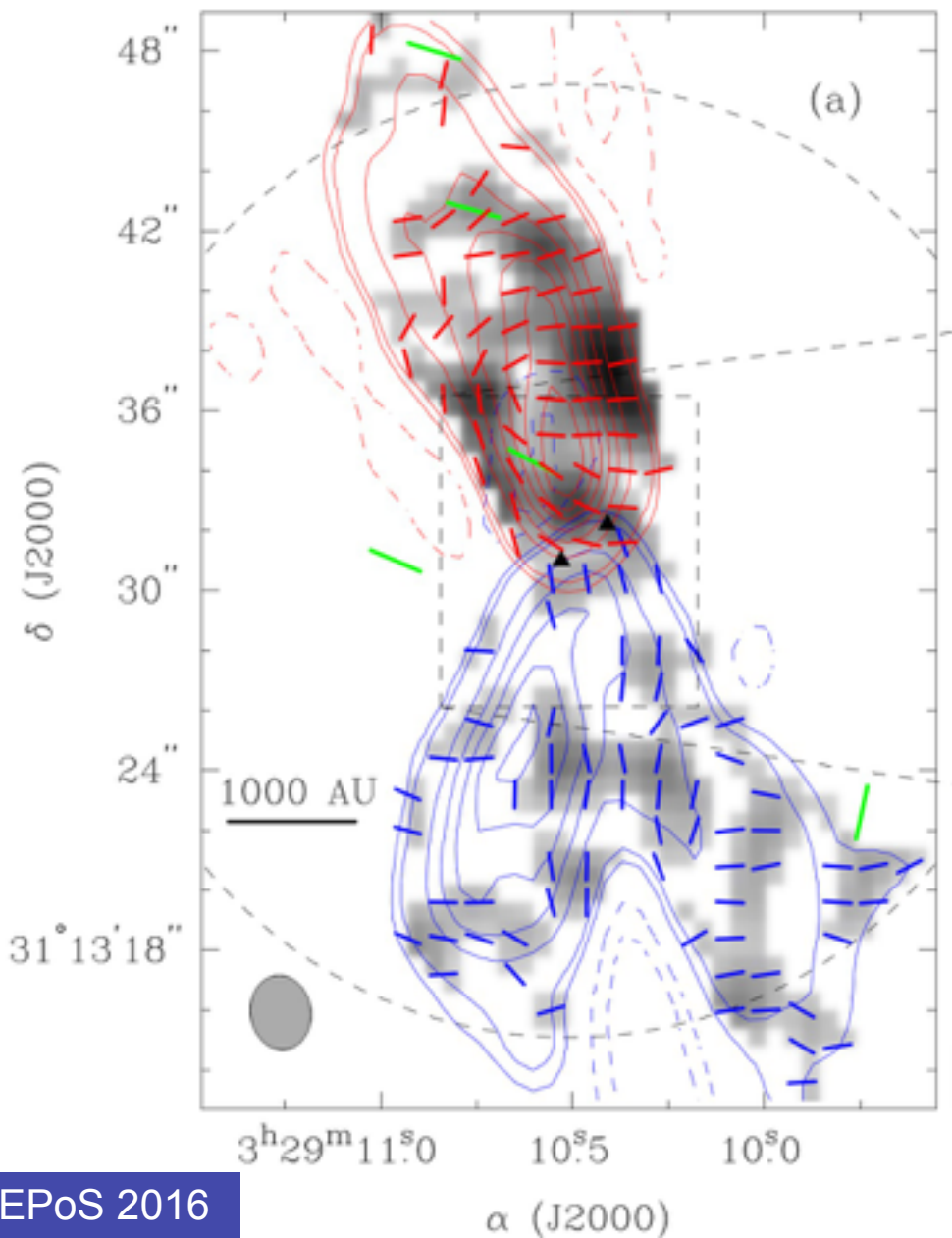
$$\tan(2\chi) = \cos(\phi) \tan(2\chi_0)$$

$$U_0 = U \cos(\phi) + V \sin(\phi)$$

Goldreich-Kylafis (CO Linear Polarization)

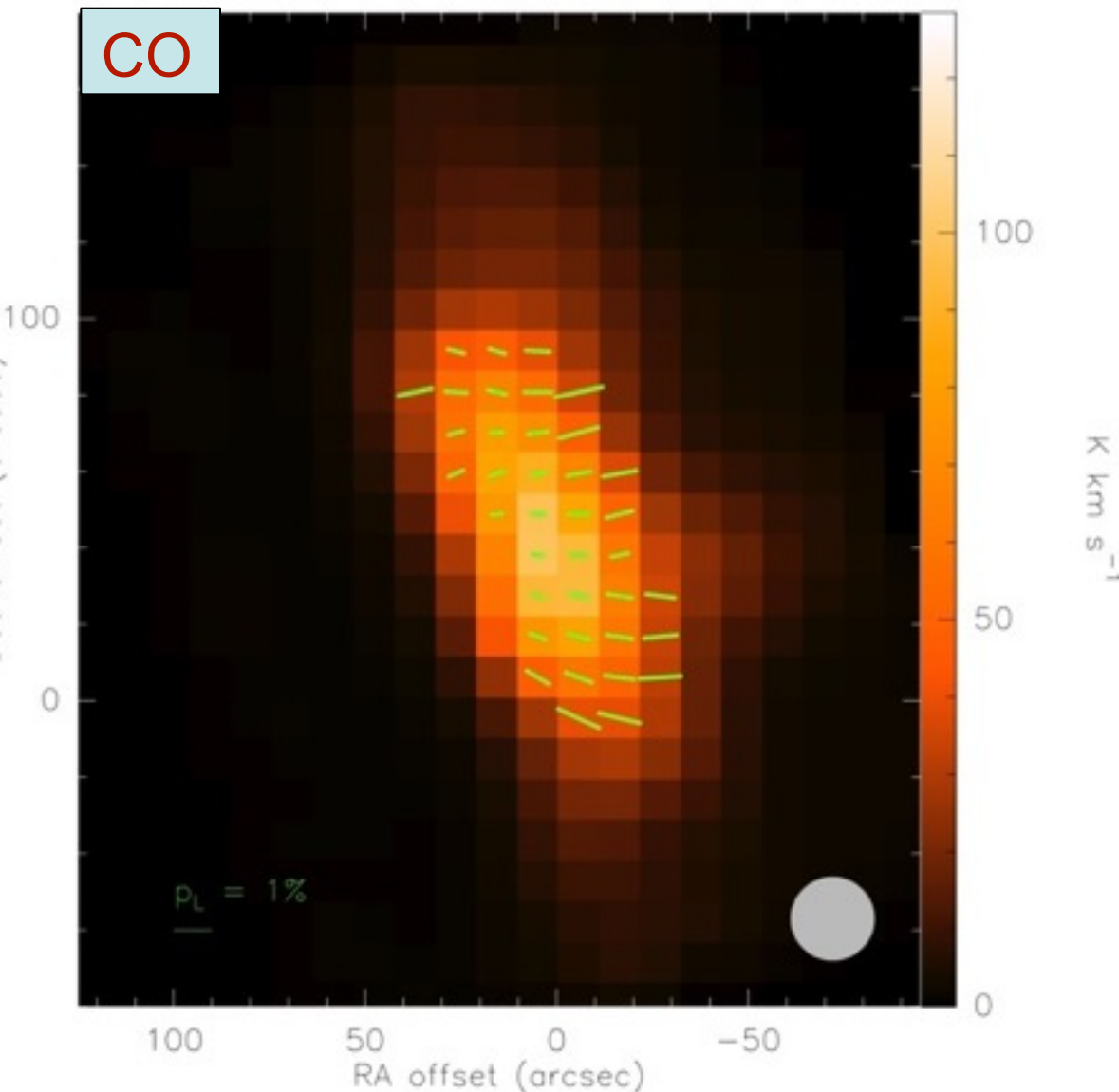


Goldreich-Kylafis (CO)



IRAM 30m/APEX - SNR IC 443 (G)

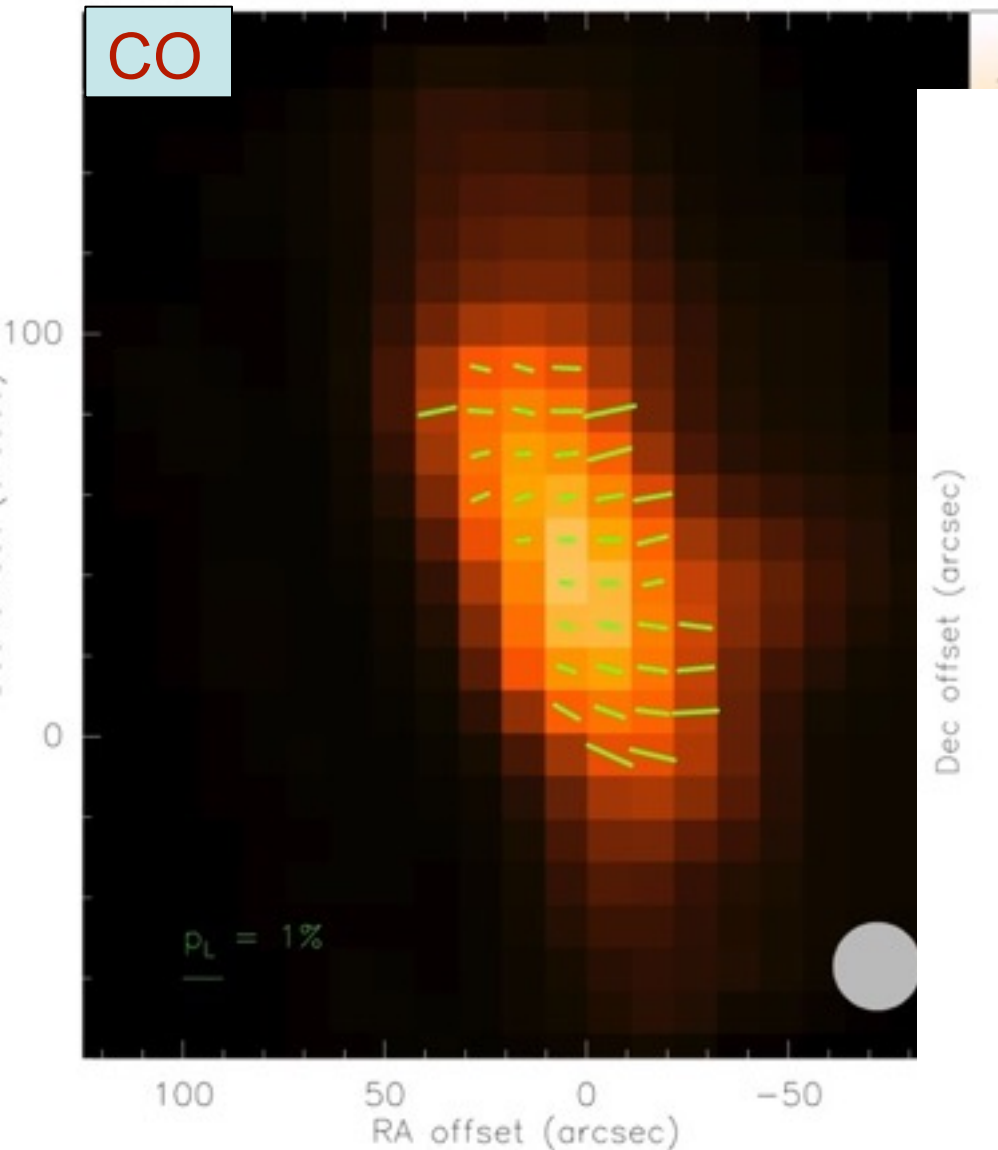
IC443-G, CO(1→0), blue-shifted wing



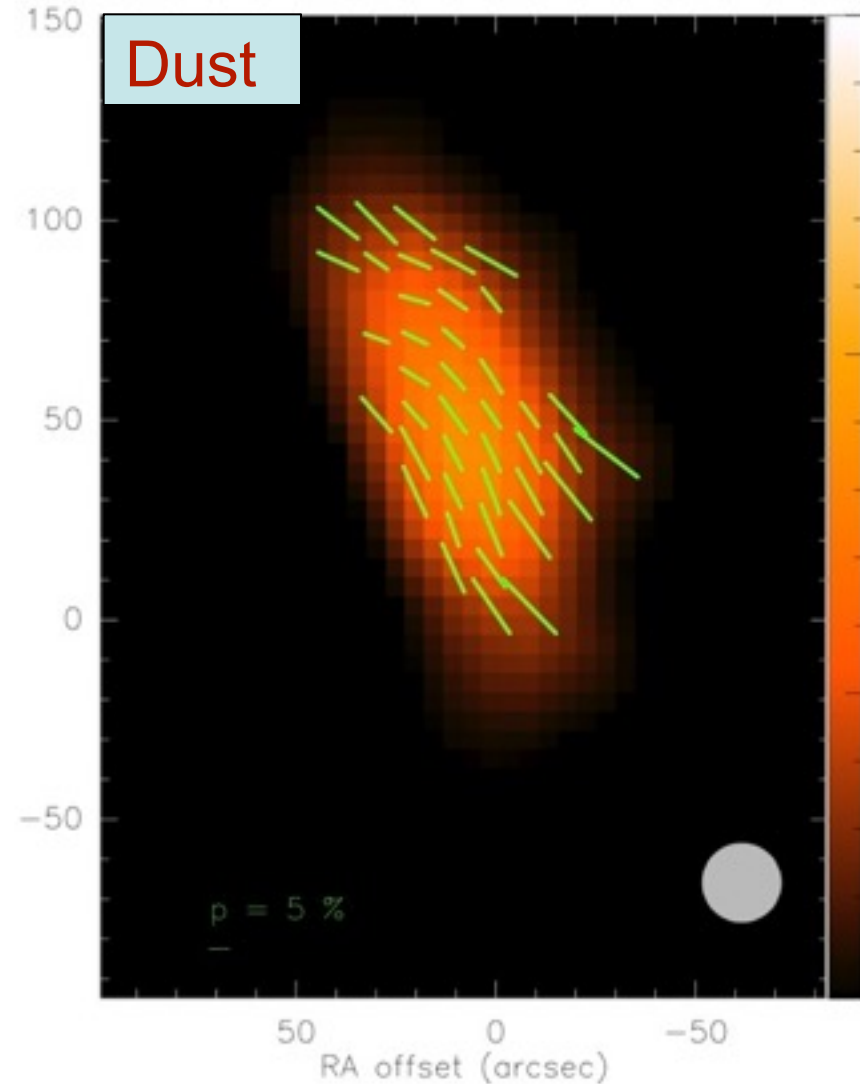
IRAM 30m/APEX - SNR IC 443 (G)

IC443-G, CO(1→0), blue-shifted wing

CO



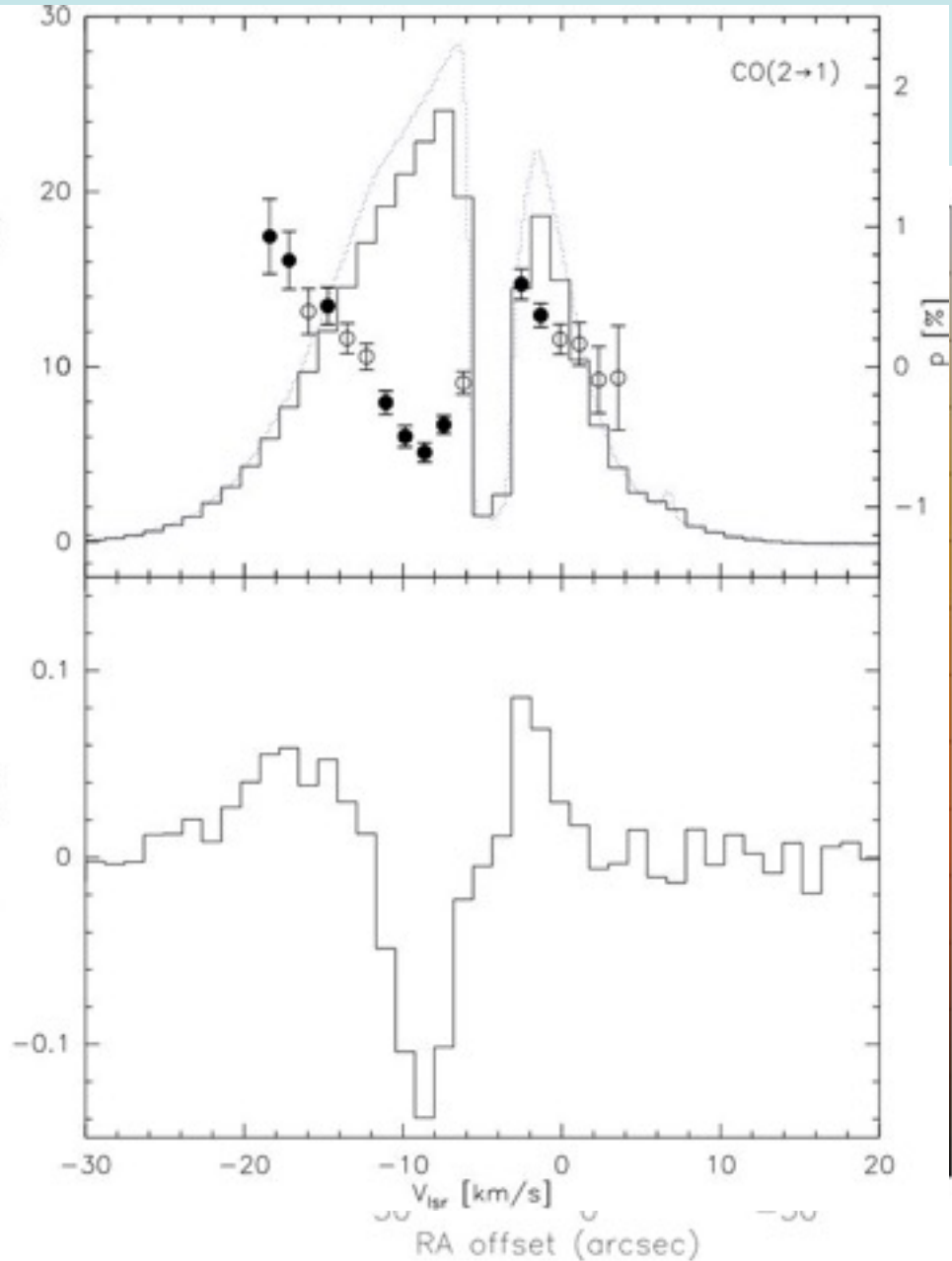
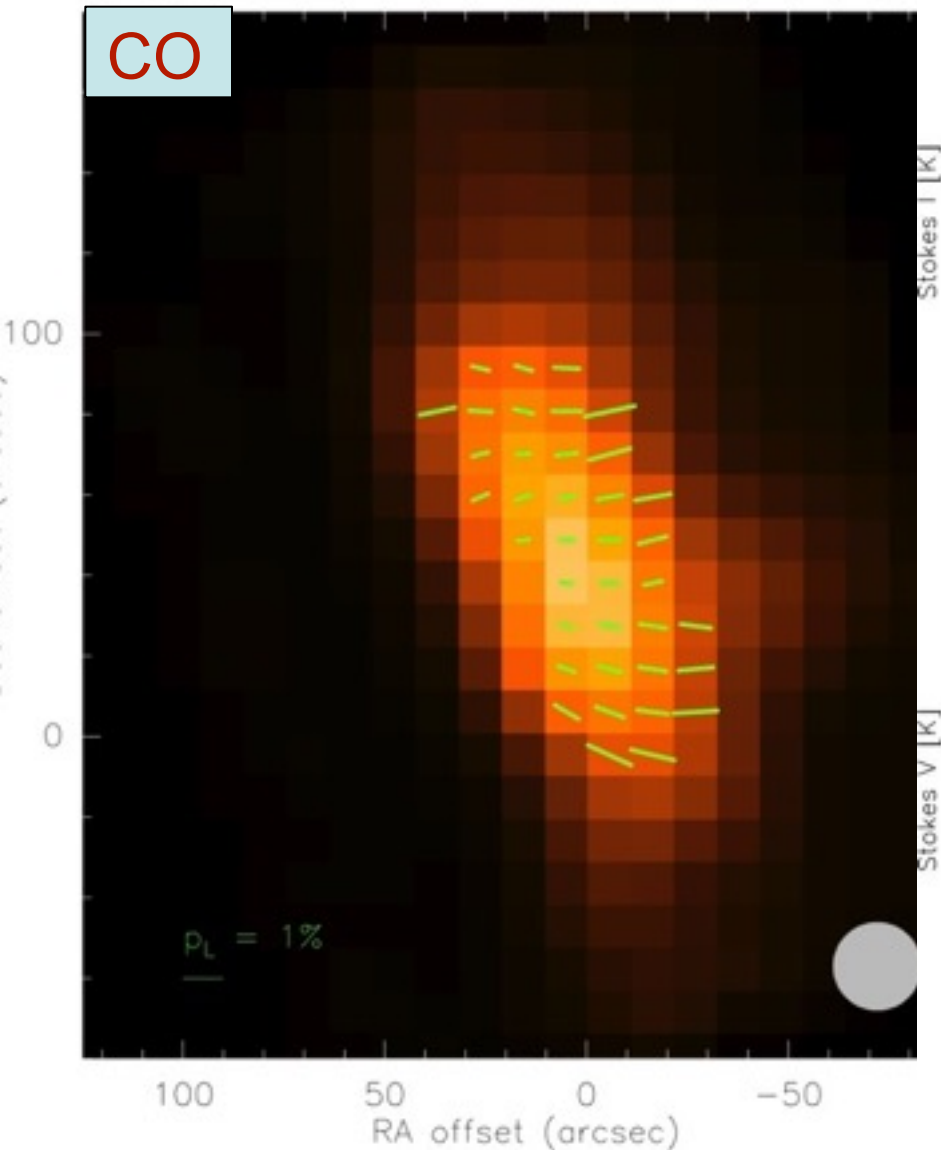
Dust



IRAM 30m/APEX - SNR IC 443 (G)

IC443-G, CO(1→0), blue-shifted wing

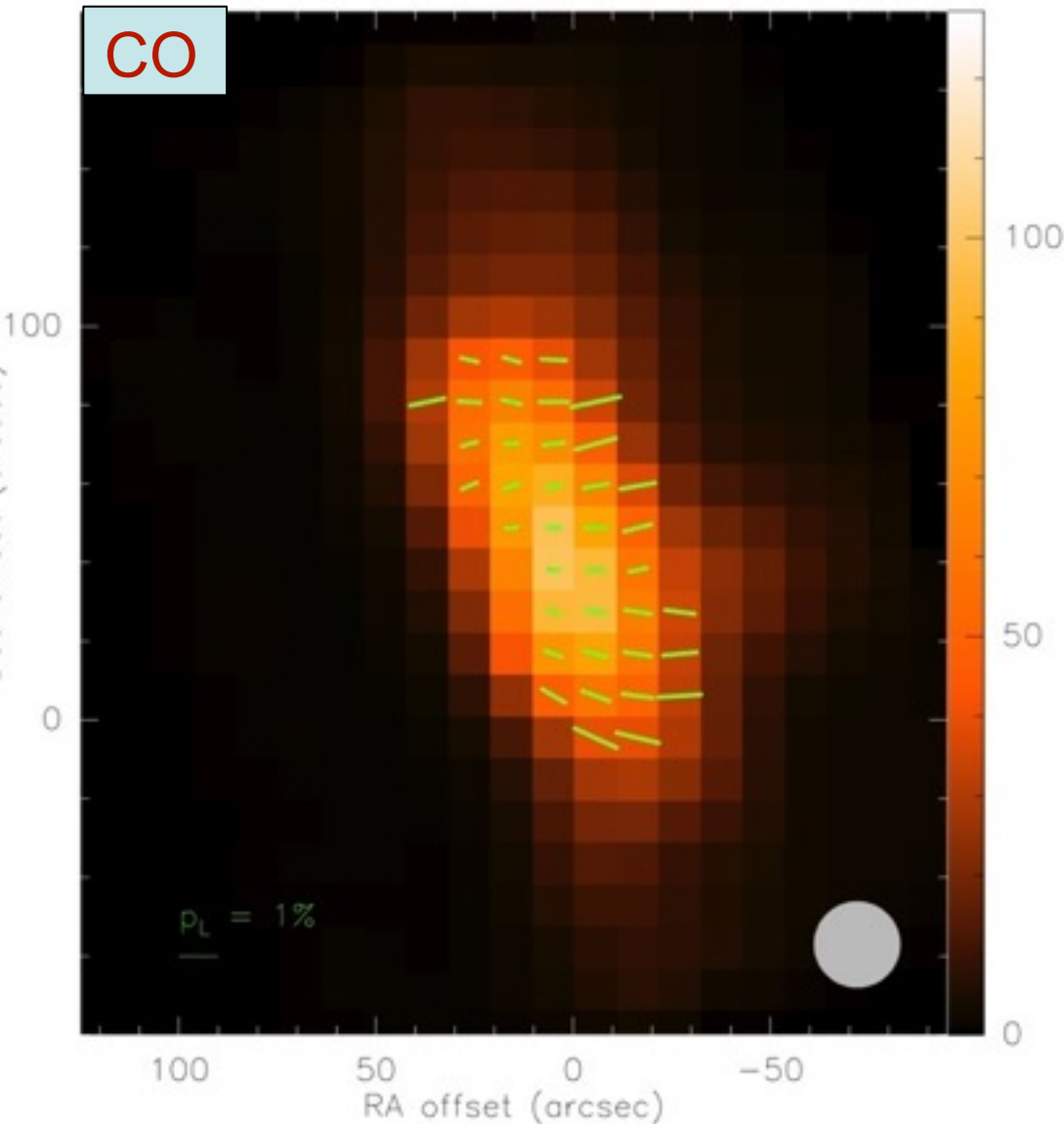
CO



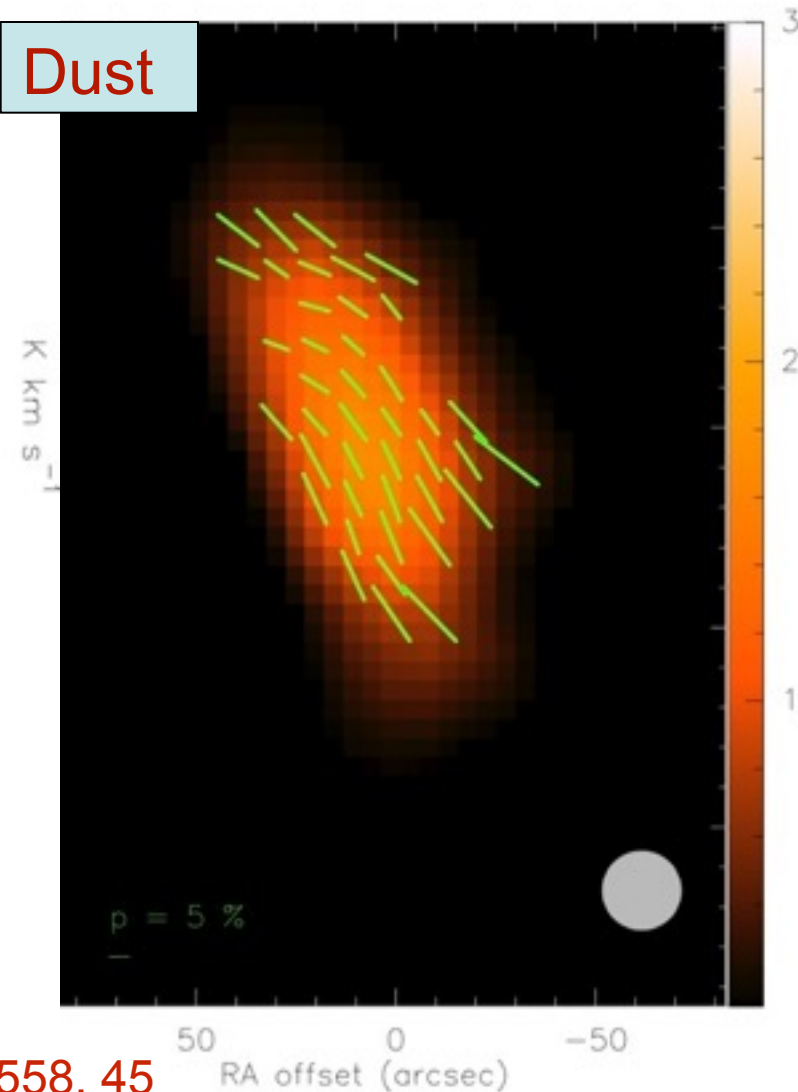
IRAM 30m/APEX - SR IC 443 (G)

IC443-G, CO(1→0), blue-shifted wing

CO



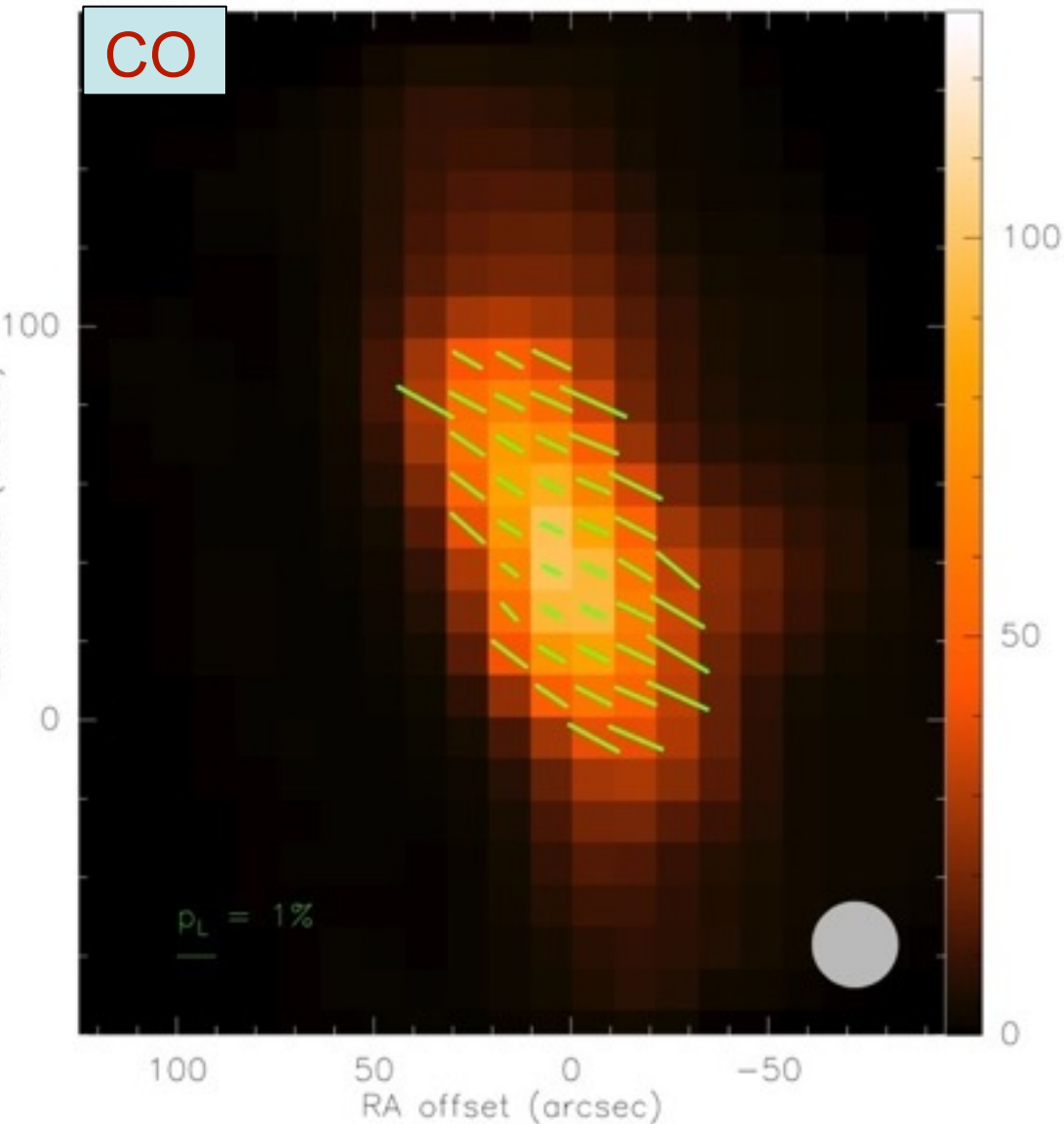
Dust



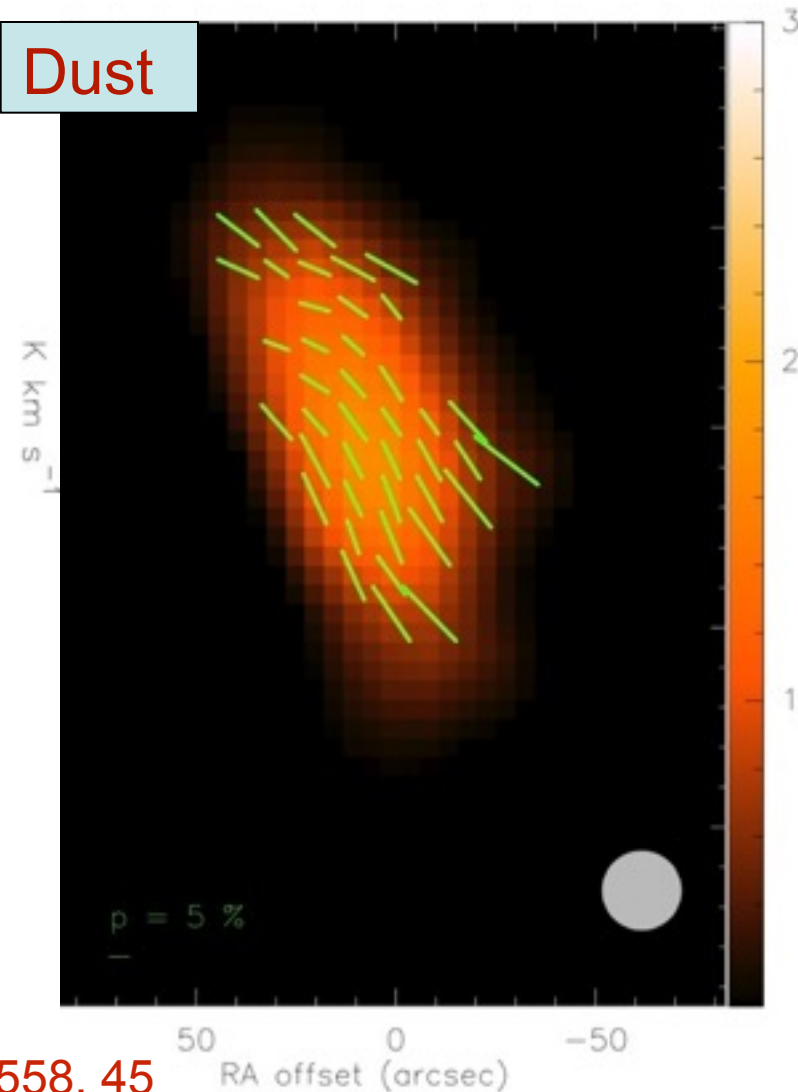
IRAM 30m/APEX - SR IC 443 (G)

IC443-G, CO(1→0), blue-shifted wing

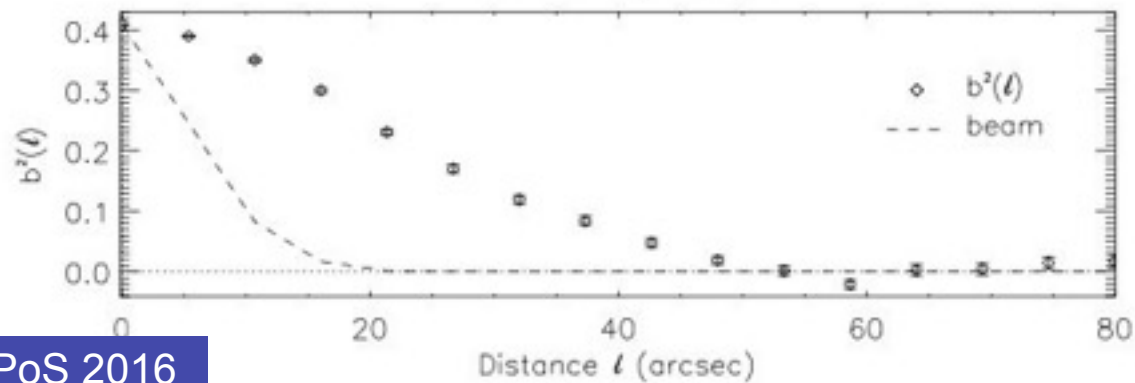
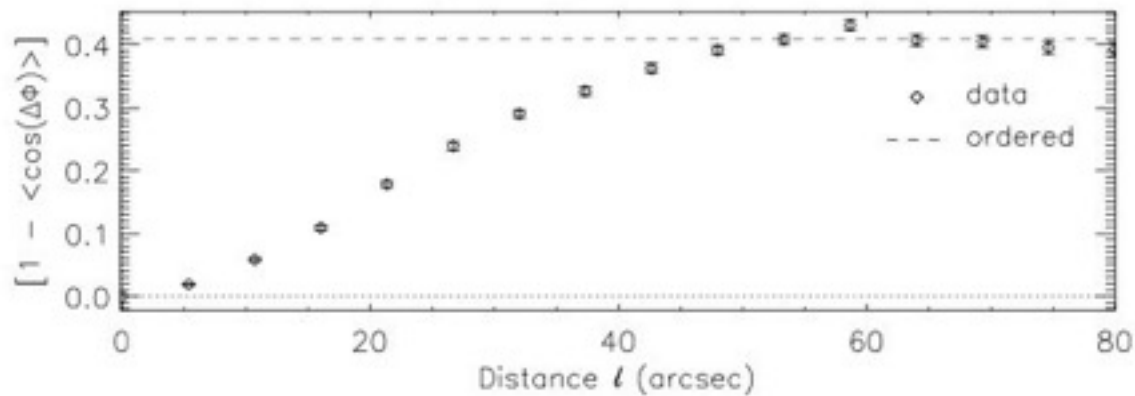
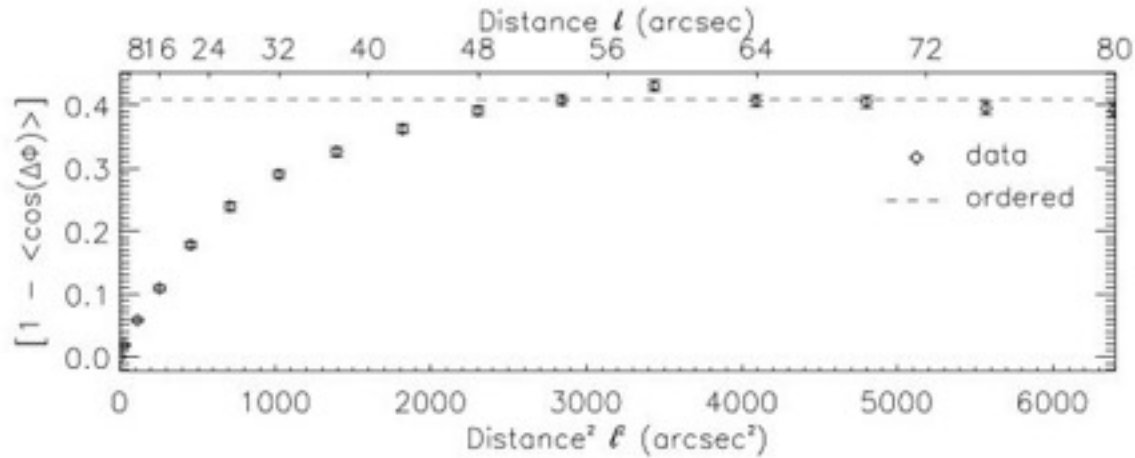
CO



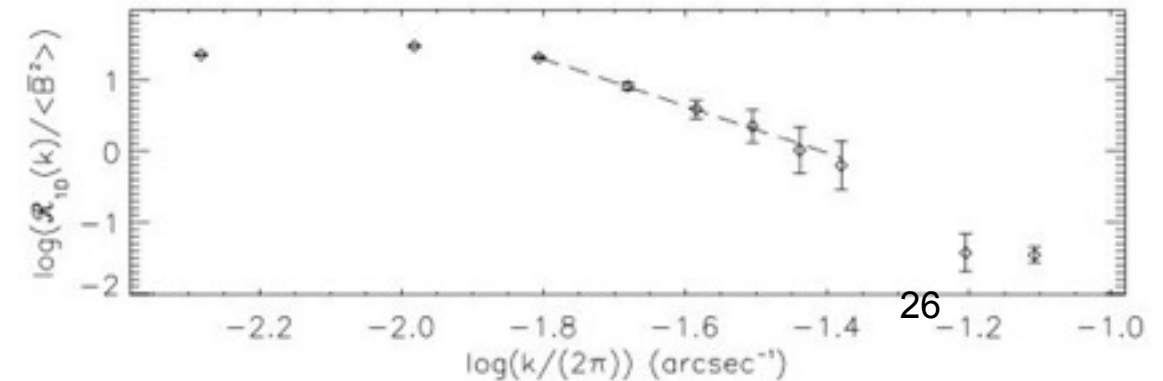
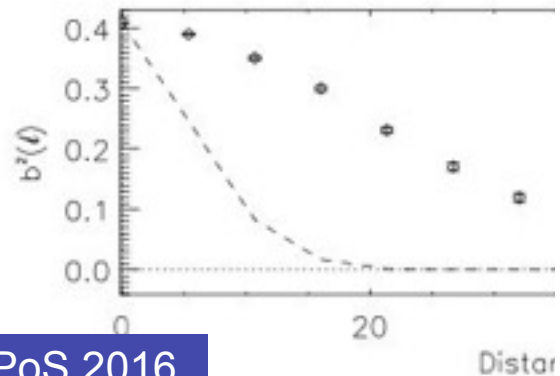
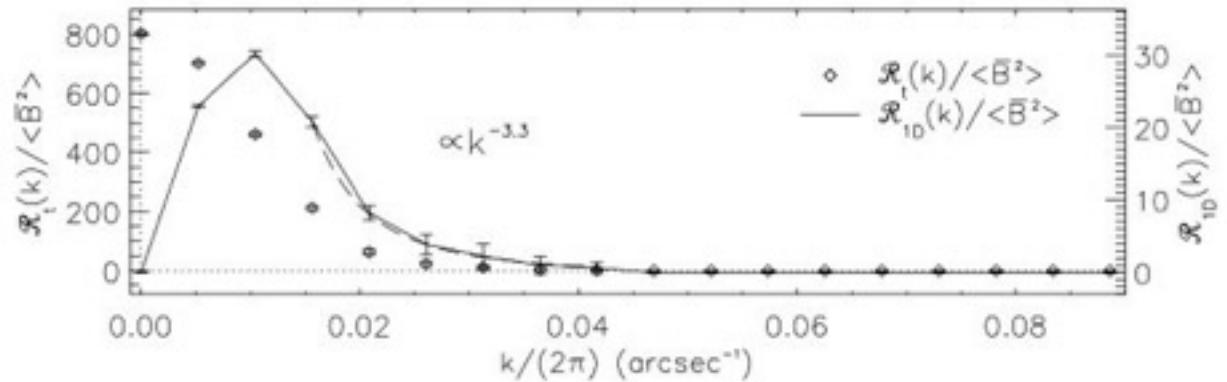
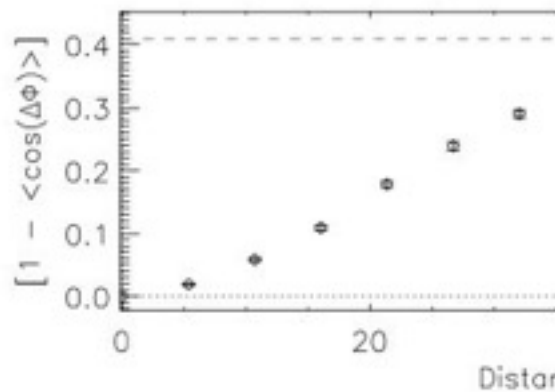
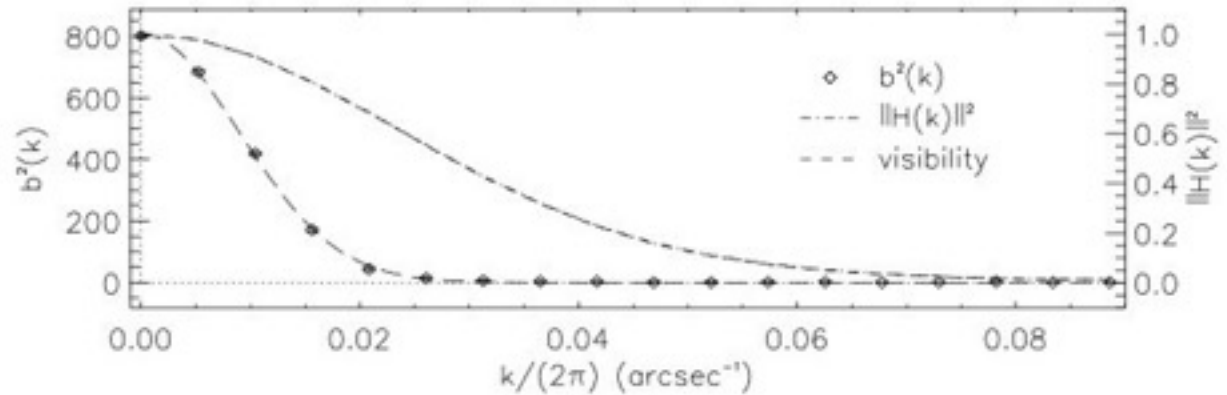
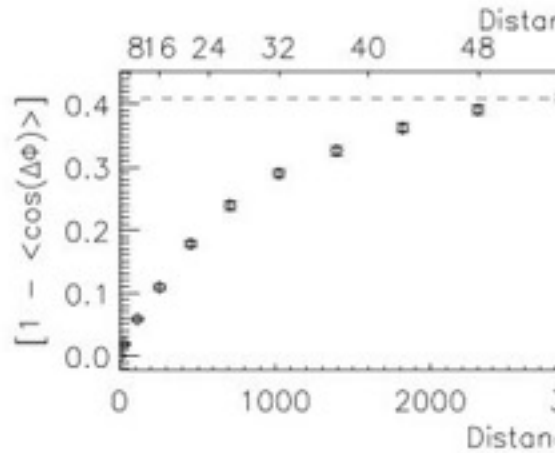
Dust



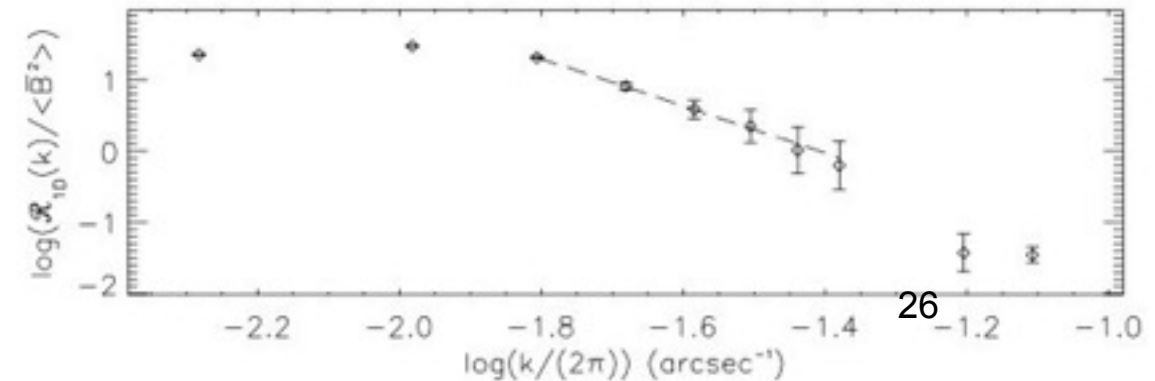
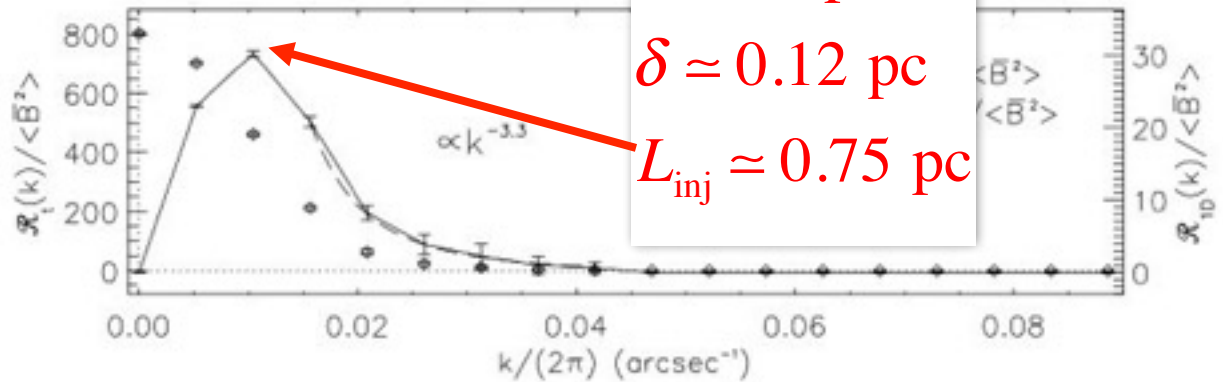
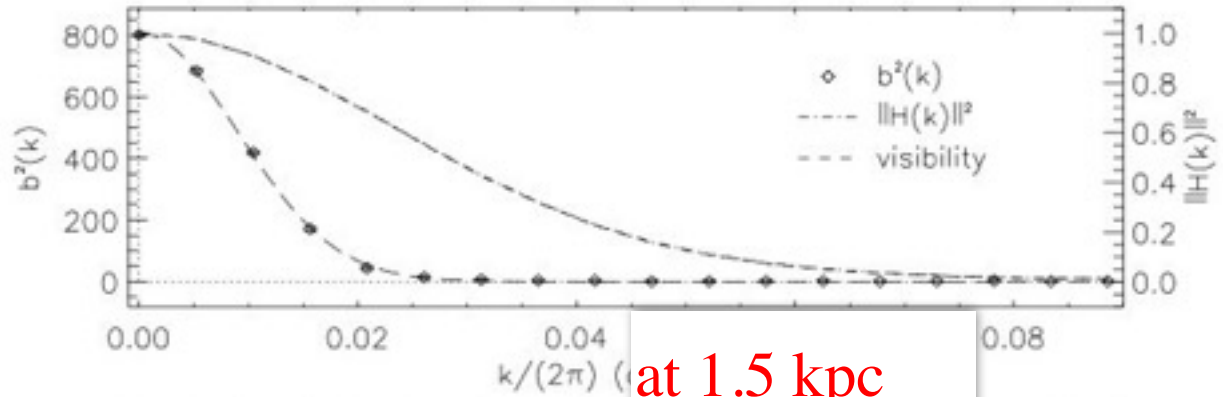
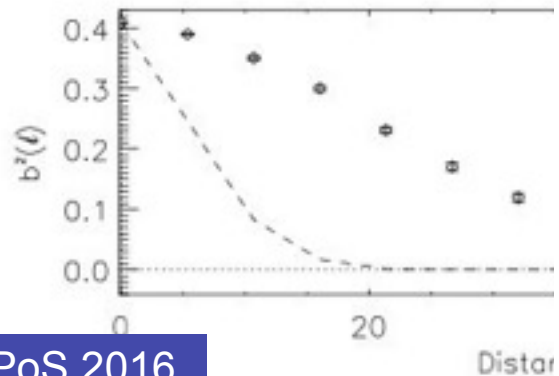
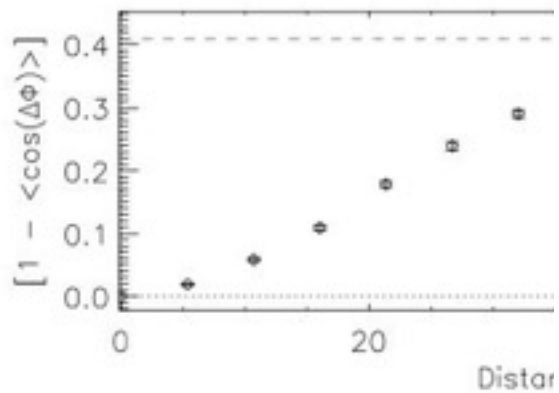
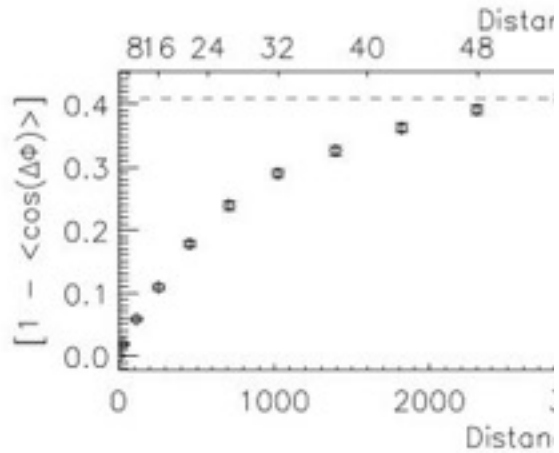
Line Polarization / Dispersion - SNR IC 443



Line Polarization / Dispersion - SNR IC 443

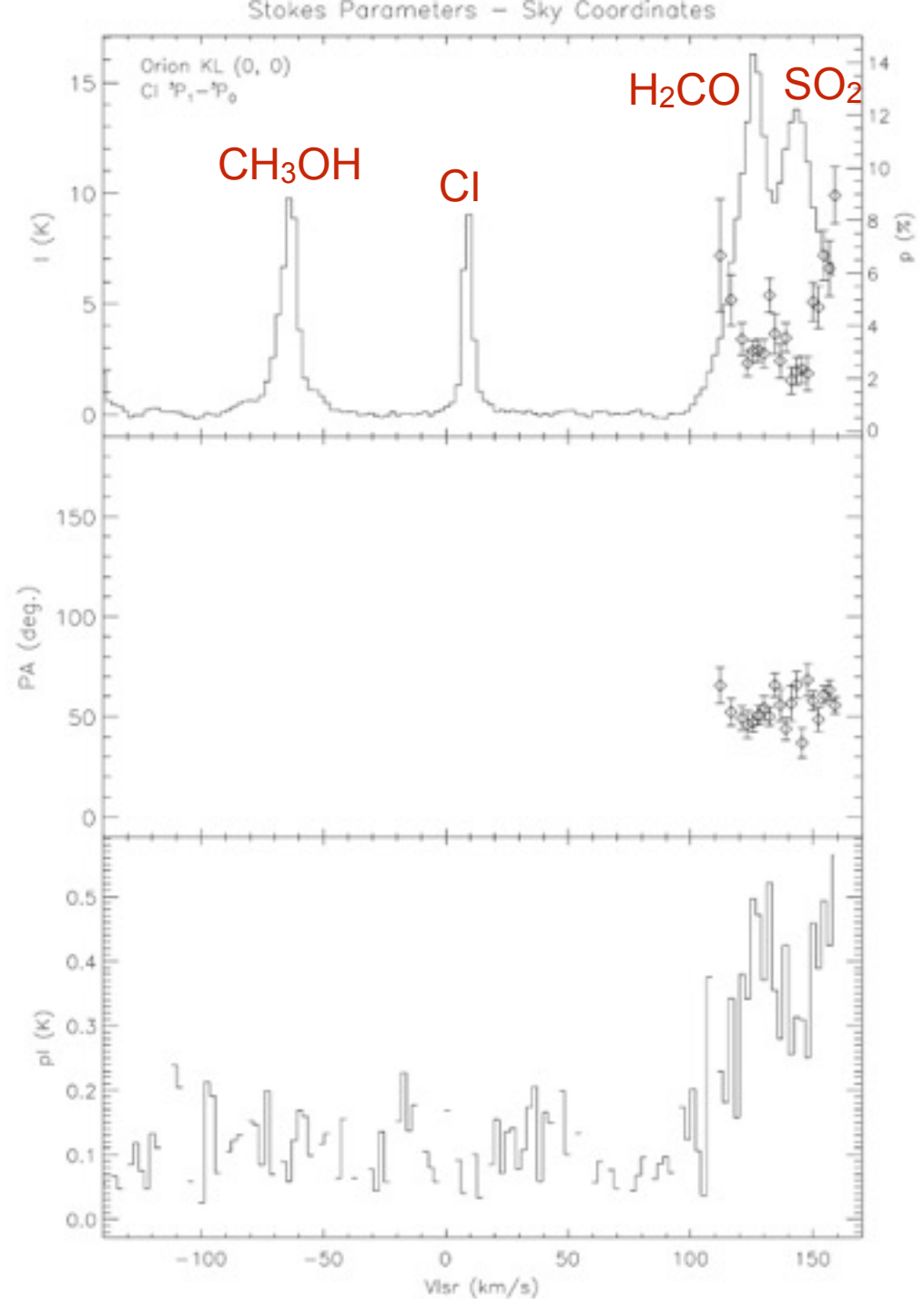


Line Polarization / Dispersion - SNR IC 443



CSO / FSPPol - LP measurements

- CO is not the only species to exhibit polarization
- Different species/lines will trace different density regimes → tomography
- Much better suited for the DCF technique



Summary

- Much progress in the observational characterization of magnetized turbulence.
- Still very difficult to obtain precise measurements of magnetic field strength → **Statistics!**
- Improvements with ALMA and new instruments will help (e.g., SOFIA/HAWC+, IRAM/NIKA2...); we need **more spatial coverage on small and large scales.**
- Zeeman and dust linear polarization maps are still our main tools, but we should be focusing on spectral lines
 - We need Stokes I, Q, U, and **V (for dust too!).**
- And... **Molecule ion-neutral spectral line comparisons...** Good recent developments on theoretical/simulation fronts; provides a complementary path to magnetized turbulence without polarization measurements.

Merci !

